



Perfecting Brain Scans: New Horizons

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13 FORTH Retreat
July 15-16 2022, Heraklion, Crete

NeuroSpin: A unique facility for Brain Imaging



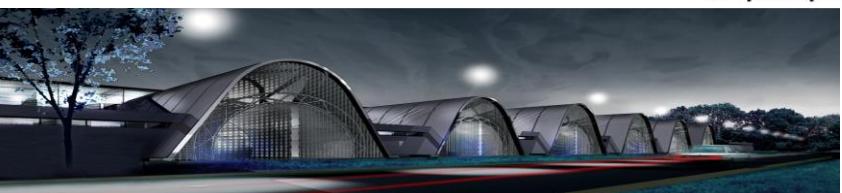
2007 : 7T
human MRI
(1st in France)



2007 : 7T
small-animal MRI



2007 : opening
60 people



2011 : CATI platform
for large MRI cohorts
<http://cati-neuroimaging.com>



2014 : 11.7T
small-animal MRI



2010 : 17.2T
small-animal MRI
(world-record)



2009 : MEG

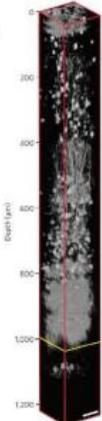


2008 : EEG for
adults, children
and babies



2019 : 3-photon
imager

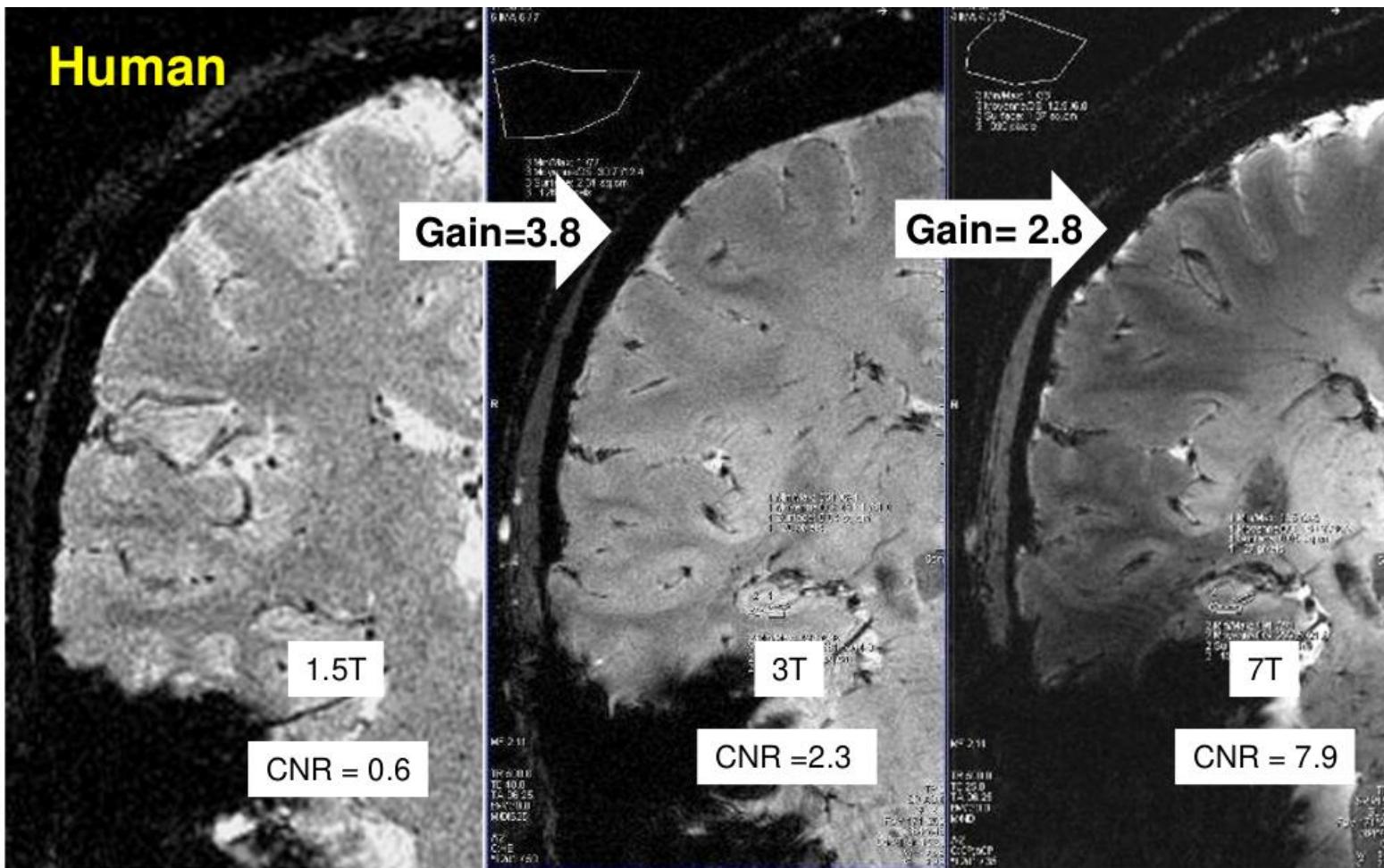
2019 : 11.7T
human MRI
(world-record)



2020 : 190 people

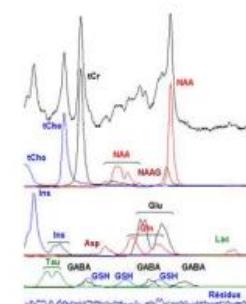
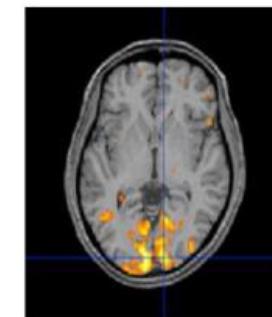


Why Ultra-High Field MRI?



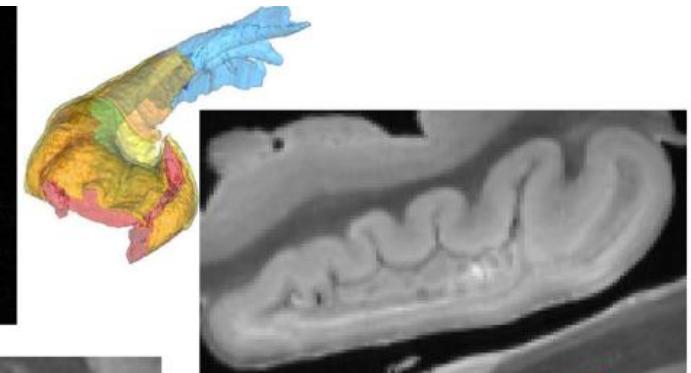
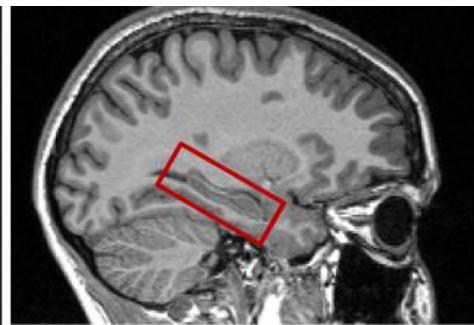
Comparison of CNR (Contrast to noise) of the T2* contrast in MRI

Gain also for :



Why Ultra-High Field MRI?

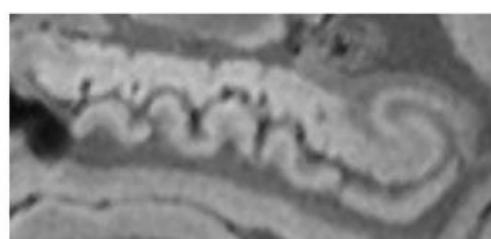
Human hippocampus :
in vivo at 3T, 7T
post-mortem at 11.7T



Résolution: 200µm



Résolution: 1mm



Résolution: 300µm



Beaujoin et al, 2016



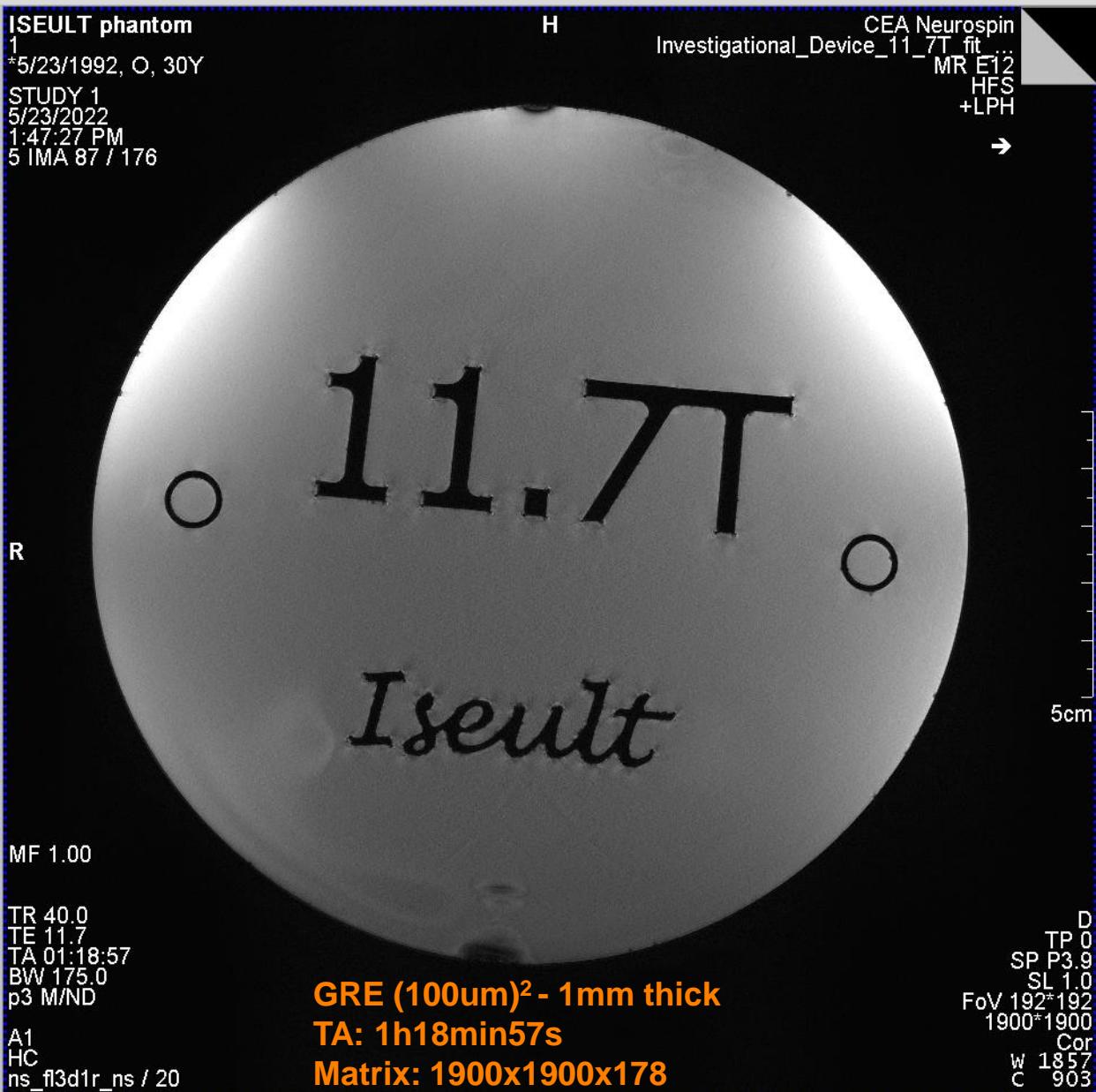
7.0T



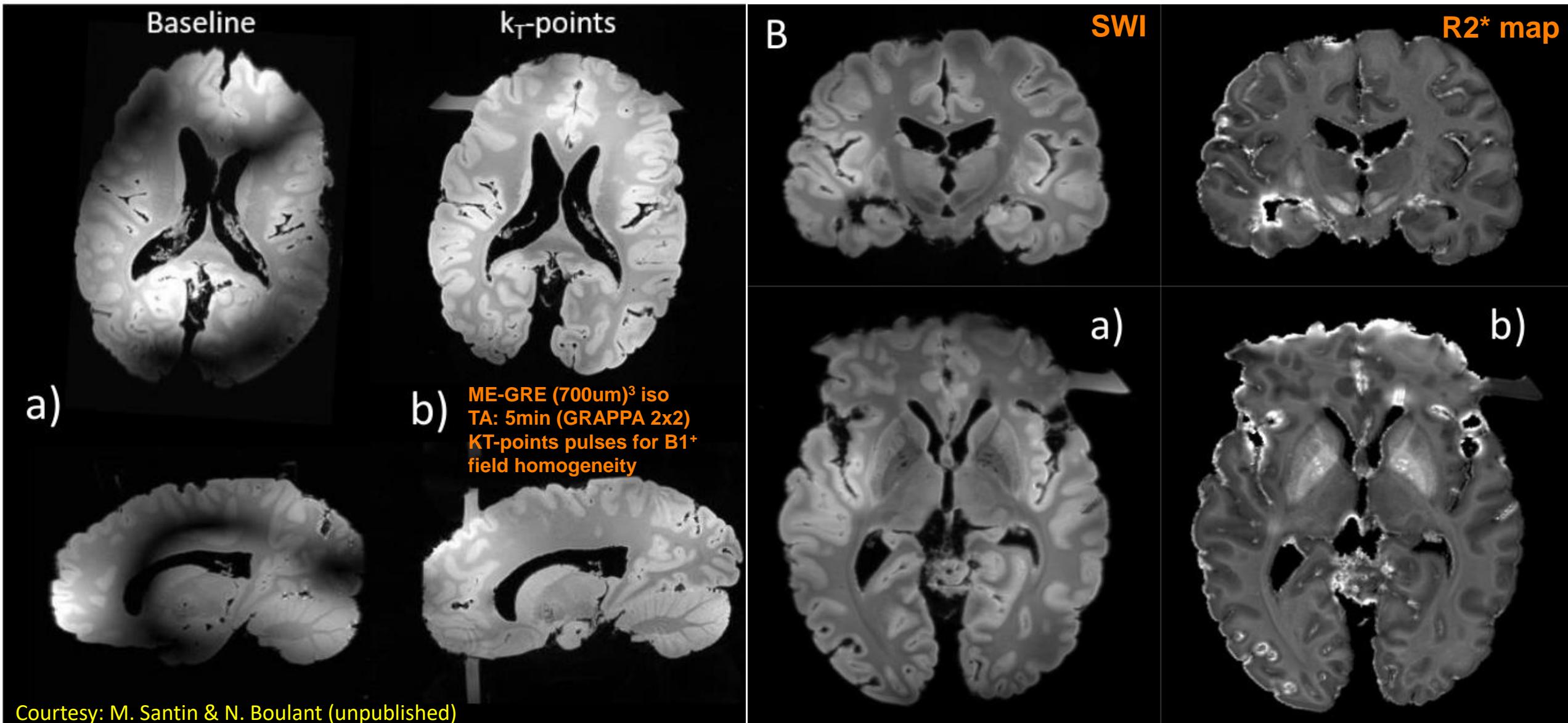
11.7T

**For a better cartography of hippocampus structure
For a better understanding of Alzheimer disease, ...**

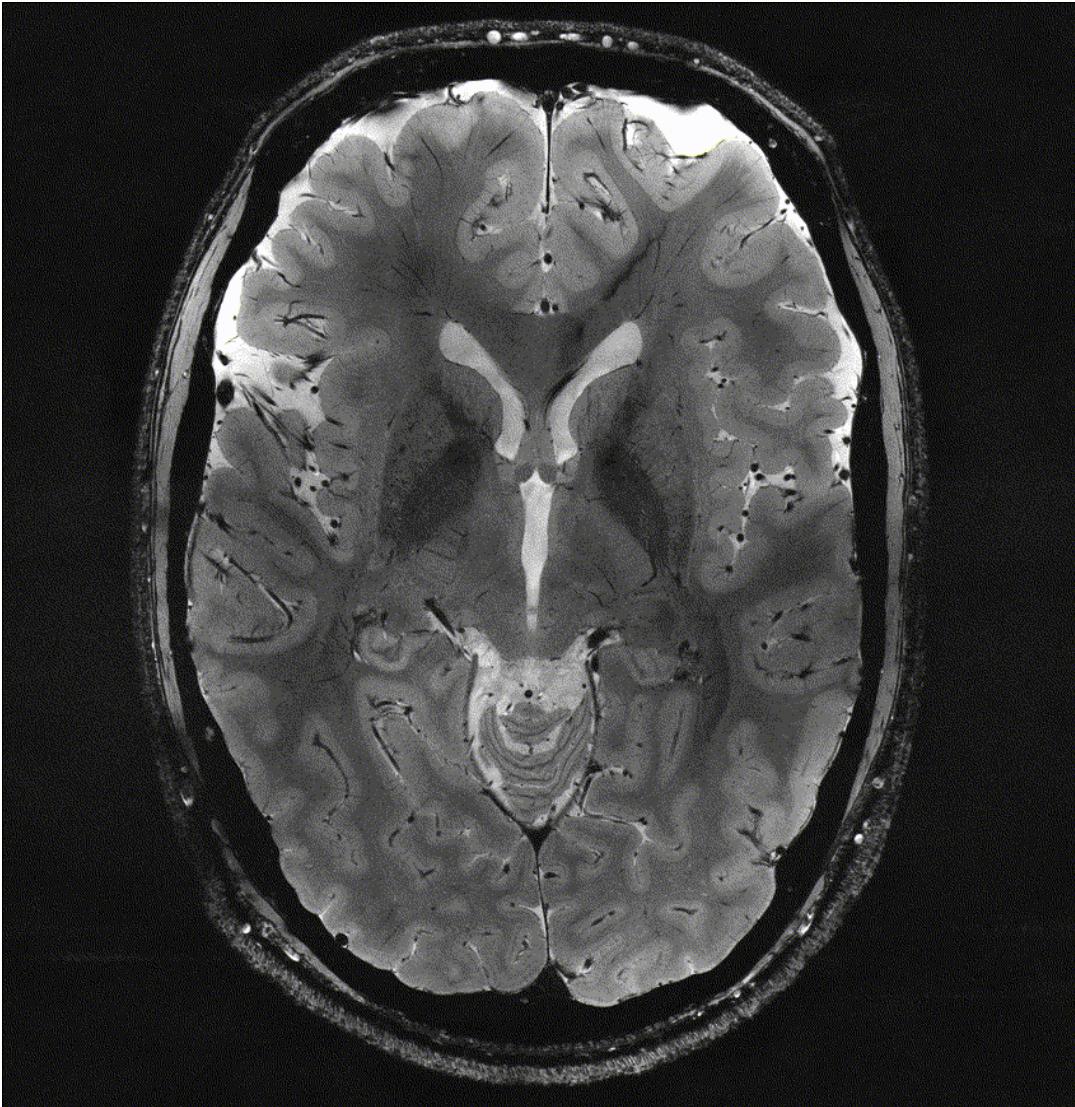
Ultra High Resolution Phantom Imaging at 11.7 T



First HR Ex-Vivo Human Brain Imaging at 11.7 T



High Resolution Imaging



Acquisition Time of 50 minutes!

2D T2*w axial, 7T scanner, $120 \times 120 \times 600 \mu\text{m}^3$
Matrix size: 1690×1744 , 21 slices, 2 averages

32-channel receiver coil, Motion correction,
Full sampling

How can we accelerate this?

J. Z et al., Eur. Radiol., 2010, 20(4):915-922

Sampling in MRI

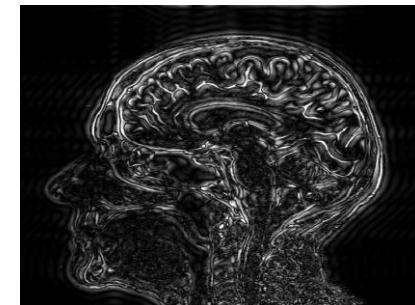
Spectral frequency



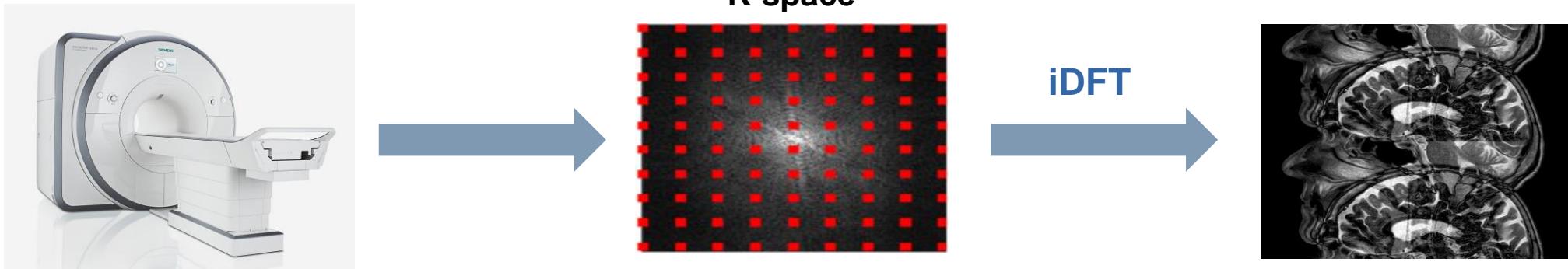
K-space



iDFT



Sampling in MRI



Nyquist-Shannon theory

↑ resolution \Rightarrow ↑ #samples

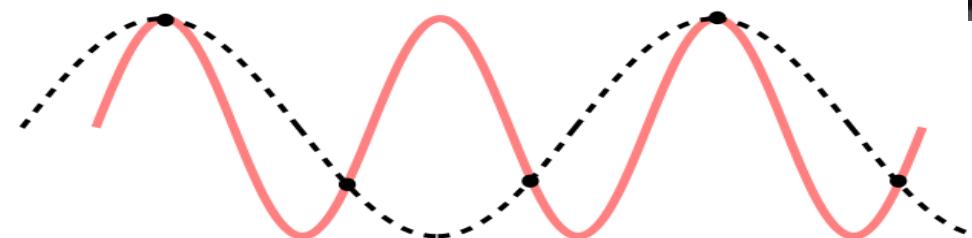


Long acquisition times

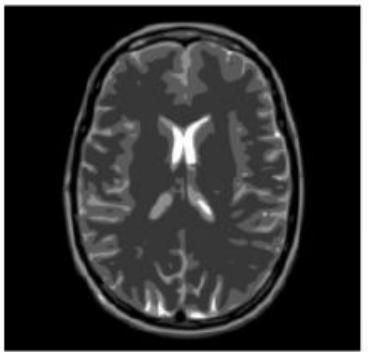
The sampling frequency should be at least twice the highest frequency contained in the signal



Harry Nyquist



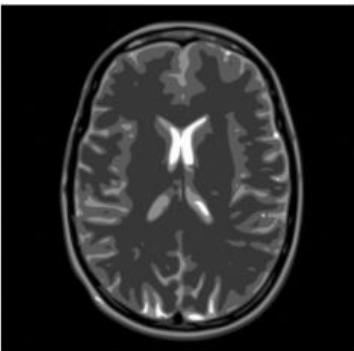
Compressed Sensing in MRI



Fourier transform
→

**5%
Variable density
random sampling**

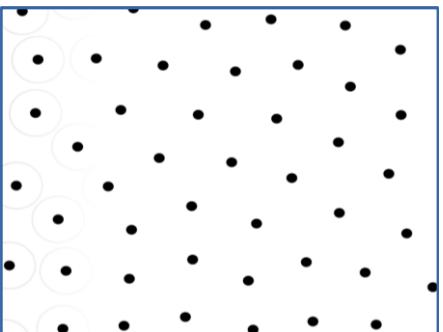
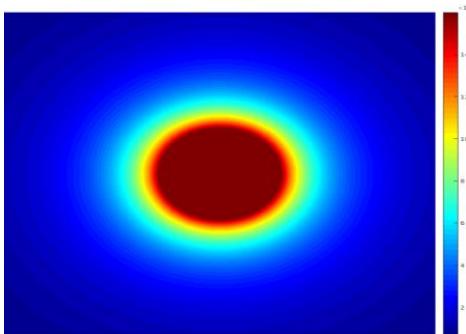
CS reconstruction
→



Under-sampling with guarantees of image recovery

if these two criteria are fulfilled :

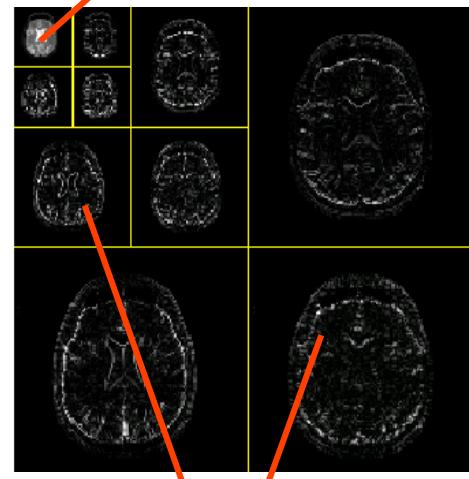
- i. **Variable-density sampling**
- ii. **Locally uniform coverage**



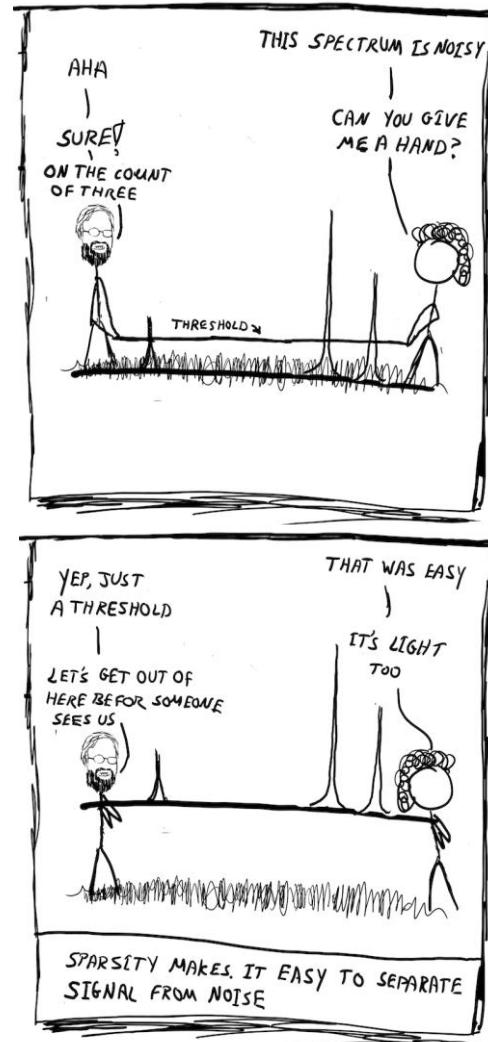
MR Images are **sparse** in Wavelet Domain



Approximation



Detail → SPARSE



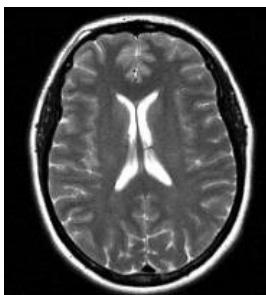
Candes et al. 2006. Communications on Pure and Applied Mathematics ; Lustig et al. 2007. MRM; Puy et al, IEEE SPL 2011; Chauffert et al, SIAM IS 2014; Boyer et al. 2016. SIAM IS; Adcock et al. Breaking the coherence barrier: A new theory for compressed sensing. Forum of Mathematics, Sigma 2017. Vol. 5.

SPARKLING: Spreading Projection Algorithm for rapid K-space sampLING

- Lazarus et al, *SPARKLING: variable-density k-space filling curves for accelerated T_2^* -weighted MRI*. Magnetic Resonance in Medicine, 2019
- Chaithya G R et al, *Optimizing full 3D SPARKLING trajectories for high-resolution Magnetic Resonance Imaging*. IEEE Transactions on Medical Imaging 2022
- Daval-Frérot et al, *Iterative static Δ B0 field map estimation for off-resonance correction in non-Cartesian susceptibility weighted imaging*, Magnetic Resonance in Medicine 2022

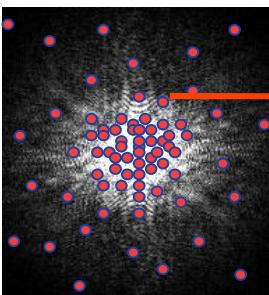
SPARKLING

MRI Image



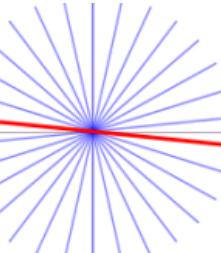
Fourier Transform

K-Space

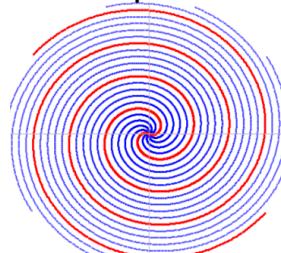


Non-Cartesian sampling

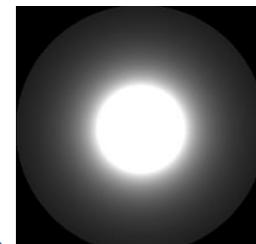
Radial



Spiral

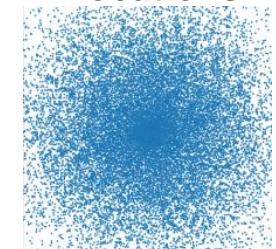


Variable Density Sampling



Sampling

Sample Locations



Scanner



Hardware Constraints

Scanner constraints

Trajectory Initialization

SPARKLING
Projected Gradient Descent

$$\hat{\mathbf{K}} = \arg \min_{\mathbf{K} \in \mathcal{Q}_N} F_N(\mathbf{K}) = [F_N^a(\mathbf{K}) - F_N^r(\mathbf{K})]$$

$$F_N^a(\mathbf{K}) = \frac{1}{N} \sum_{n=1}^N \int_{\Omega} H(x - \mathbf{K}[n]) \pi(x) dx$$

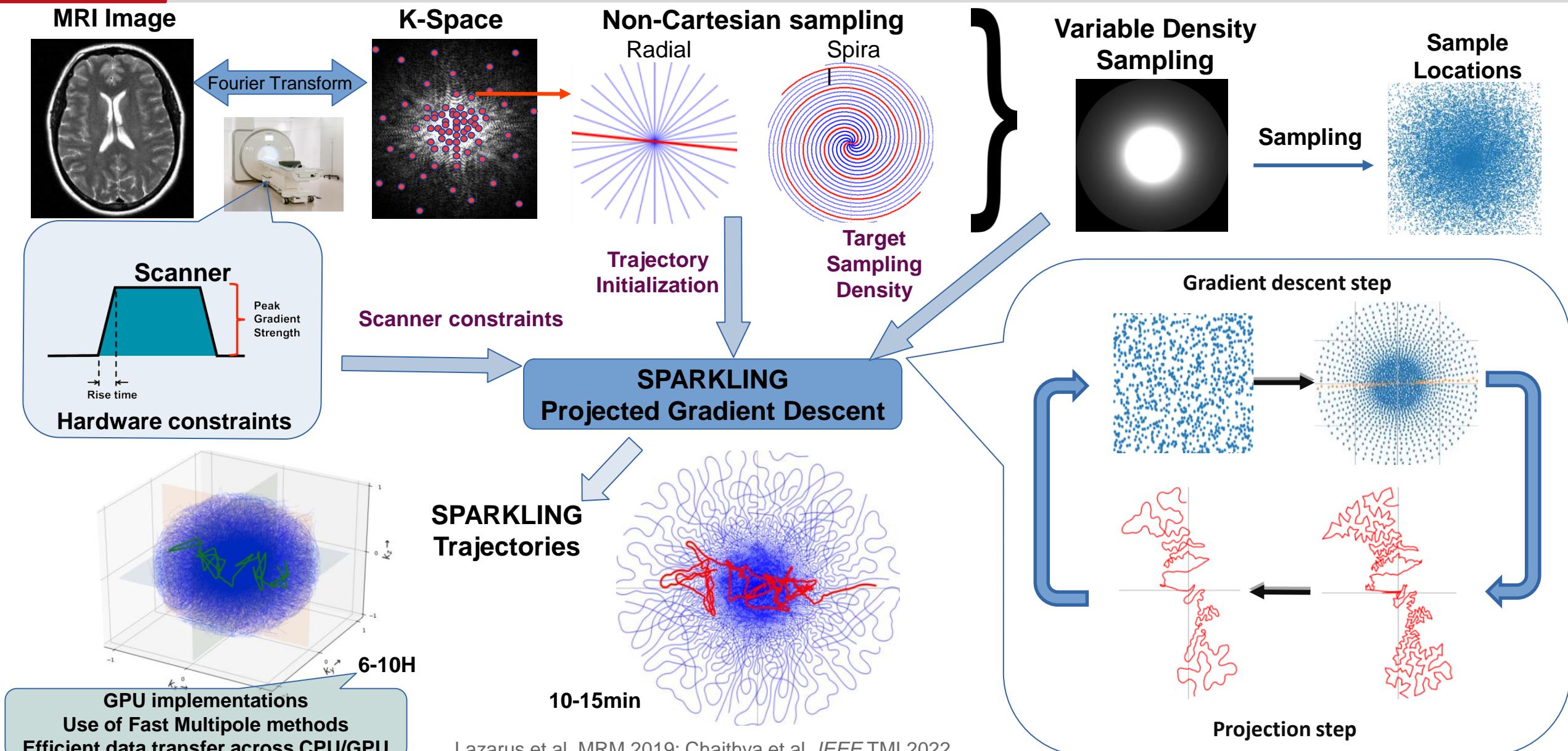
$$F_N^r(\mathbf{K}) = \frac{1}{2N^2} \sum_{n,m=1}^N H(\mathbf{K}[n] - \mathbf{K}[m])$$

Attraction term: follow the target sampling density

Repulsion term: locally uniform density

Boyer et al, SIAM IS 2016; Chauffert et al, Construct Approx 2017

SPARKLING, cont'd



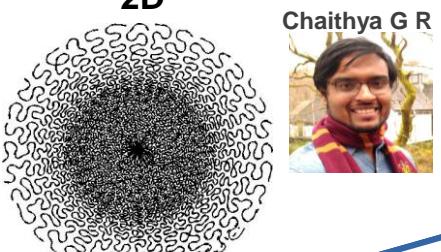
Lazarus et al, MRM 2019; Chaithya et al, IEEE TMI 2022

Applications of SPARKLING

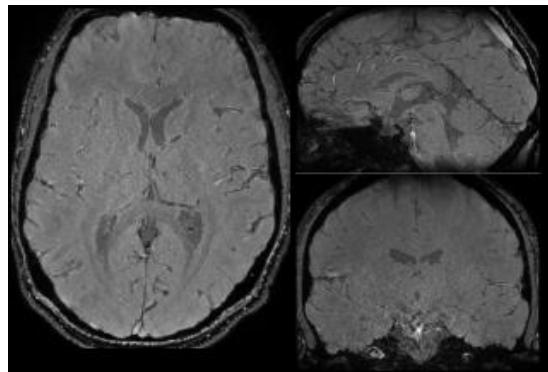
C. Lazarus



2D

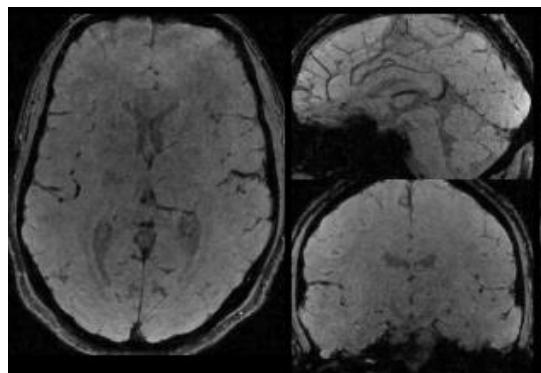


Cartesian p4
Scan Time: 15min 13s

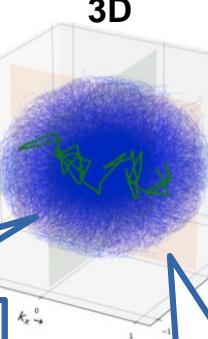


T2* GRE: SWI

SPARKLING
Scan Time: 3min



3D

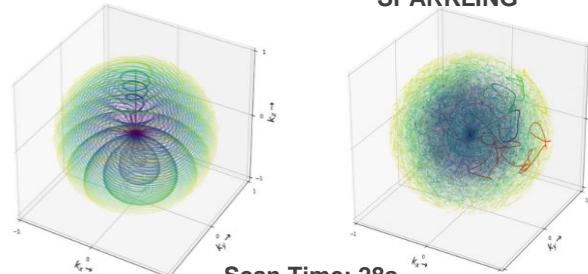


Time

3D + Time

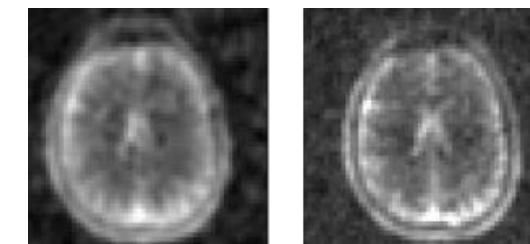
TPI

Baptista et al, *ISMRM 2022*
SPARKLING

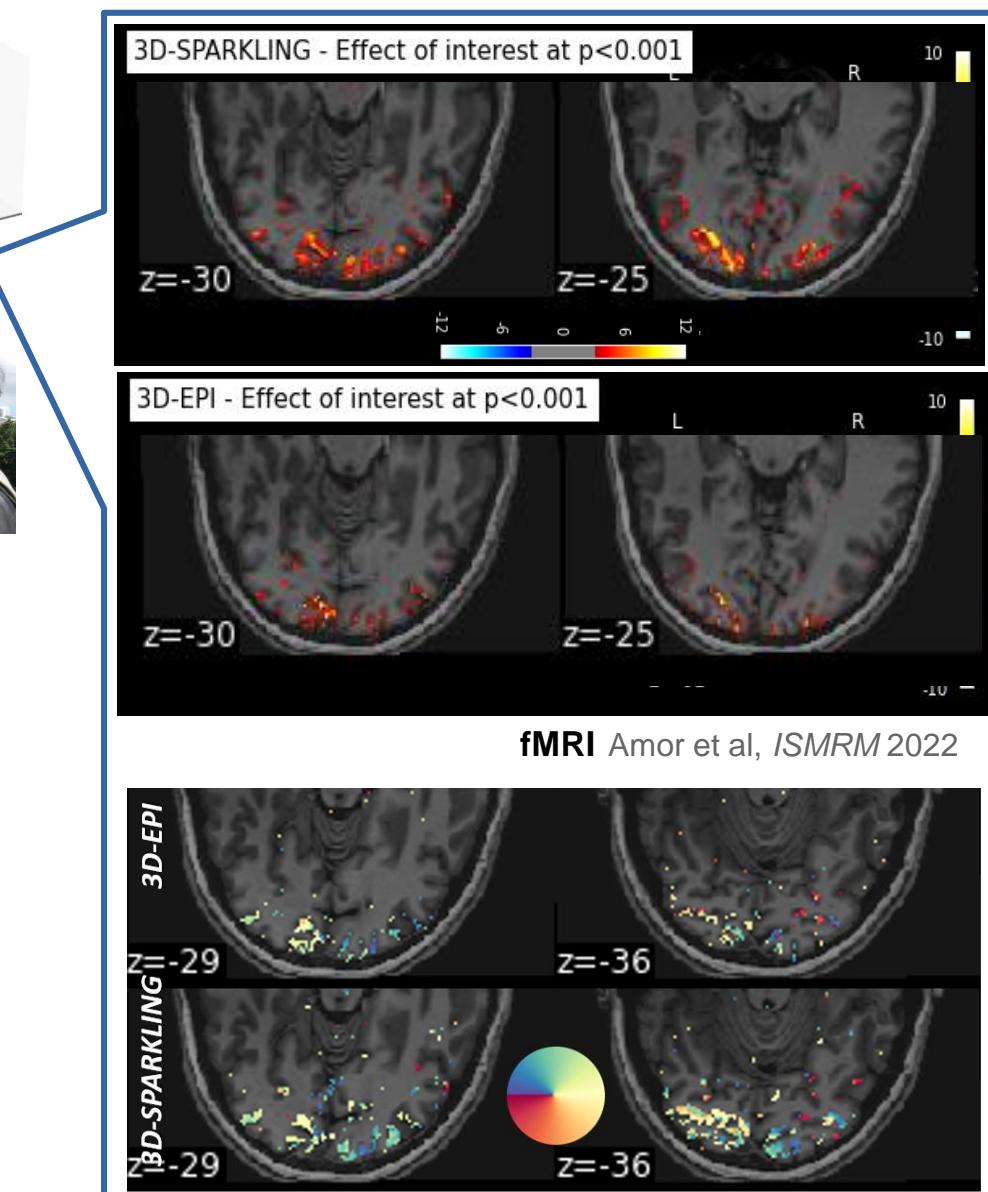


Sodium Imaging

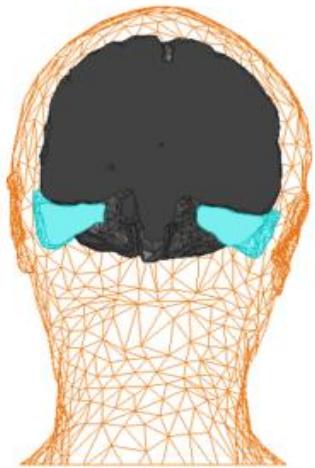
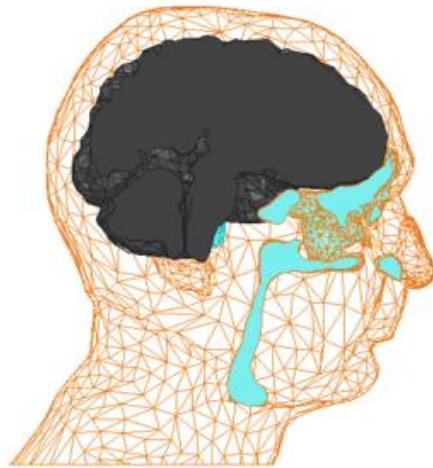
R. Baptista



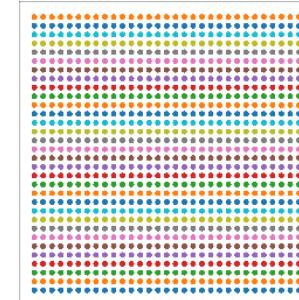
Philippe Ciuci



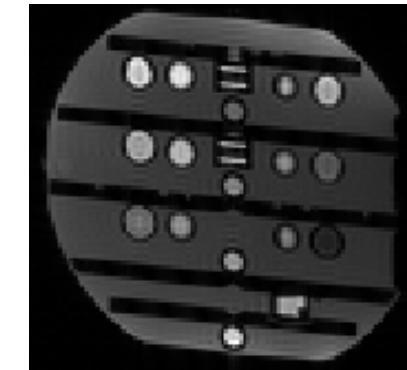
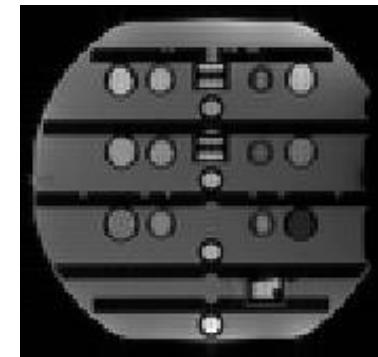
Spatial inhomogeneities of B_0 & Off-resonance effects



Cartesian example

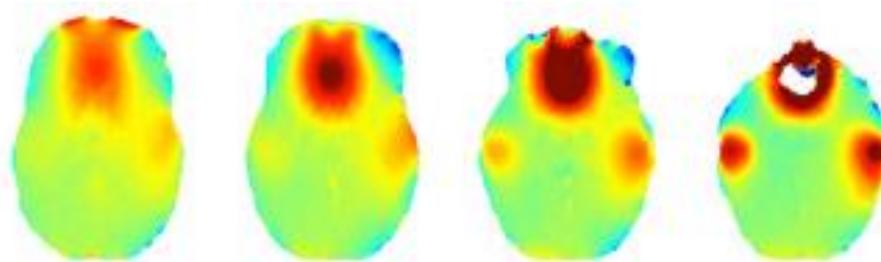


Line by line
Cartesian trajectory

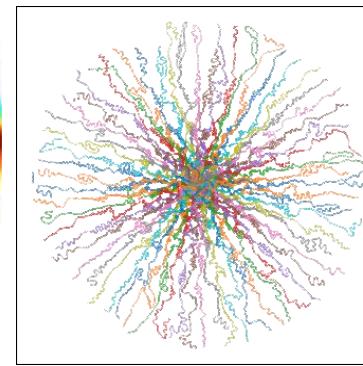


$+ \Delta B_0$

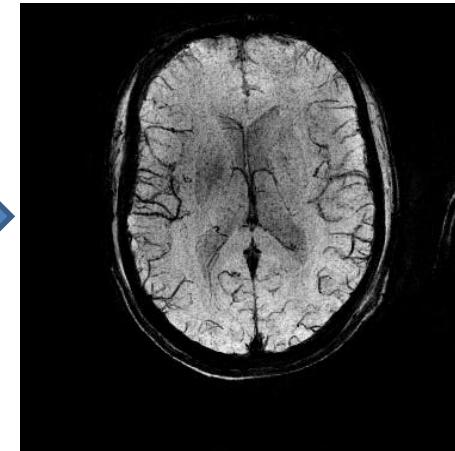
(Hz) 0 50 100 150 200



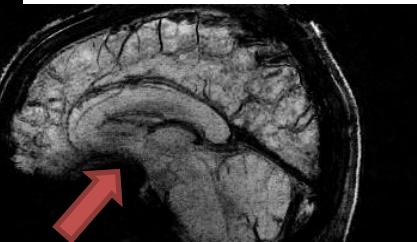
field maps



3D SPARKLING



High resolution: 0.6mm iso.



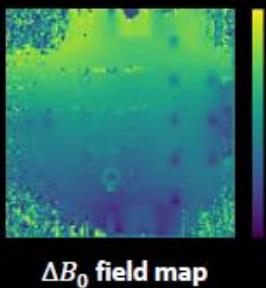
Correcting the ΔB_0 Effects using an External Fieldmap

NIST 3T Cylindrical Stack-of-Sparklings
0.6mm iso, FOV 230mm, AF=10, OS=2

Fourier model

$$s(t) = \int f(r) e^{-i2\pi(k(t)\cdot r)} dr$$

- $s(t)$ is the acquired signal at time t
- $f(r)$ is the image at position r



Extended Fourier model

$$s(t) = \int f(r) e^{-i\omega(r)t} e^{-i2\pi(k(t)\cdot r)} dr$$

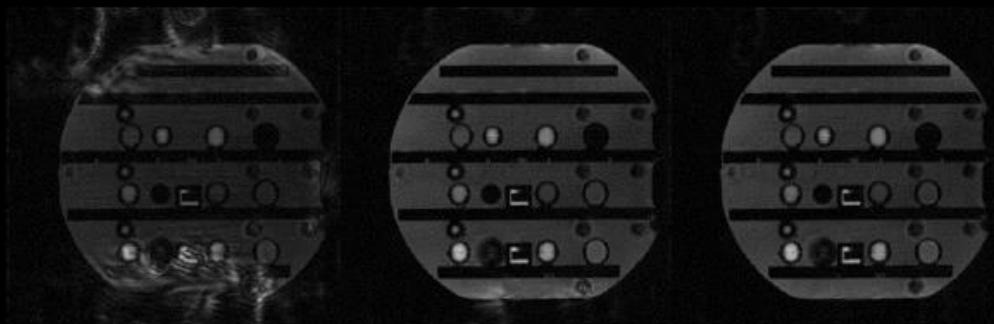
- $\omega(r)$ is the resonance frequency offset caused by B_0 inhomogeneities at position r and time t

$$\omega(r) = 2\pi\Delta B_0(r)$$

Original

(1) Corrected magnitudes & (2) Differences to the original

(1)



(2)



L=5

L=7

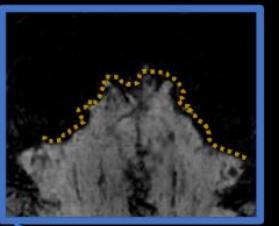
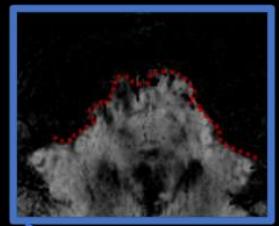
L=9

Source:

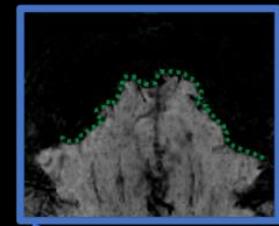
[1] Man, L C, John M. Pauly and A. Macovski (1997). In *Magnetic Resonance in Medicine*.

Number of interpolators

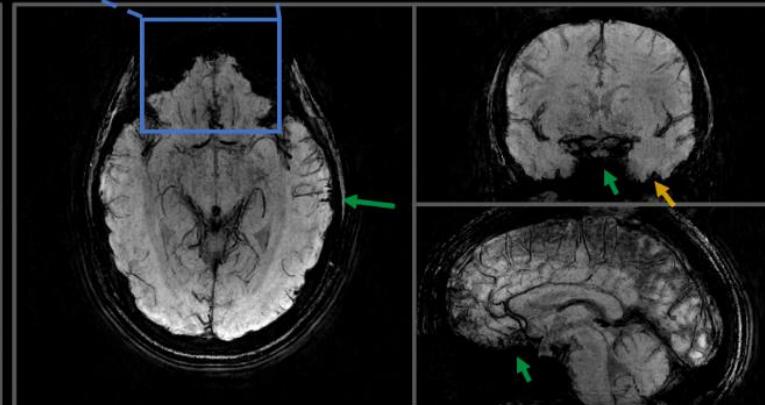
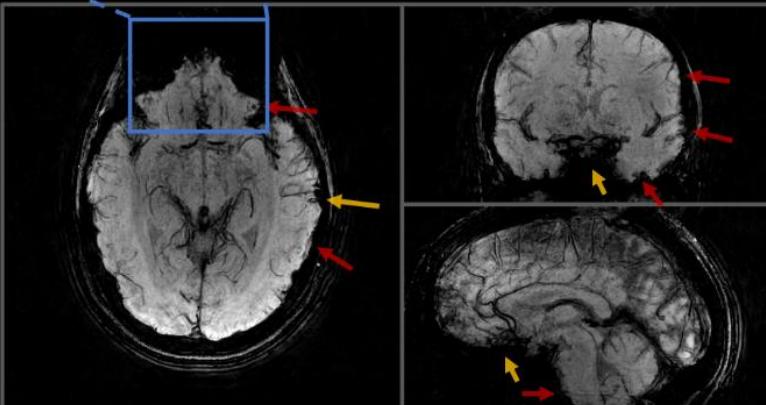
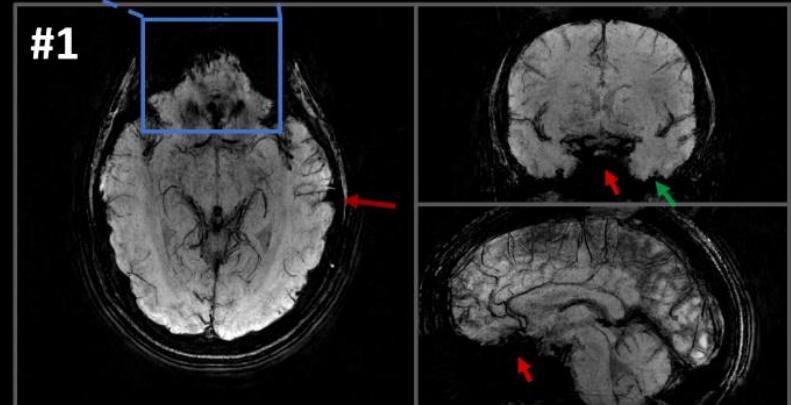
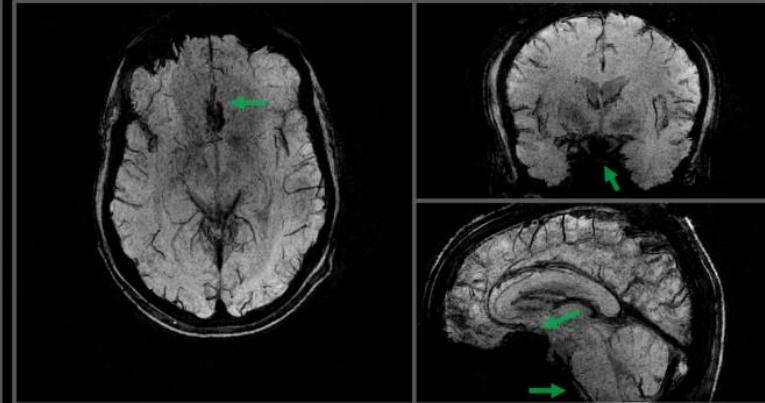
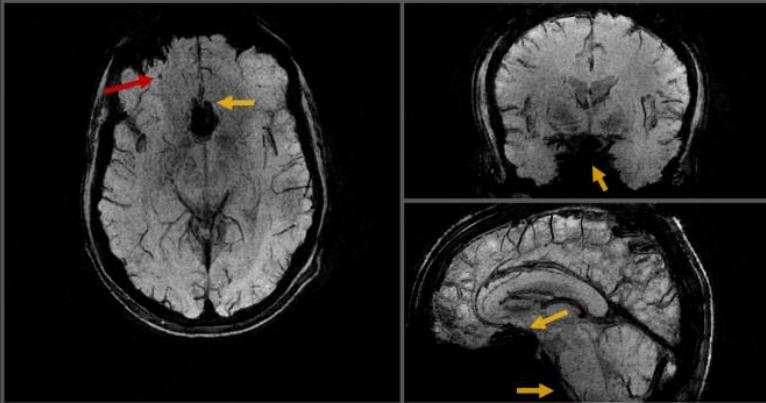
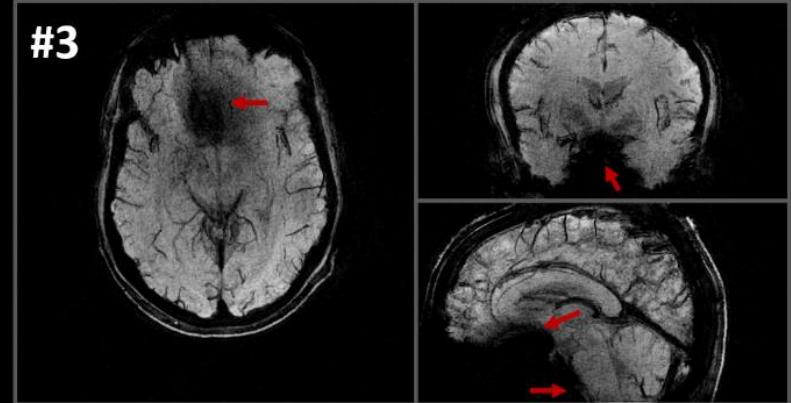
Correction of B0 inhomogeneities: External vs Internal


Field map parameters

- NeuroSpin data
- Acquisition time: 2min43s
- Acceleration factor: 4
- Resolution: 2x2x2mm
- FOV: 240x240x124mm
- : 4.92ms & 7.38ms
- 64-channel head/neck coil array
- Sampling: 2D GRE IPAT 4


Field map parameters

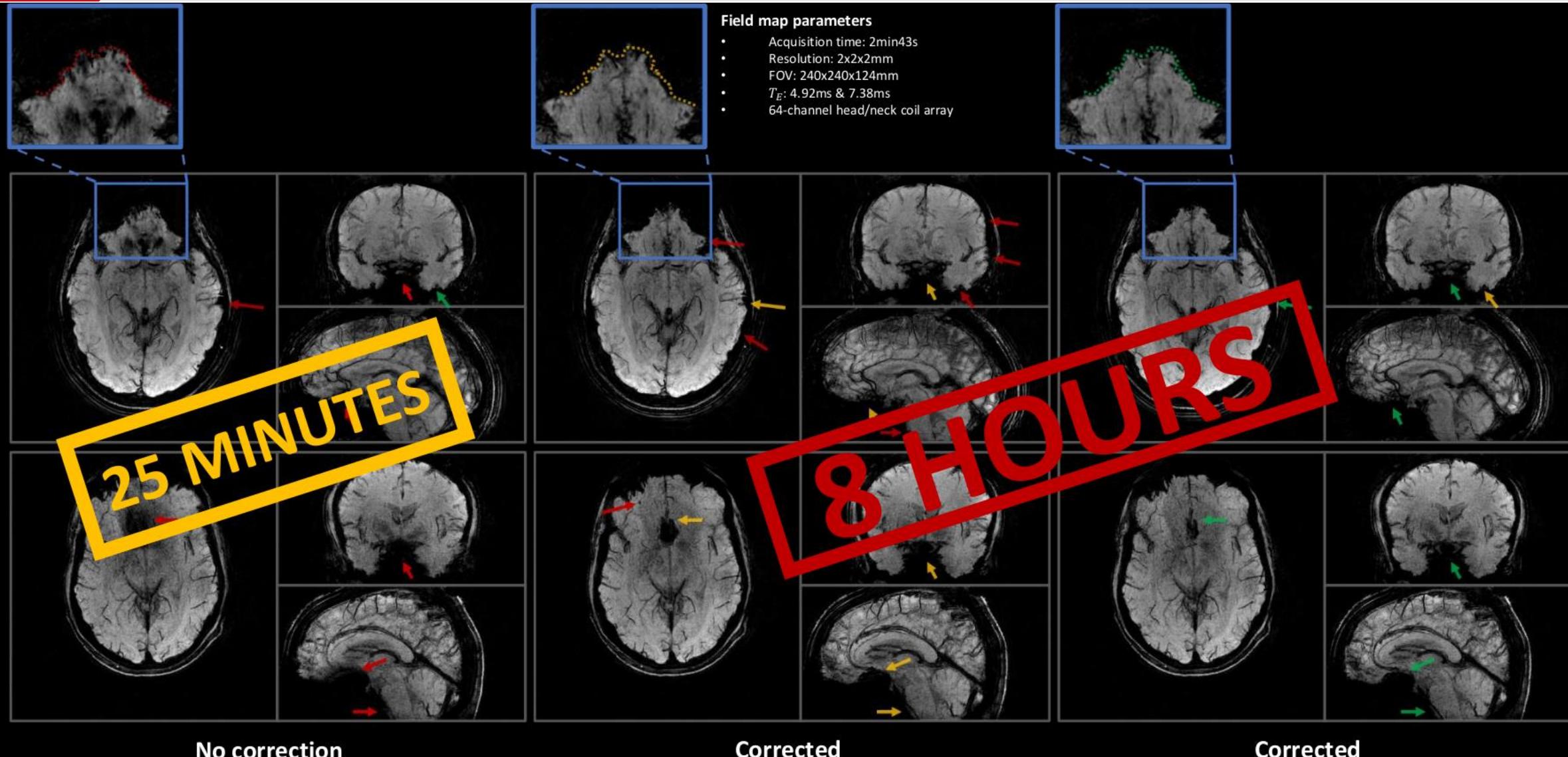
- NeuroSpin data
- Acquisition time: 2min30s
- Acceleration factor: 20
- Resolution: 0.6x0.6x0.6mm
- FOV: 240x240x124mm
- : 20ms
- 64-channel head/neck coil array
- Sampling: Full 3D SPARKLING (C20D3)


G Daval-Frérot
#1
AF=10

#3
AF=20

No correction
Corrected
with acquired maps

Corrected
with self-estimated maps

[*Daval-Frérot et al, MRM 2022*]

Correction of B₀ inhomogeneities: External vs Internal

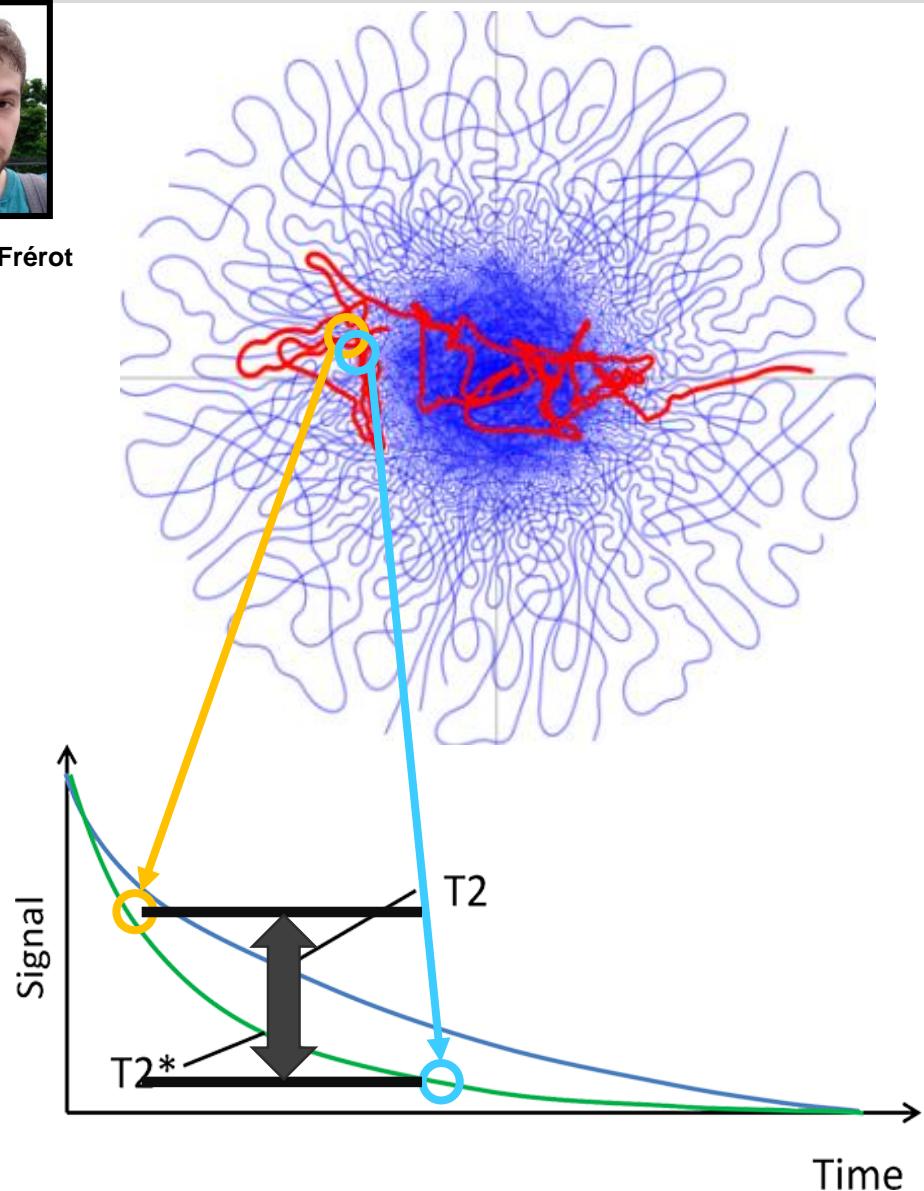


[Daval-Frérot et al, MRM 2022]

Off-resonance artifacts and signal decay



Chaithya G R G Daval-Frérot



Fourier model

$$s(t) = \int f(r) e^{-i2\pi(k(t)\cdot r)} dr$$

- $s(t)$ is the acquired signal at time t
- $f(r)$ is the image at position r

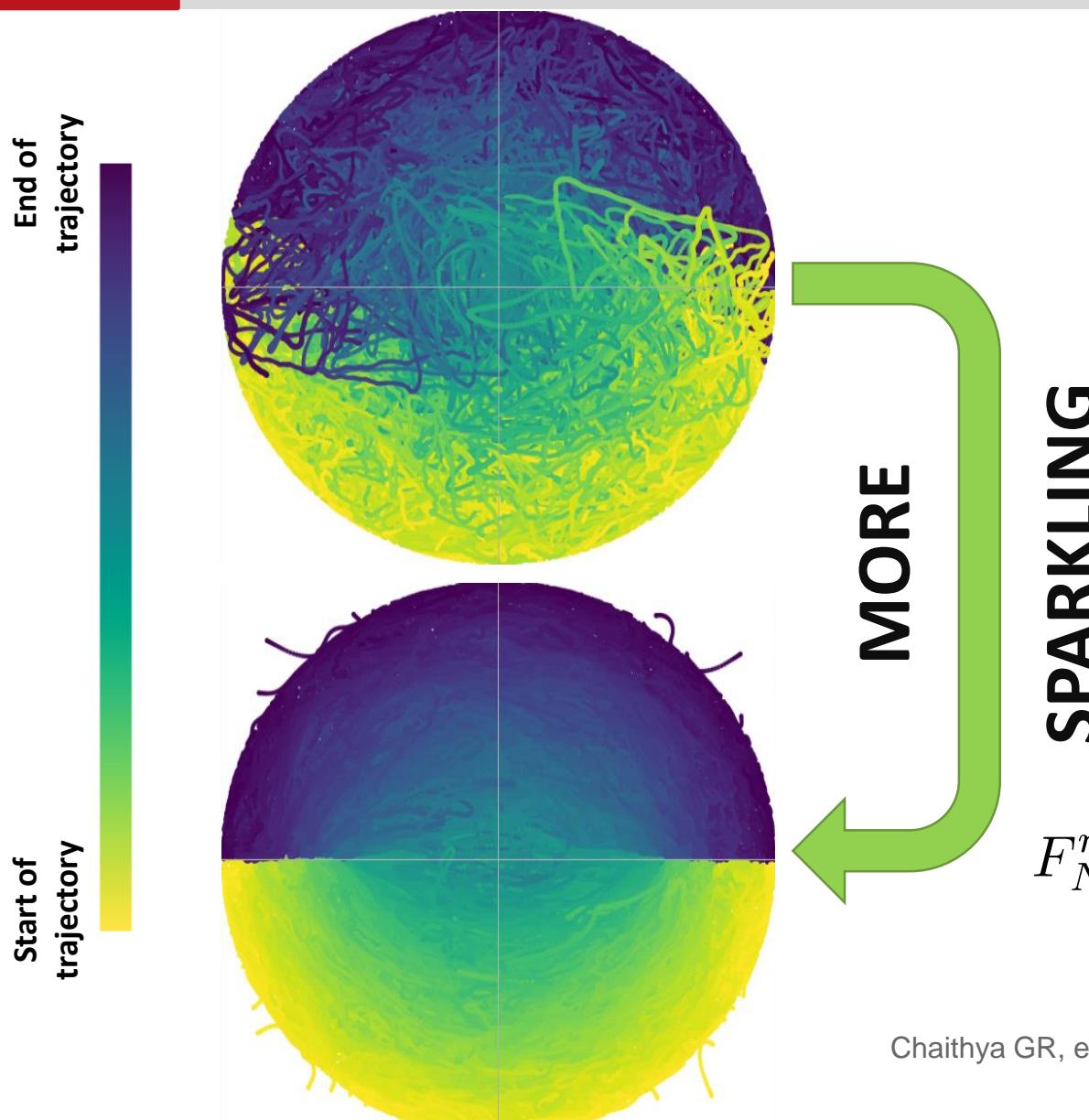


Extended Fourier model

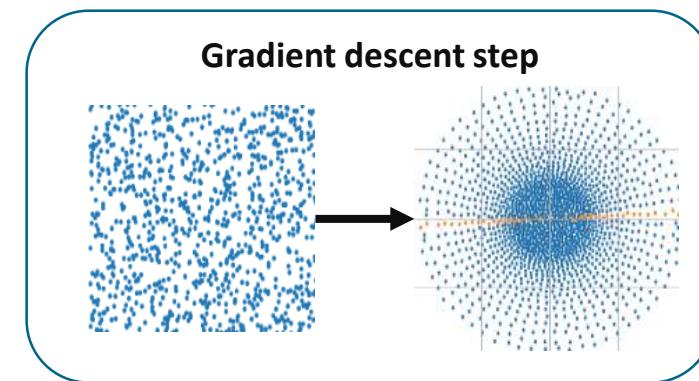
$$s(t) = \int f(r) e^{-(\alpha(r)+i\omega(r))t} e^{-i2\pi(k(t)\cdot r)} dr$$

- $\alpha(r)$ is the signal decay at position r
- $\omega(r)$ is the off-resonance frequency at position r

Minimizing Off-resonance Effects (MORE) SPARKLING



SPARKLING



Attraction term

$$F_N^a(\mathbf{K}) = \frac{1}{N} \sum_{n=1}^N \int_{\Omega} H(x - \mathbf{K}[n]) \pi(x) dx$$

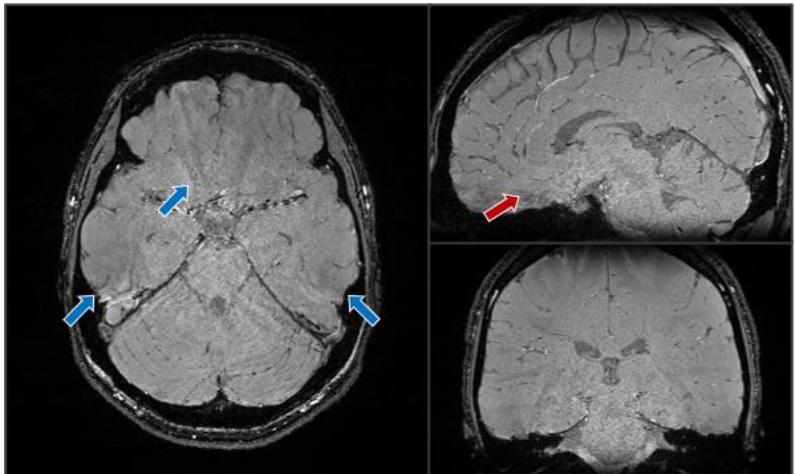
Repulsion term

$$F_N^r(\mathbf{K}) = \frac{1}{2N^2} \sum_{n,m=1}^N H(\mathbf{K}[n] - \mathbf{K}[m]) e^{\frac{|t_n - t_m| \tau}{N}}$$

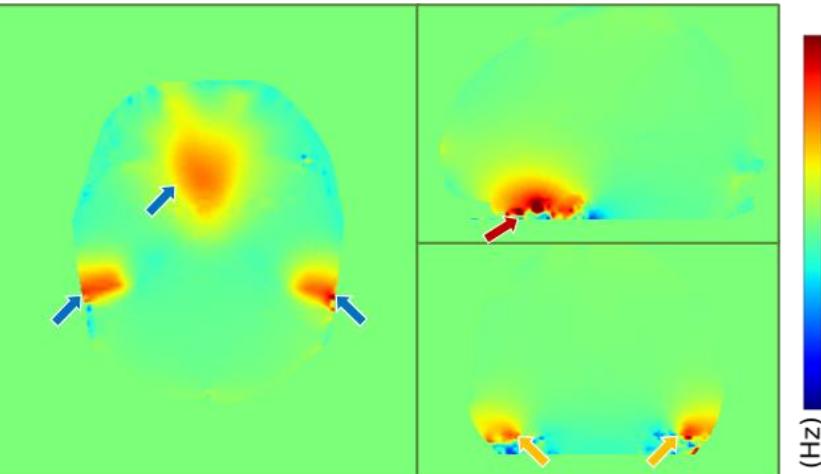
Chaithya GR, et al, ISMRM 2022 (EU Patent App. 22305592.2. 2022)

MORE SPARKLING: In vivo Results

(A) Reference

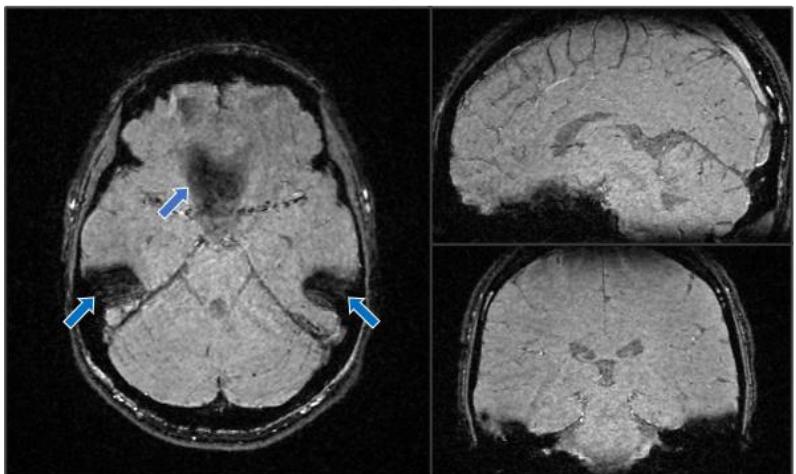


(B) ΔB_0 field map



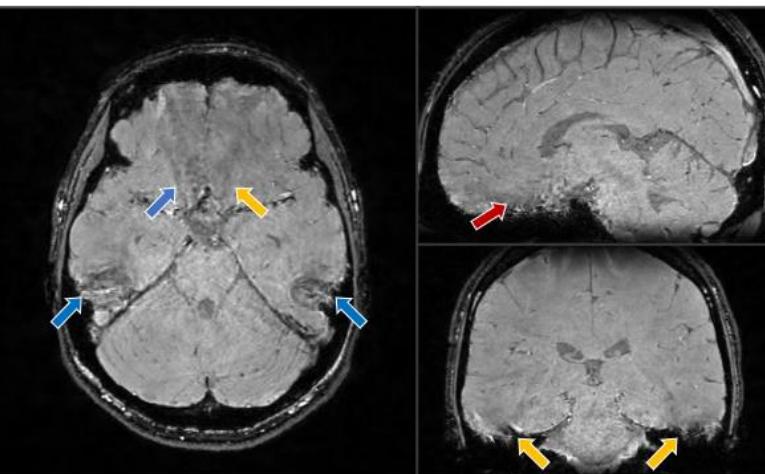
(C) SPARKLING

SSIM: 0.872 | PSNR: 31.36 dB



(D) MORE-SPARKLING : TW_0

SSIM: 0.900 | PSNR: 34.26 dB



Acquisition parameters

- 3T Prisma
- Healthy volunteer
- Acquisition time: 2min30s
- Acceleration factor: 20
- Resolution: 0.6x0.6x0.6mm
- FOV: 240x240x124mm
- & : 20ms & 37ms
- 64-channel head/neck coil array
- Trajectory: Full-3D Stack-of-SPARKLING

Reconstruction parameters

- Pre-computed density compensation |
- Iterative calibrationless reconstruction
- Soft thresholding regularization

Chaithya GR, et al, ISMRM 2022 (EU Patent App. 22305592.2. 2022)

- **3D SPARKLING**

- 3D SPARKLING achieves isotropic high resolution in short scan time (2'30" @ 600µm iso)
- Works at 3T and 7T
- Discrepancy between retrospective and prospective results due to off-resonance effects
- Internal estimation of static B0 inhomogeneities
- Off-resonance effects correction during image reconstruction too computational demanding
- MORE SPARKLING (temporal weighting) to counteract off-resonance effects
- Application to both anatomical, metabolic and functional imaging (BOLD fMRI)

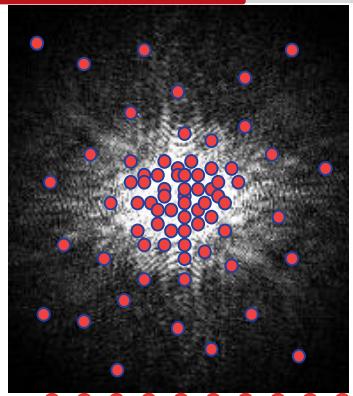
- **Perspectives**

- Embedded motion estimation and correction
- Quantitative susceptibility mapping
- Diffusion-weighted MRI
- Neurodegenerative diseases (Parkinson's syndromes)
- Neonatal imaging

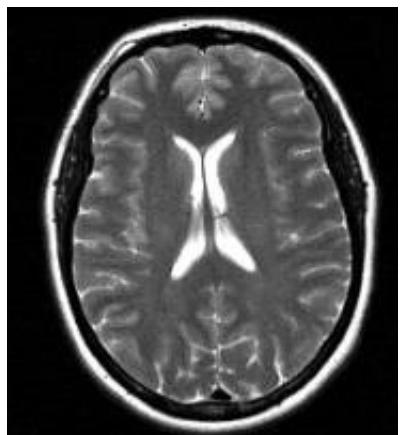
Unrolled neural networks for non-Cartesian MR image reconstruction

- Muckley et al, Results of the 2020 fastMRI challenge for machine learning mr image reconstruction, *IEEE Transactions on Medical Imaging*, 2021
- Ramzi et al, NC-PDNet: a Density-Compensated Unrolled Network for 2D and 3D non-Cartesian MRI Reconstruction, *IEEE Transactions on Medical Imaging* 2022

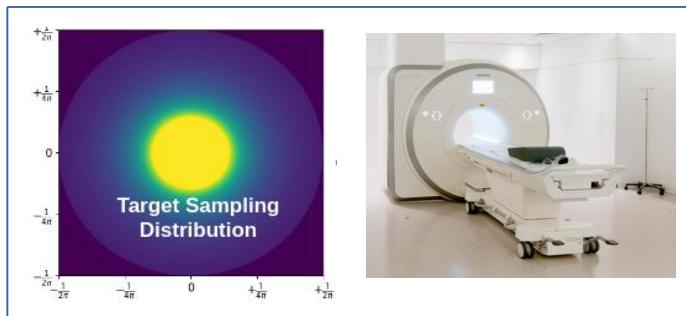
2 Part: MR Image Reconstruction



Nonlinear
Reconstruction

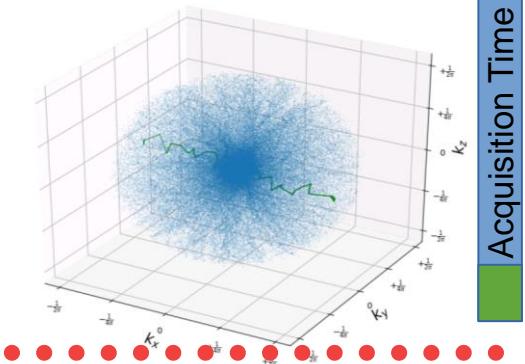
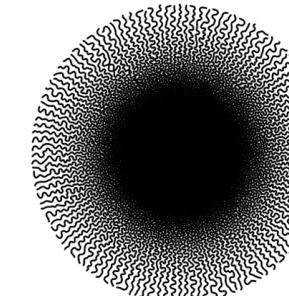


How to efficiently sample k-space data under Hardware constraints?



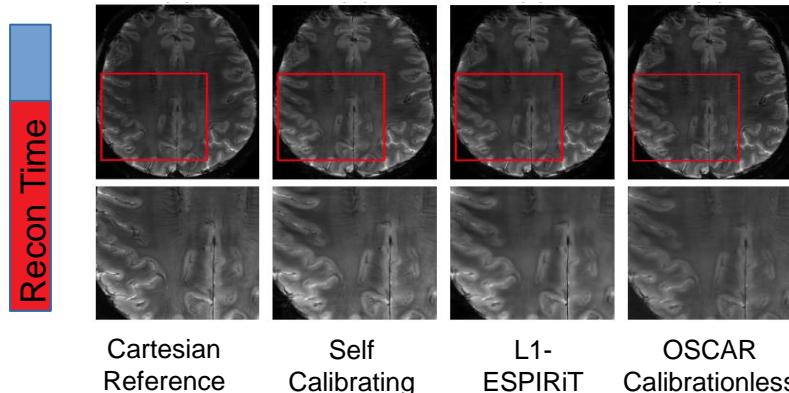
SPARKLING

Lazarus et al, MRM 2019



Acquisition Time

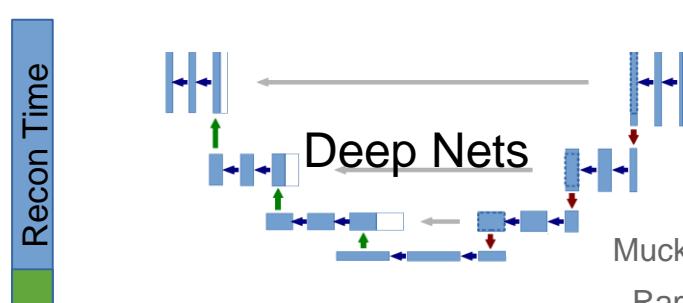
How to efficiently reconstruct from under-sampled data?



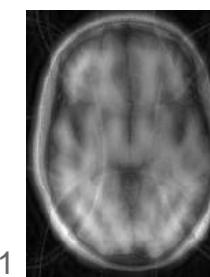
CS
Reconstruction

K-Space
Data

Farrens et al, Astro & Comput 2020
El Gueddari et al, ISMRM WS 2020
El Gueddari et al, J Imaging 2021



Muckley, et al, IEEE TMI 2021
Ramzi et al, IEEE TMI 2022

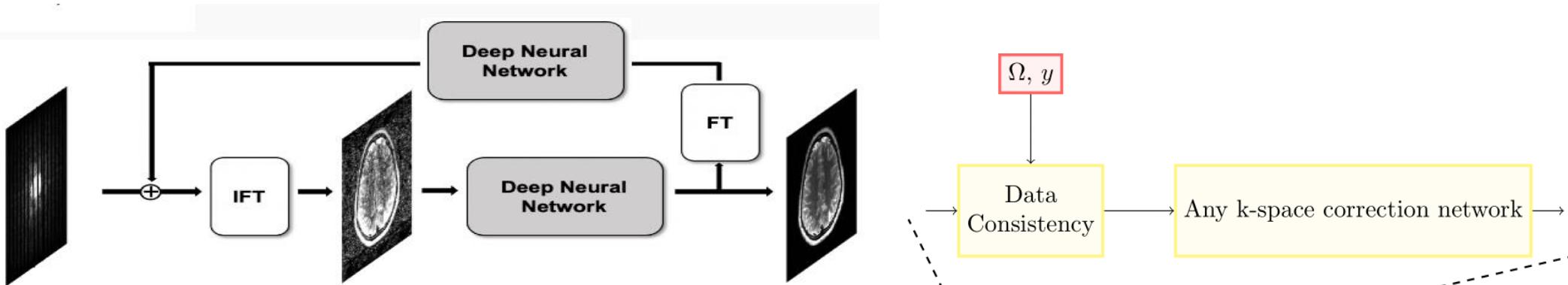


Gridded
Reconstruction

Cross-Domain Learning in a Nutshell



Z. Ramzi



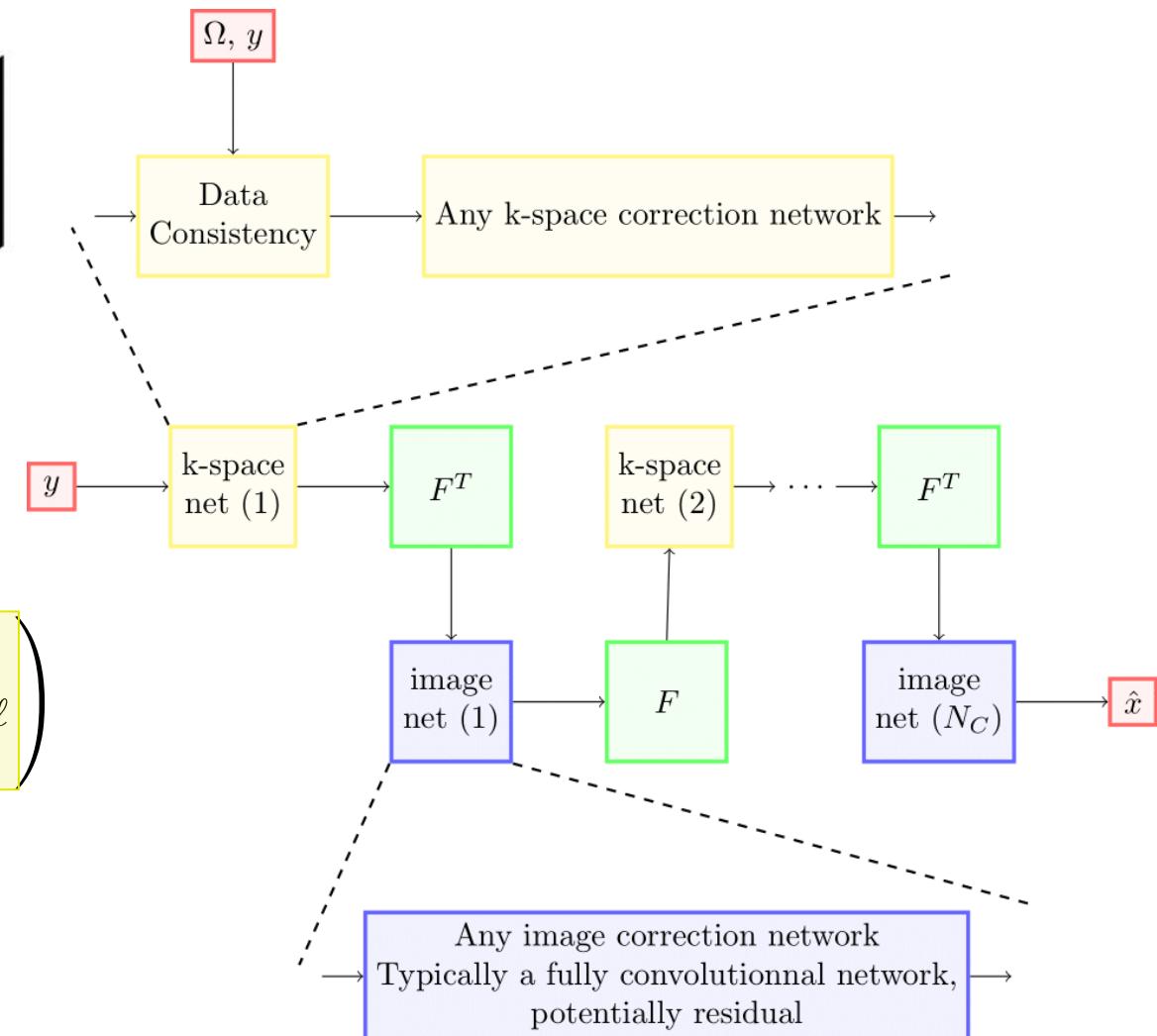
- **Key intuitive idea:** Alternate the corrections between image domain and k-space
- **Tool:** unrolling optimization algorithms

$$\mathbf{x}_{n+1} = \mathbf{x}_n - \tau_n \left(\sum_{\ell=1}^L \mathbf{F}_\Omega \mathbf{S}_\ell \right)^H \left(\sum_{\ell=1}^L \mathbf{F}_\Omega \mathbf{S}_\ell \mathbf{x}_n - \mathbf{y}_\ell \right)$$

$$\mathbf{x}_{n+1} = \text{prox}_{\tau_n \mathcal{R}}(\mathbf{x}_{n+1})$$

Adler and Ötkem, *IEEE TMI* 2018

Ramzi et al, *App. Sci* 2020, *ISMRM* 2020



- **Objectives:**

- Run an international challenge to benchmark the deep learning solutions for MR brain image reconstruction
- Acquisition setup that fits the clinical realm (multi-coil acquisition, multiple imaging contrasts)
- Larger training set with a total of 6,970 brain scans (approx. 1.5 TB of raw k-space data, 3001 scans at 1.5T)

Ground Truth

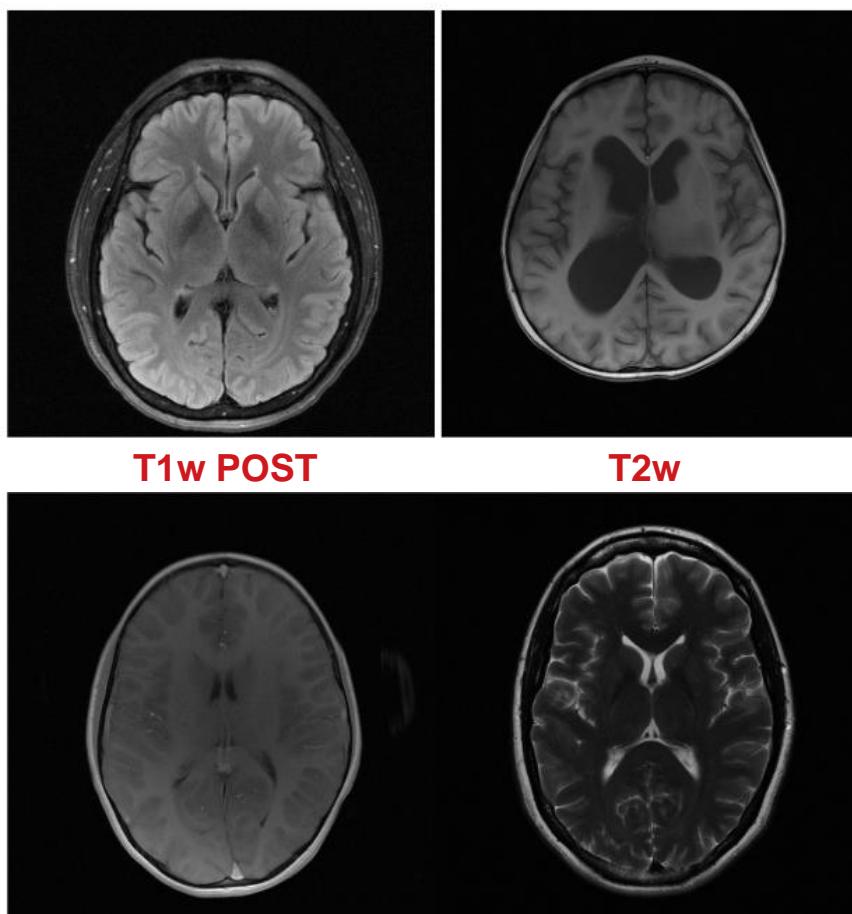


Table 1: Summary of Siemens data for 4X/8X tracks.

Split	T1	T1POST	T2	FLAIR	Total
Siemens/Main Tracks					
train	498	949	2,678	344	4,469
val	169	287	815	107	1,378
test (4X)	33	54	170	24	281
test (8X)	32	68	152	25	277
challenge (4X)	26	67	192	18	303
challenge (8X)	24	65	159	14	262
Transfer Track (4X, all challenge)					
GE	22	29	83	77	211
Philips	18	0	50	50	118

Quantitative Challenge Results

Table 2: Summary of SSIM scores by contrast.

Team	AVG	T1	T1POST	T2	FLAIR
4X Track					
AIRS Medical	0.964	0.967	0.969	0.965	0.930
ATB	0.960	0.964	0.965	0.961	0.924
Nspin	0.959	0.963	0.965	0.960	0.920
8X Track					
AIRS Medical	0.952	0.953	0.969	0.951	0.918
ATB	0.944	0.943	0.954	0.943	0.905
Nspin	0.942	0.940	0.953	0.942	0.898

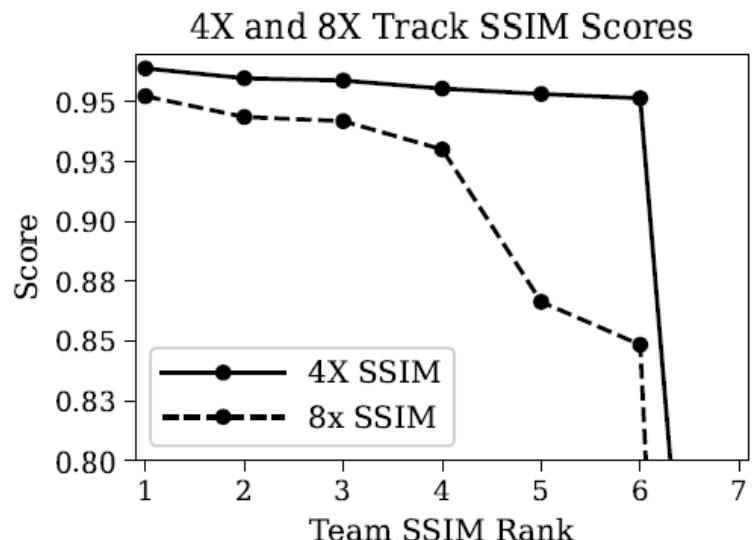
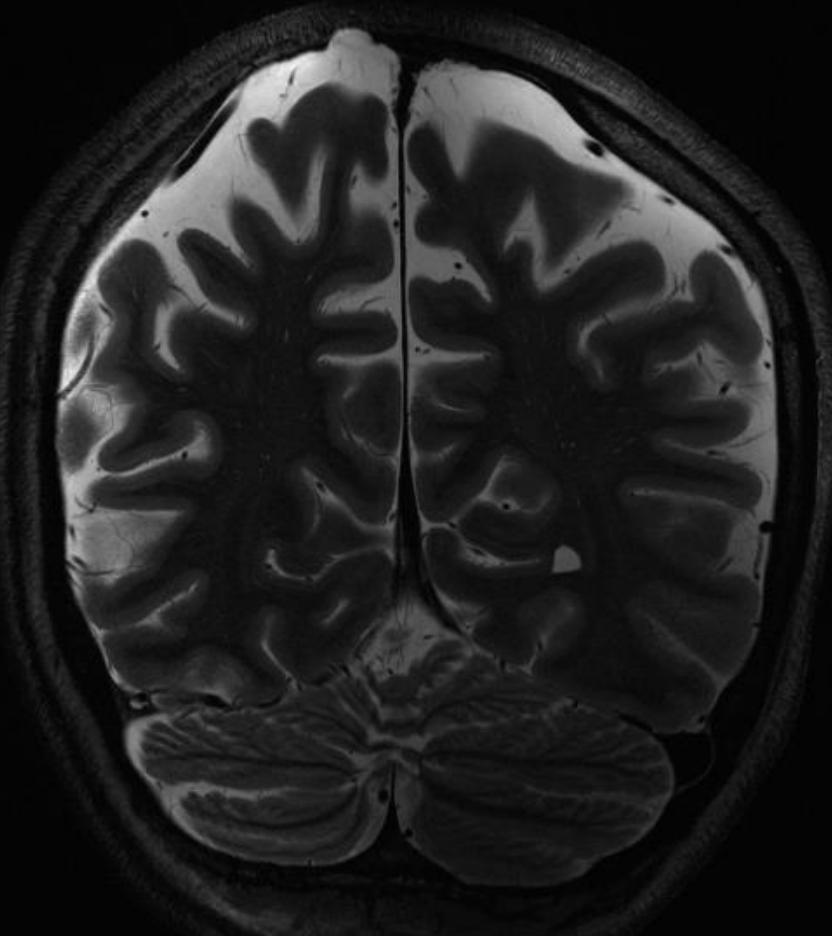


Table 3: Summary of quality ranks and Likert scores (lower is better).

Team	Rank	Artifacts	Sharpness	CNR
4X Track				
AIRS Medical	1.36	1.53	1.53	1.53
Nspin	1.94	1.81	1.72	1.75
ATB	2.22	1.75	1.97	1.86
8X Track				
AIRS Medical	1.28	1.67	1.89	1.94
Nspin	2.25	1.86	2.72	2.28
ATB	2.28	1.92	2.56	2.42

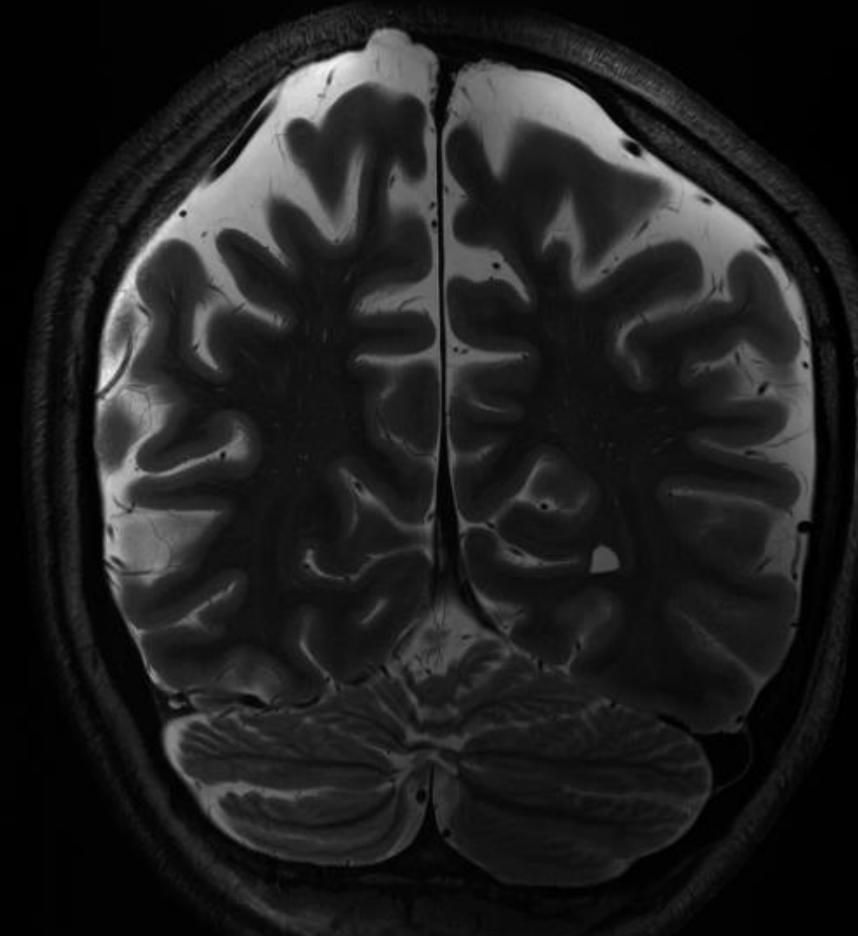


Transfer at 7T on high resolution image (AF=2)



Ground truth, T2, GRAPPA, 7T

Ramzi et al, ISMRM 2021



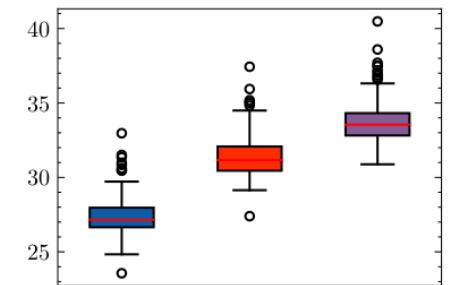
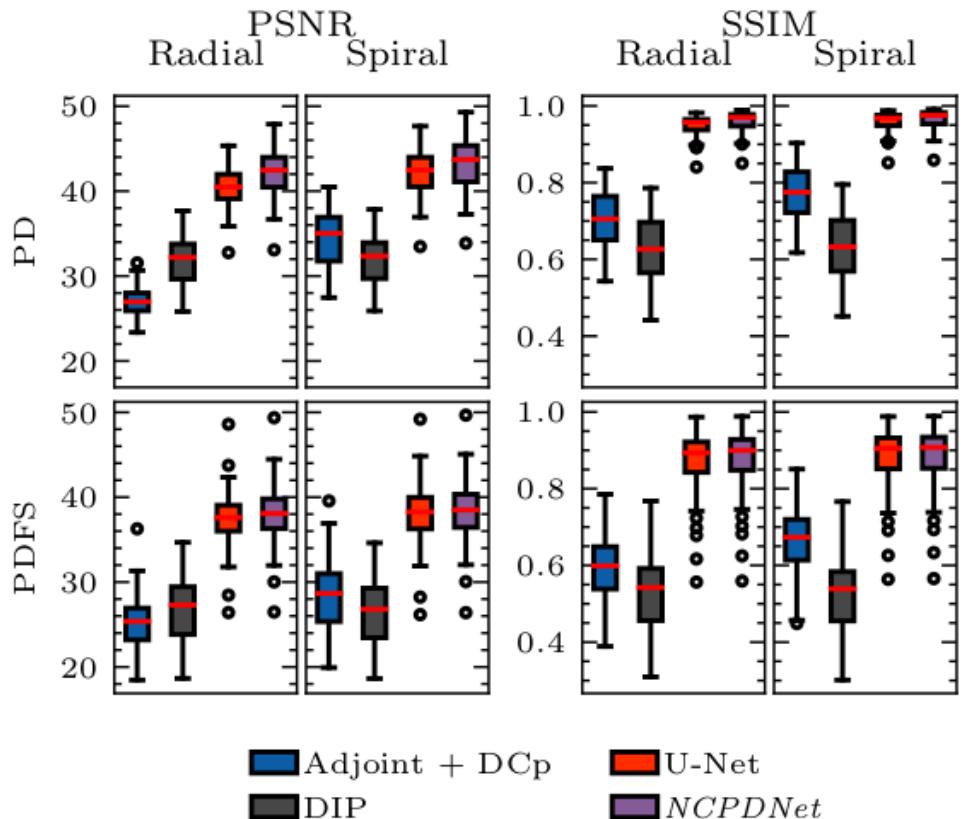
XPDNet recon, trained on R=4, lower res, no cerebellum

NC-PDNet Results

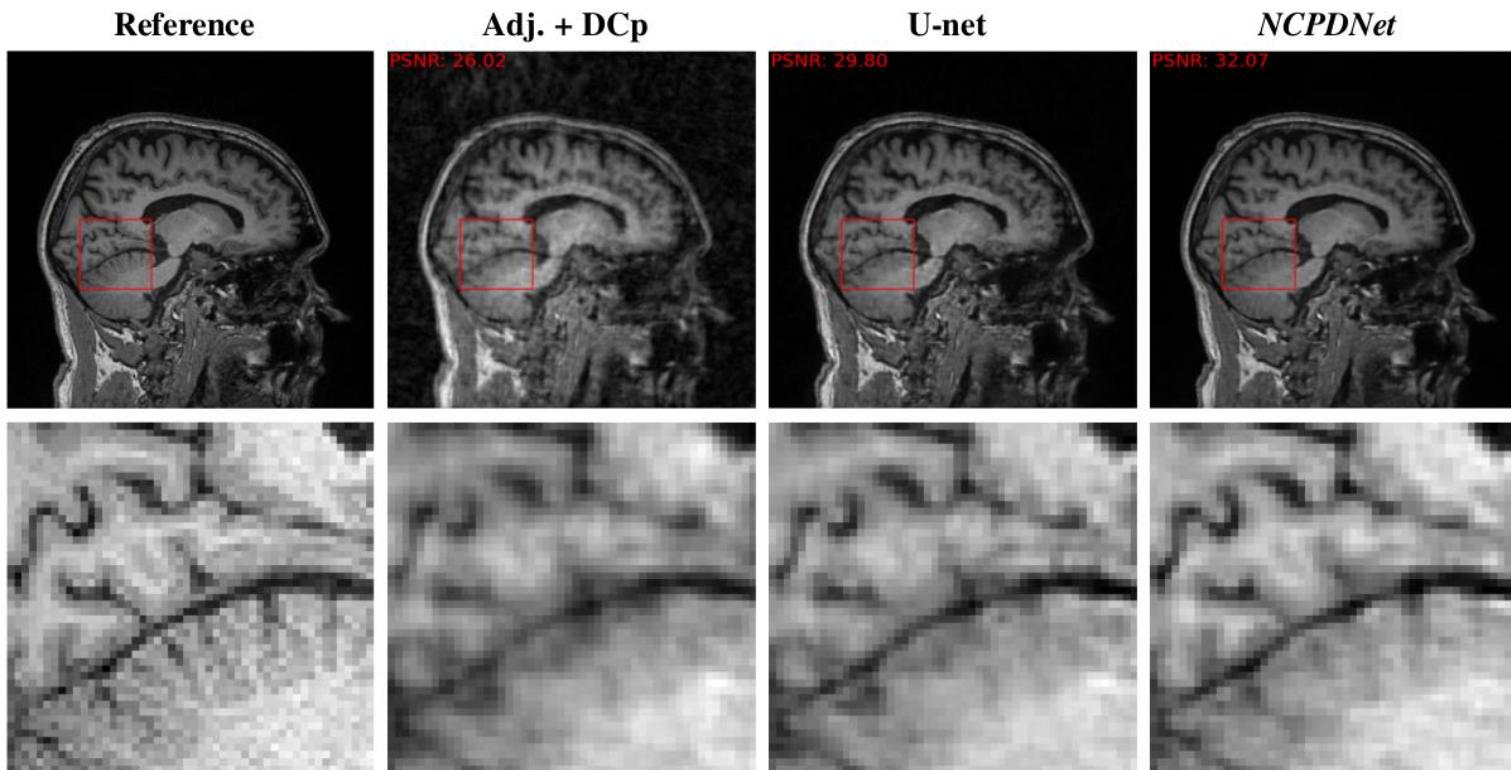
Model	Radial	Spiral	# Parameters
Adjoint + DCp	25.91 / 0.6486	31.36 / 0.7197	0
DIP	29.21 / 0.5834	29.19 / 0.5832	0
U-net on Adjoint + DCp	38.78 / 0.9106	40.02 / 0.9215	481k
NC-PDNet	40.00 / 0.9191	40.68 / 0.9255	163k



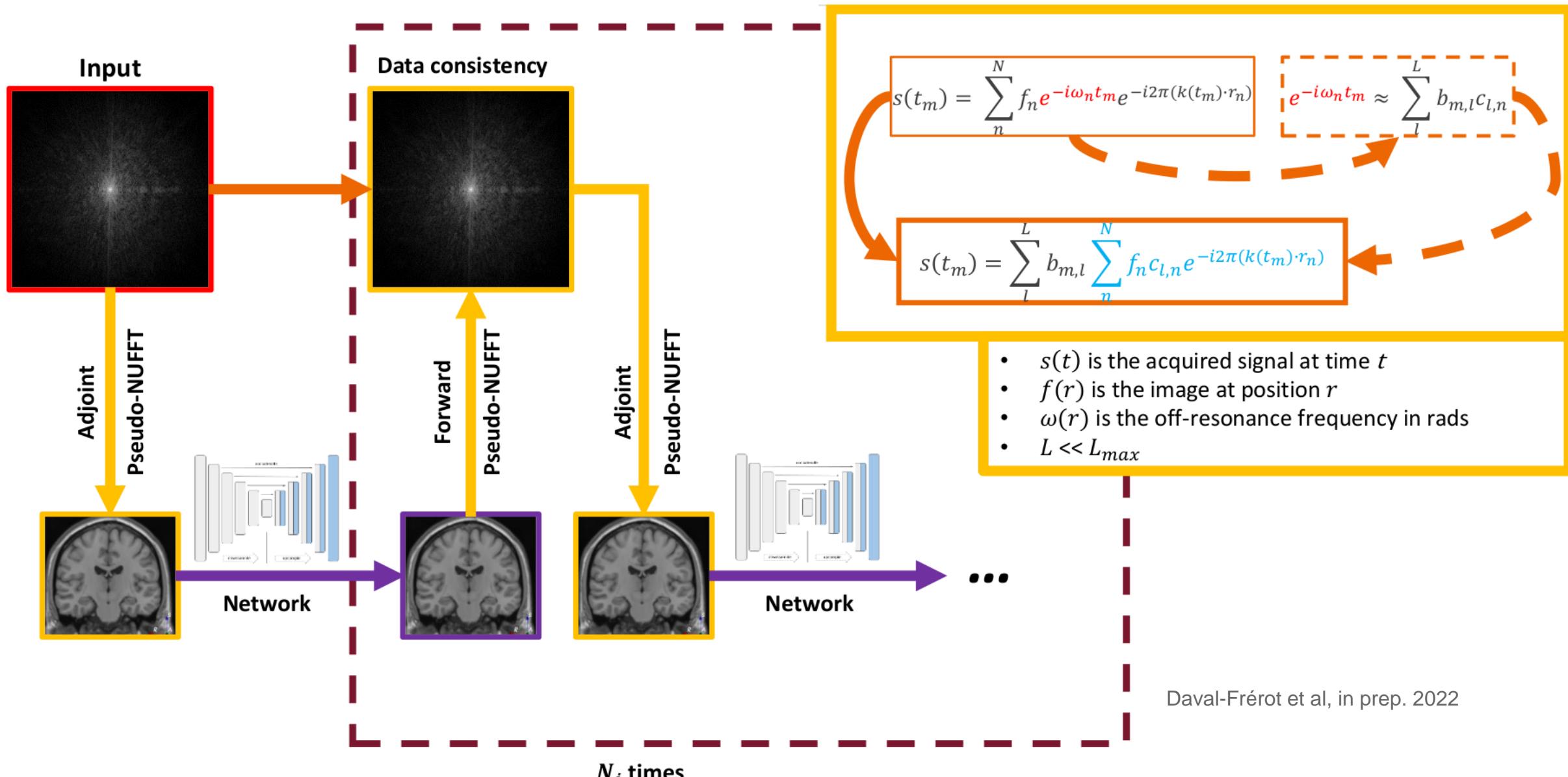
Z. Ramzi



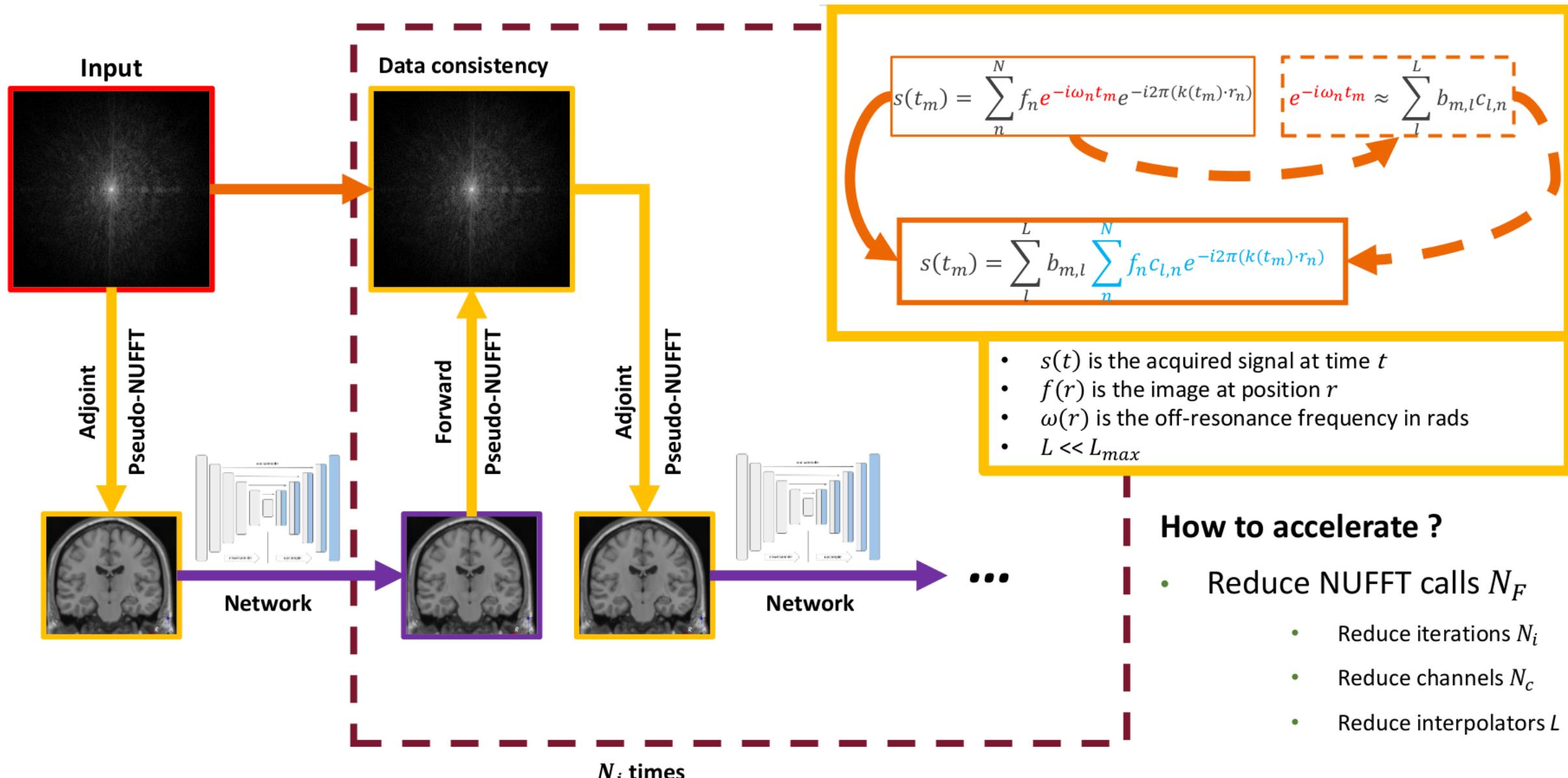
■ Adjoint + DCp ■ U-Net ■ NC-PDNet



Deep-learning – stacked ΔB_0 PD-net architecture



Deep-learning – stacked ΔB_0 PD-net architecture



Deep-learning – Results

Reference (no correction)

$$N_i = 20, N_c = 20$$

Network

$$N_i = 5, N_c = 5, L = 1$$

Network

$$N_i = 5, N_c = 5, L = 3$$

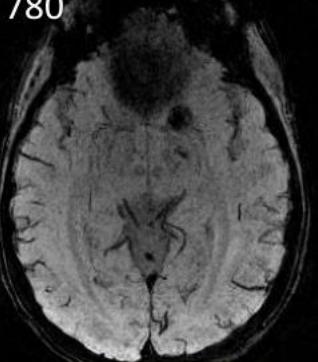
Network

$$N_i = 5, N_c = 5, L = 5$$

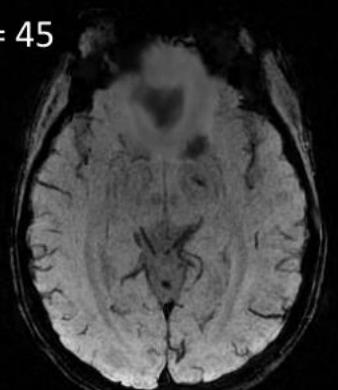
Reference (correction)

$$N_i = 20, N_c = 20, L = 20$$

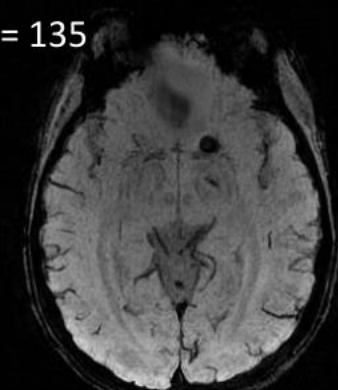
$$N_F = 780$$



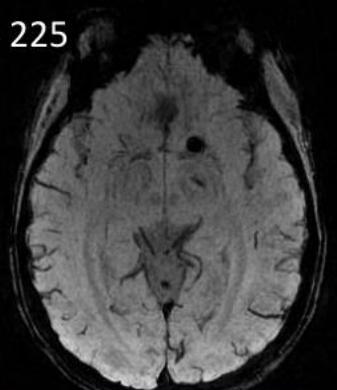
$$N_F = 45$$



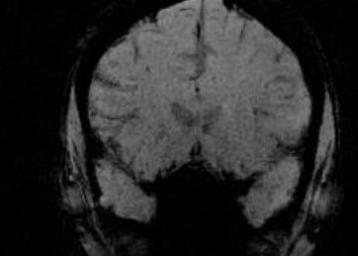
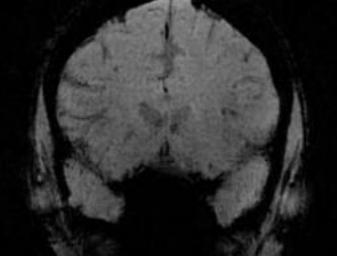
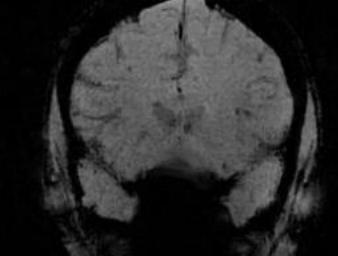
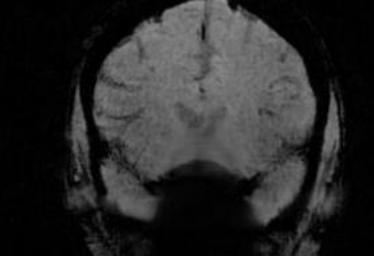
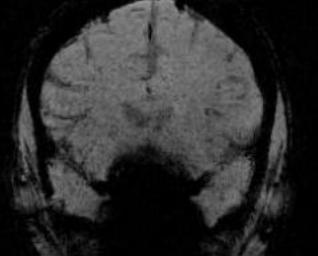
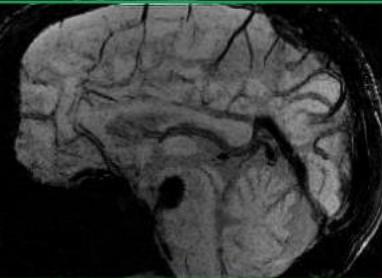
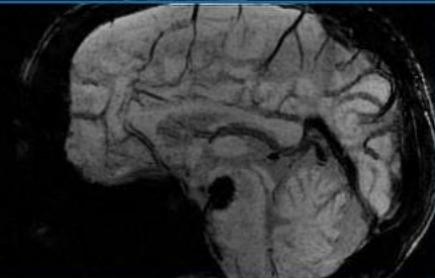
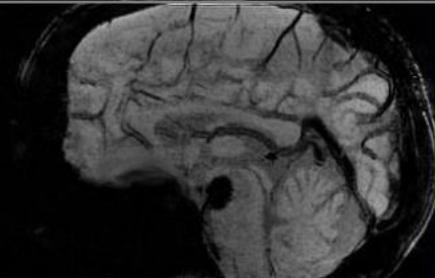
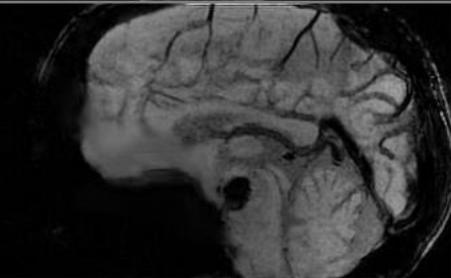
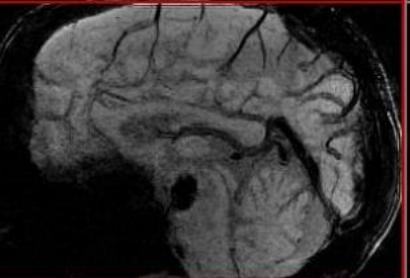
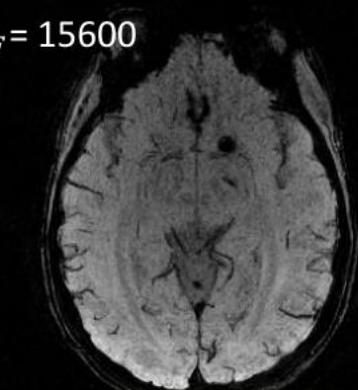
$$N_F = 135$$



$$N_F = 225$$



$$N_F = 15600$$



TEST SCORES

RMSE: 0.033
PSNR: 30.02
SSIM: 0.911

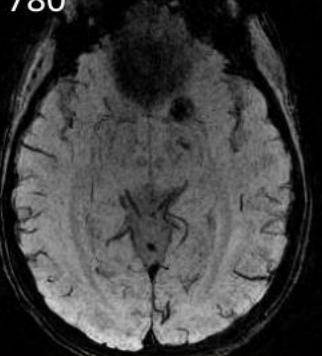
RMSE: 0.025
PSNR: 32.21
SSIM: 0.944

RMSE: 0.022
PSNR: 33.37
SSIM: 0.951

Deep-learning – Results

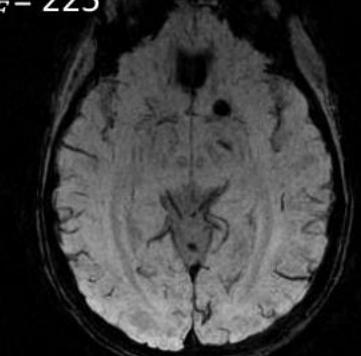
Reference (no correction)

$$N_i = 20, N_c = 20$$

 $N_F = 780$ 

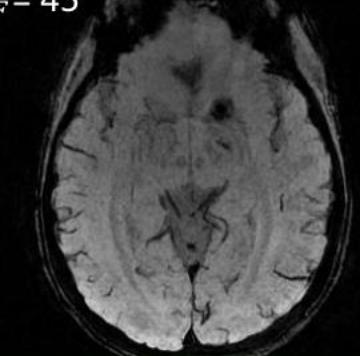
Wavelets

$$N_i = 5, N_c = 5, L = 5$$

 $N_F = 225$ 

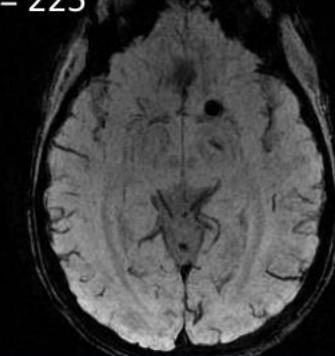
Network (no correction)

$$N_i = 5, N_c = 5$$

 $N_F = 45$ 

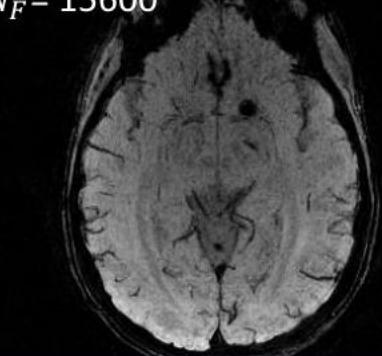
Network

$$N_i = 5, N_c = 5, L = 5$$

 $N_F = 225$ 

Reference (correction)

$$N_i = 20, N_c = 20, L = 20$$

 $N_F = 15600$ 

TEST SCORES

RMSE: 0.027
PSNR: 31.78
SSIM: 0.932

RMSE: 0.028
PSNR: 31.26
SSIM: 0.926

RMSE: 0.022
PSNR: 33.37
SSIM: 0.951

Deep learning is mature for MR image reconstruction in the supervised setting

- Improved image quality at lower computational cost during test phase
- Robustness to various imaging contrasts, SNR, field strengths
- Different network architectures learned for the AF4 and the AF8 tracks

Our XPDNet solution

- Ranked in 2nd position in the 2020 Brain fastMRI challenge, 1st in academia
- Benefits from the physics-based knowledge & the advances of DL (e.g. MWCNN)
- Works for non-Cartesian sampling, in 3D and has been extended to correct for off-resonance artifacts

Outlook

- Towards self-supervision in NC-PDNet
- 4D NC-PDNet for fMRI (model parallelism)

Conclusions & Perspectives

- **Shorter acquisition**
 - 3D SPARKLING available for T2* imaging at 3T & 7T scanners
 - SPARKLING for fMRI is promising
 - Preliminary validation in Sodium MR UTE MRI at 7Tesla (32-fold acceleration)
 - Next: SPARKLING for T1-w, T2-w and diffusion-weighted MRI (structural connectivity)
- **Faster image reconstruction**
 - NC-PDNet for 3D SWI: scalability to multi-coil imaging
 - Integrate ΔB_0 inhomogeneity correction within the image reconstruction network
- **Ongoing works:**
 - Hybrid approach for the joint learning of the non-Cartesian sampling trajectories and image reconstruction networks
 - SPARKLING for Quantitative Susceptibility Mapping (QSM):
 - Deep brain stimulation for Parkinson's disease (Henri Mondor Hospital, Creteil)
 - Neonatal brain imaging in premature infants (Robert Debré hospital, Paris)

Special Acknowledgements



Alexandre
Vignaud, *PhD*



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Mauconduit, *PhD*



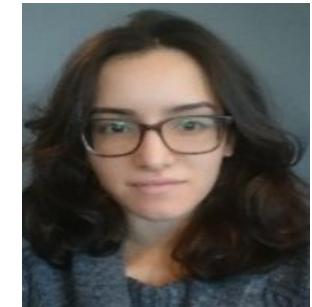
Pierre Weiss,
PhD



Nicolas
Chauffert, *PhD*



Carole Lazarus,
PhD



Loubna
El Gueddari, *PhD*



Aurélien
Massire, *PhD*



Mathilde Ripart
MSc



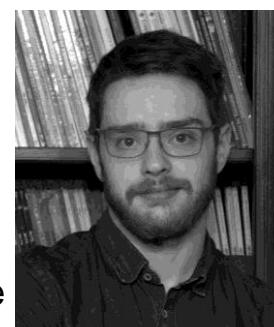
Zaccharie
Ramzi *PhD*



Chaithya GR,
MSc



Guillaume Daval-
Frérot, *Msc*



Pierre-Antoine
Comby, *MSc*



Kumari Pooja, *MSc*



Zaineb Amor, *MSc*

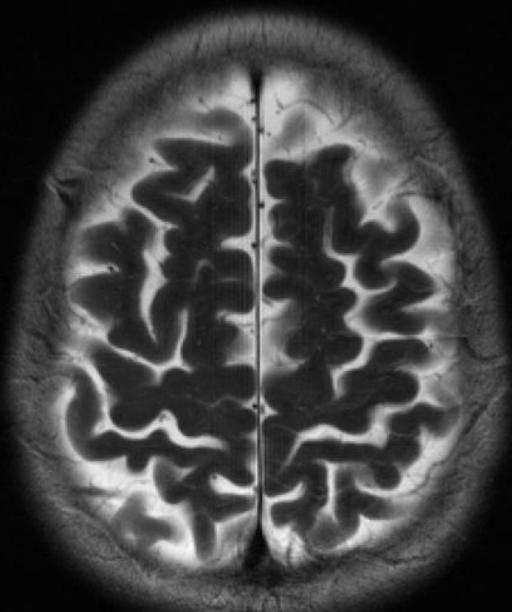
Thank you for your attention!



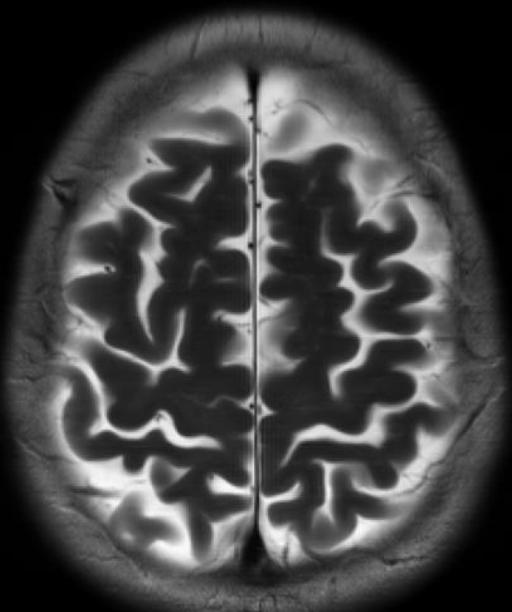
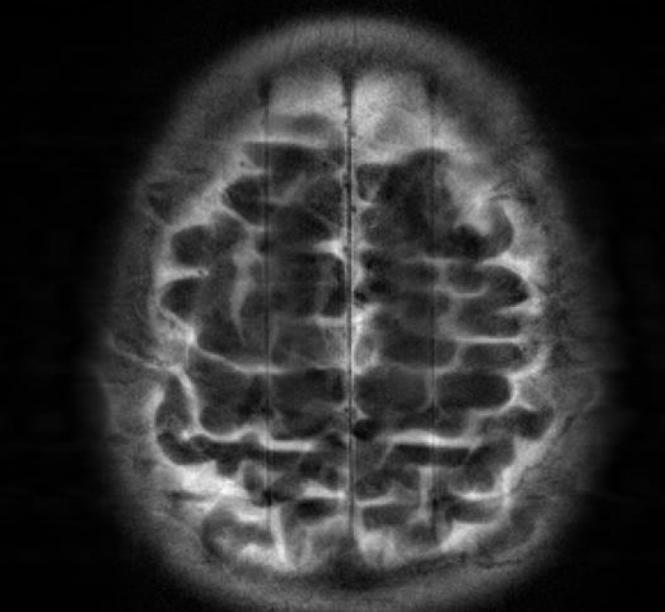
XPDNet vs GRAPPA Reconstruction on Validation fastMRI data

T2 contrast – 8X Track

Ground truth



XPDNet recon (PSNR=36.8dB/SSIM=0.96)

GRAPPA recon
(PSNR=26.1dB/SSIM=0.77)

Recon time: 0.25 s/slice

Recon time: 1. s/slice [TensorFlow]
1.7 s/slice [numpy]

[Ramzi et al, ISMRM 2021]

Compressed Sensing MR Image Reconstruction

$$\hat{\mathbf{x}} = \arg \min_{\mathbf{x} \in \mathbb{C}^{n \times n}} \sum_{\ell=1}^L \frac{1}{2} \|\mathbf{y}_\ell - \tilde{\mathbf{F}}_\Omega \mathbf{S}_\ell \mathbf{x}\|_2^2 + \mathcal{R}(\Psi \mathbf{x})$$

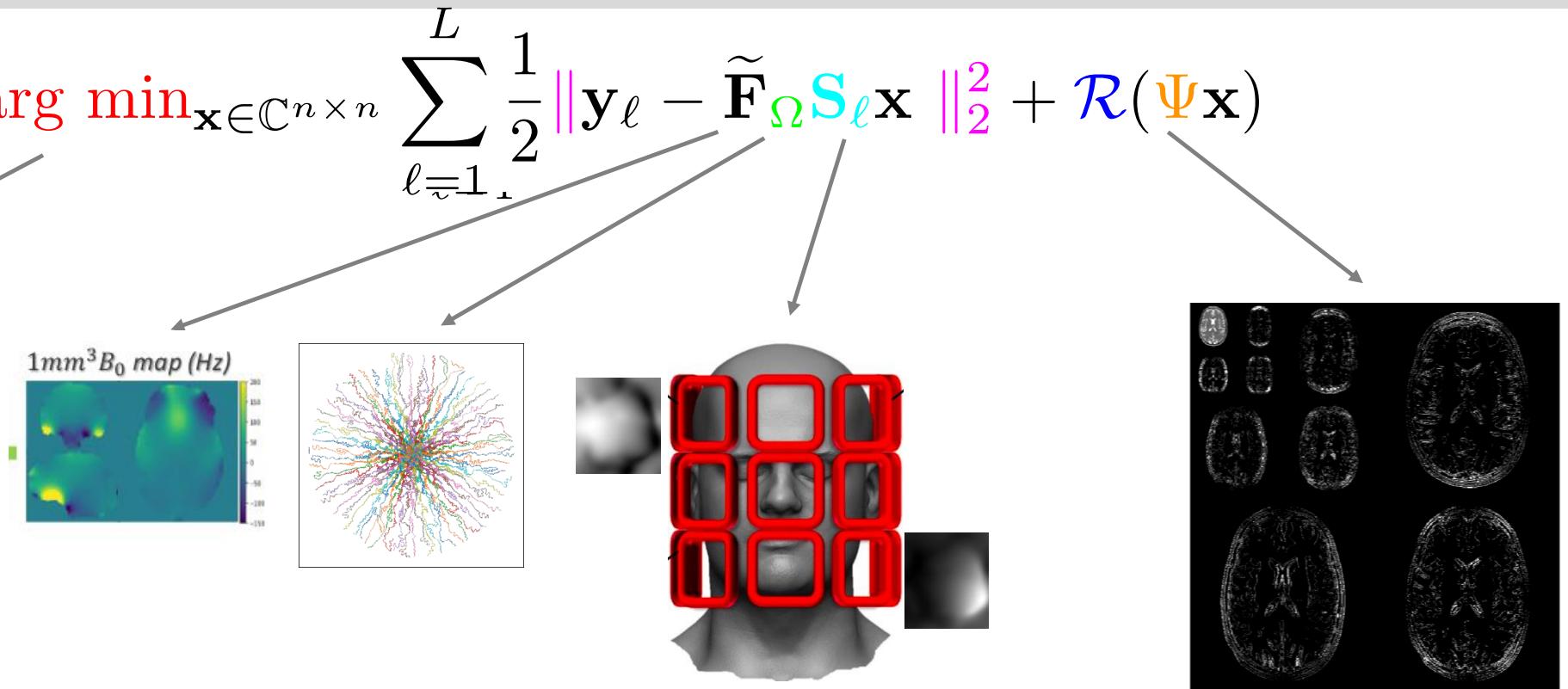
Optimization algorithms
 Forward-Backward
 FISTA, POGM'
 Condat-Vu, PDHG



Pysap
 Python Sparse data Analysis Package

<https://github.com/CEA-COSMIC/pysap>

Farréns et al, *Astrophysics & Computing*, 2020.



$$\mathcal{R} = \|\cdot\|_1, \|\cdot\|_{2,1}, \dots$$