

Onassis Science Lecture

Jul. 5, 2023

Strong Field QED Experiment Performed With a Multi-PW Laser

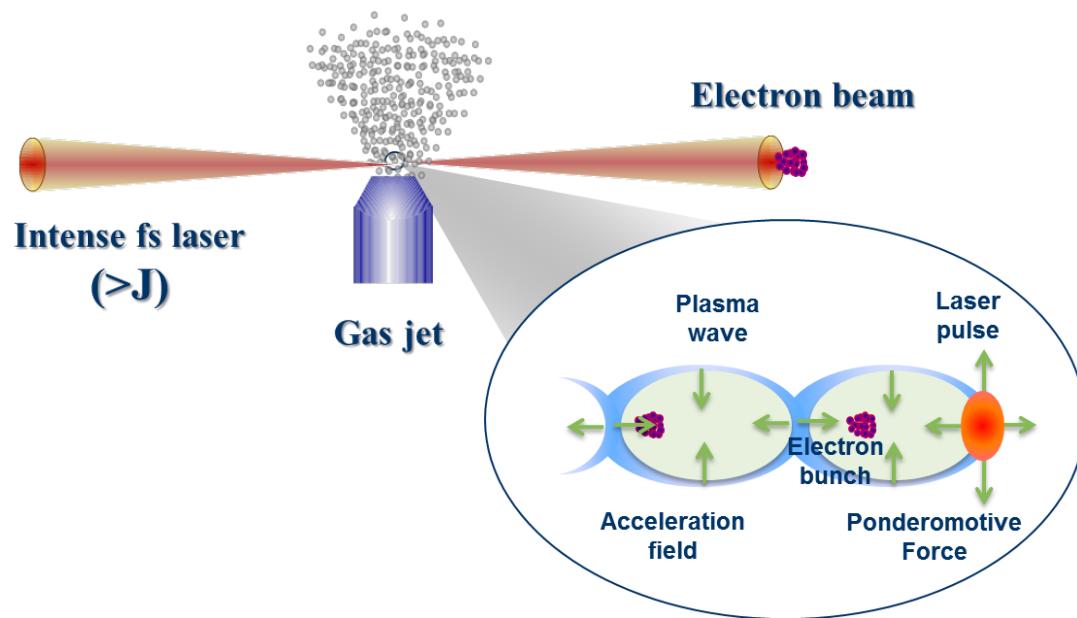
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Dept of Physics & Photon Science, GIST

Overview: Strong field QED research

- A. Laser-driven electron acceleration
- B. Nonlinear Compton scattering

Laser Wakefield Electron Acceleration

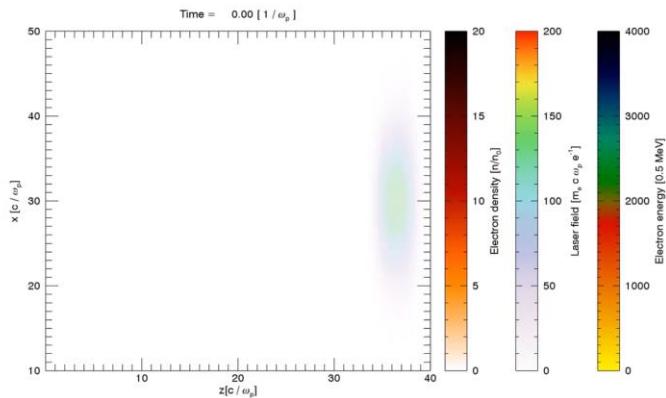


Electrons pushed out by ponderomotive force
and pulled back by the Coulomb force of ions
→ Creation of an electron plasma wave
→ Acceleration of an injected electron bunch
by the plasma wave

Wake waves by ship Surfing to the wave

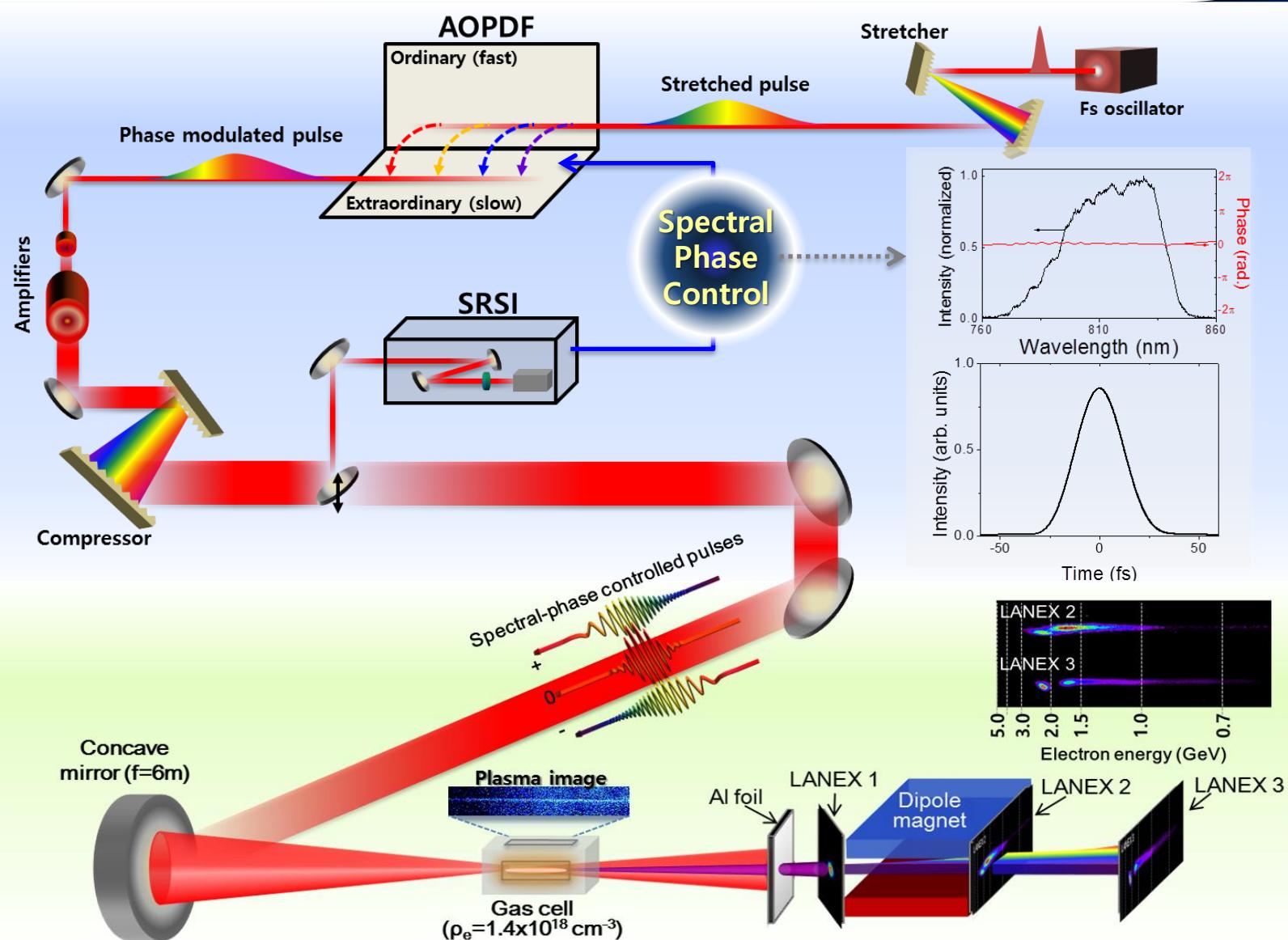


LWFA (2D PIC)



Huge acceleration field
> 100 GeV/m

LWFA with structured PW laser pulses



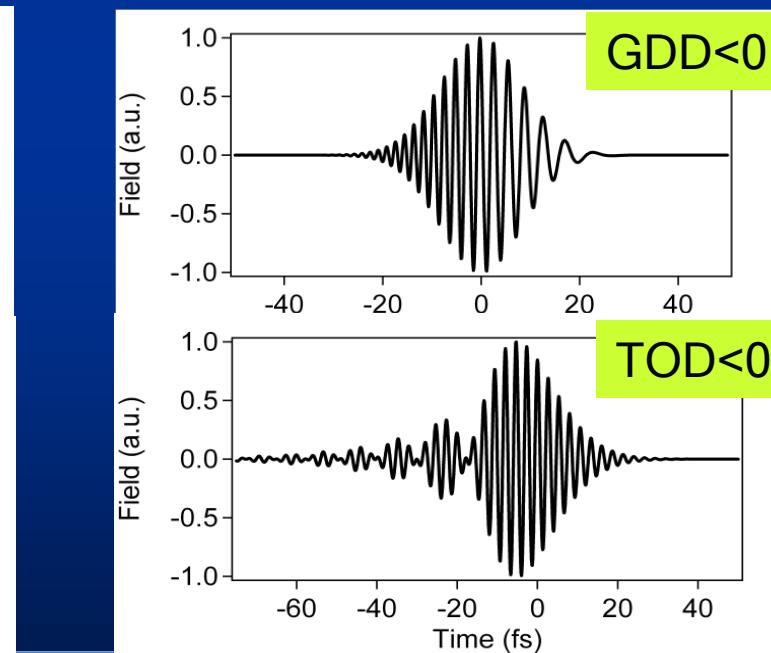
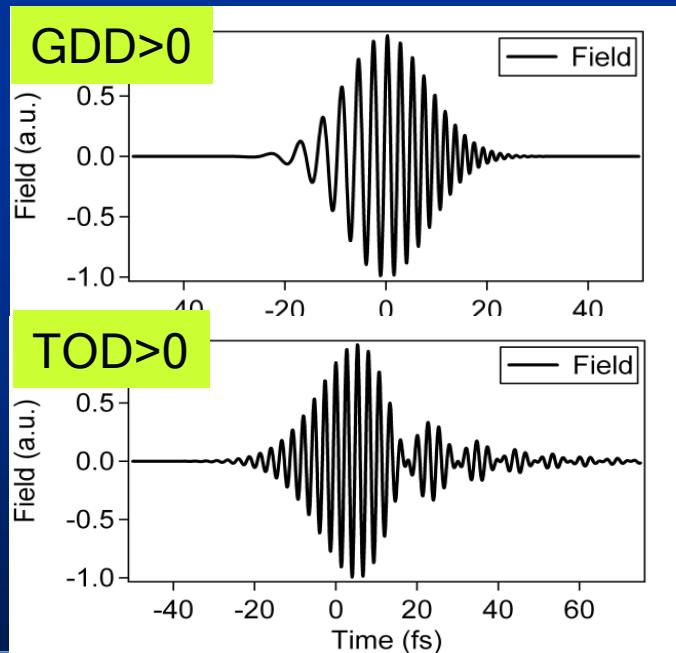
Coherent Control of Laser-Matter Interactions

spectral phase:

$$\varphi(\omega) = \varphi_0 + \varphi_1 \frac{\omega - \omega_0}{1!} + \varphi_2 \frac{(\omega - \omega_0)^2}{2!} + \varphi_3 \frac{(\omega - \omega_0)^3}{3!} + \dots$$

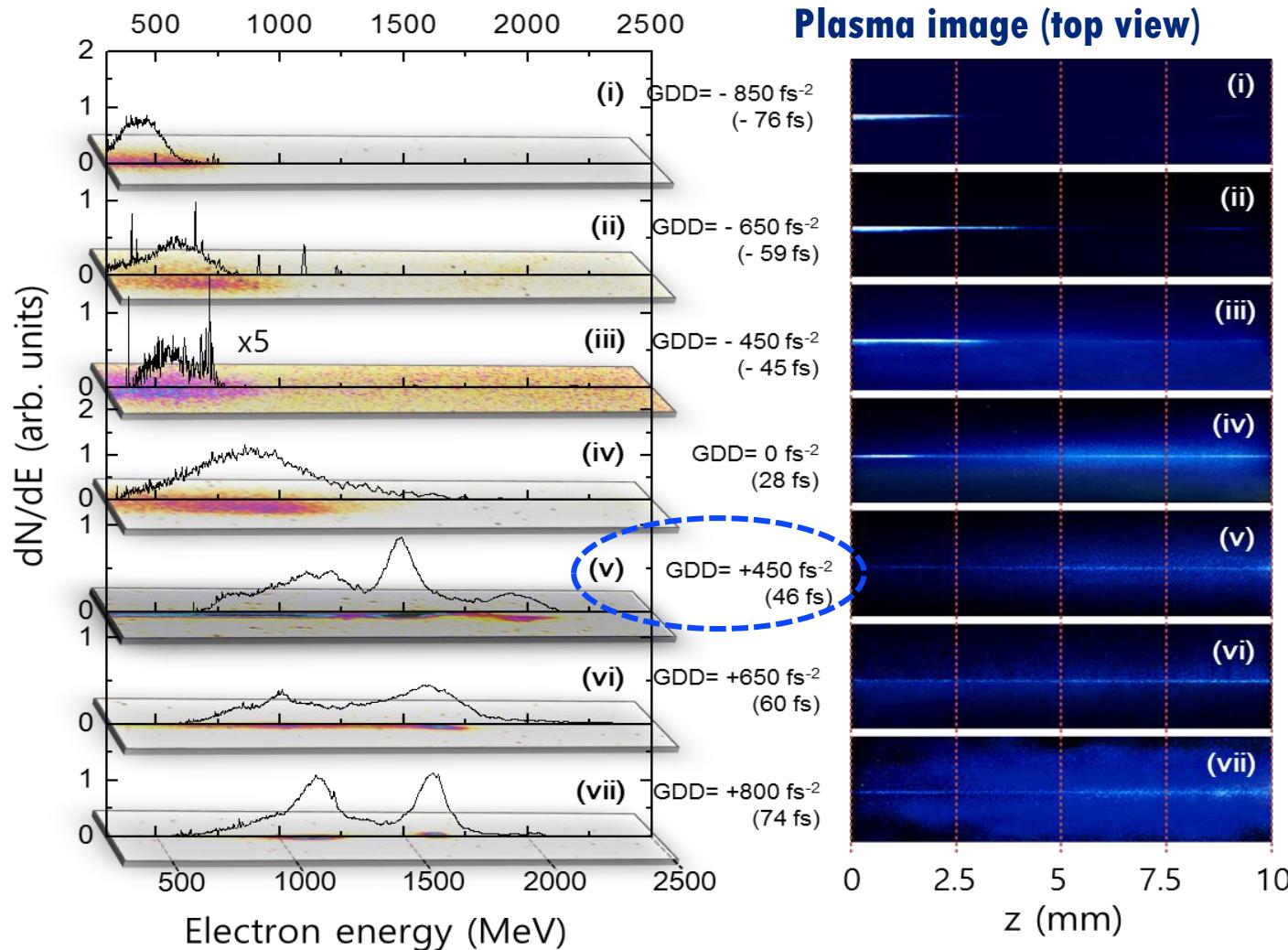
where $\varphi_2 = \left. \frac{d^2 \varphi}{d\omega^2} \right|_{\omega=\omega_0}$ = group-delay dispersion (GDD) = linear chirp ,

$\varphi_3 = \left. \frac{d^3 \varphi}{d\omega^3} \right|_{\omega=\omega_0}$ = 3rd -order spectral phase (TOD) = quadratic chirp



Control of spectral phase: GDD

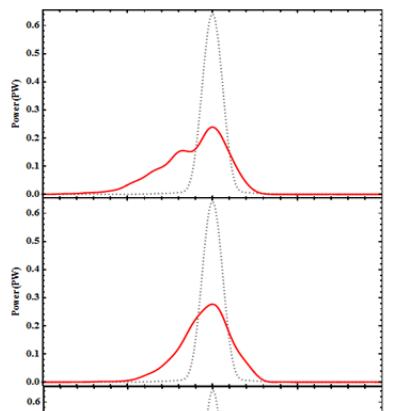
26 J on target, focal spot \sim 35 micron, $N_e \sim 1.4 \times 10^{18} / \text{cc}$, 10 mm cell length



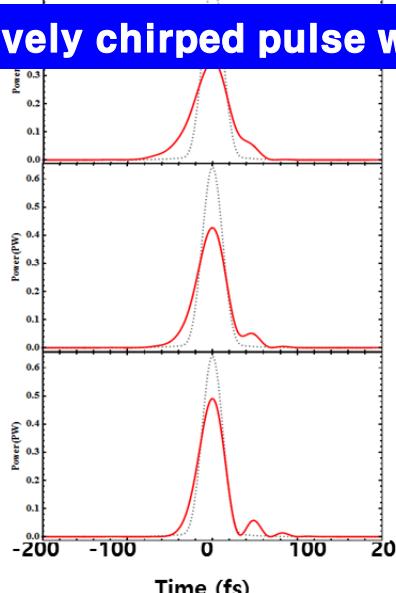
Control of spectral phase: GDD+TOD

Temporal profile

TOD = -10000 fs^{-3}
 $\tau = 75 \text{ fs}$



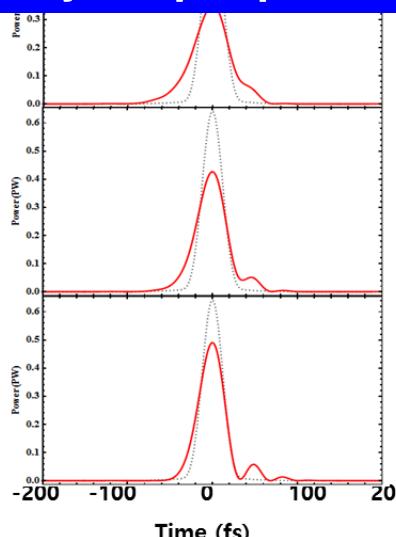
TOD = -4000 fs^{-3}
 $\tau = 61 \text{ fs}$



TOD = Positively chirped pulse with negative TOD provided the best result.

$\tau = 46 \text{ fs}$

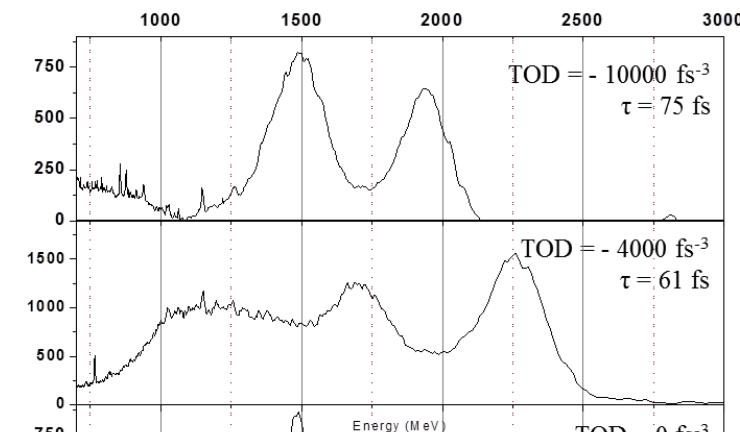
TOD = 4000 fs^{-2}
 $\tau = 39 \text{ fs}$



TOD = 10000 fs^{-2}
 $\tau = 46 \text{ fs}$

Electron spectrum

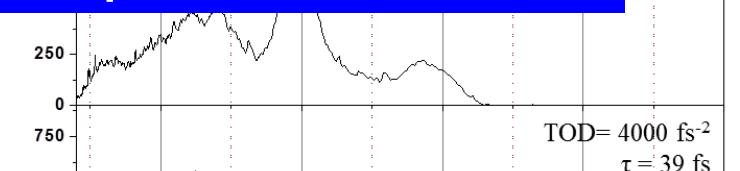
Energy (MeV)



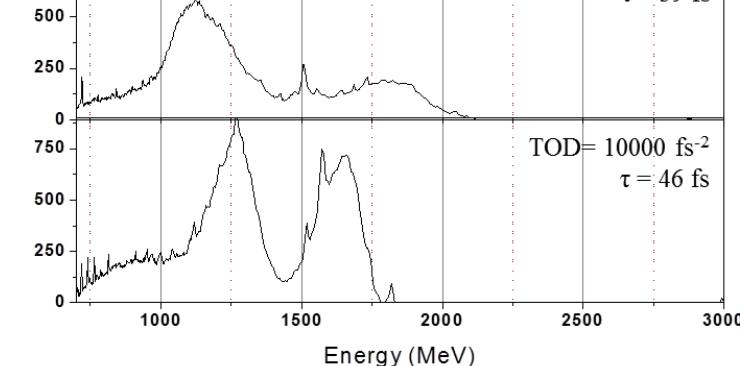
TOD = -4000 fs^{-3}
 $\tau = 61 \text{ fs}$



TOD = 4000 fs^{-2}
 $\tau = 39 \text{ fs}$



TOD = 10000 fs^{-2}
 $\tau = 46 \text{ fs}$

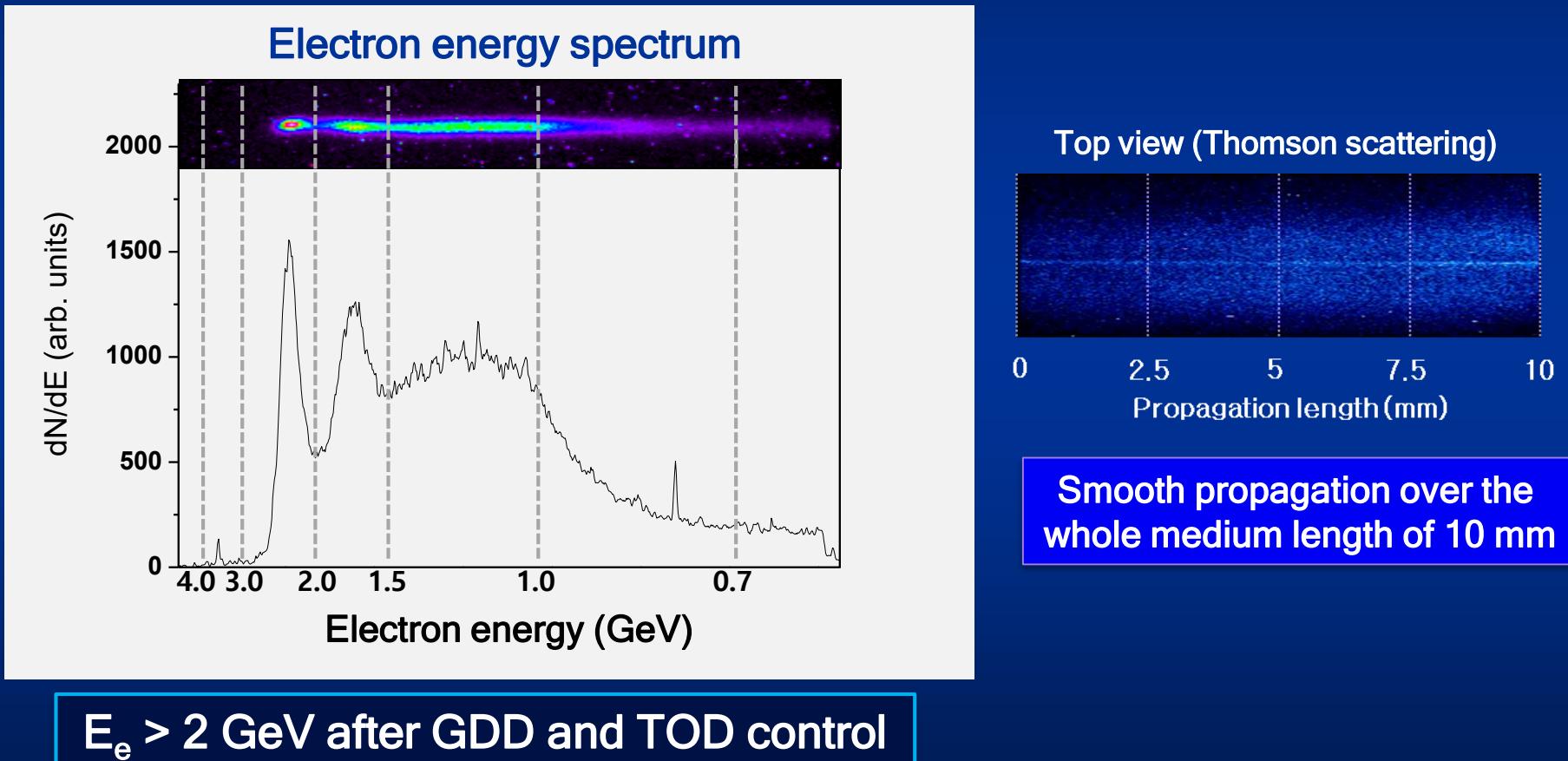


Electrons over 2 GeV from a 10-mm gas cell

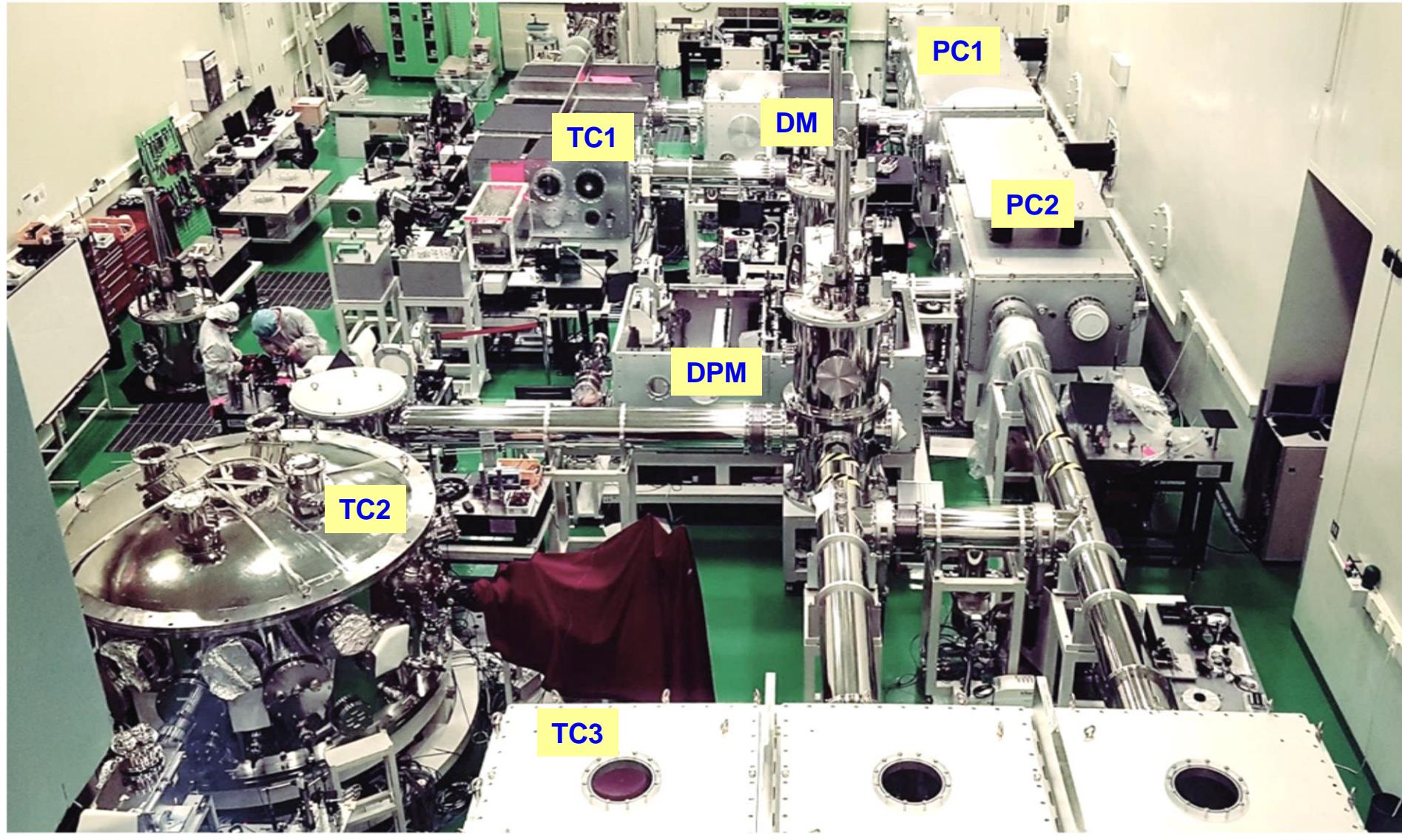
Gas cell length = 10 mm

Positively chirped 61 fs

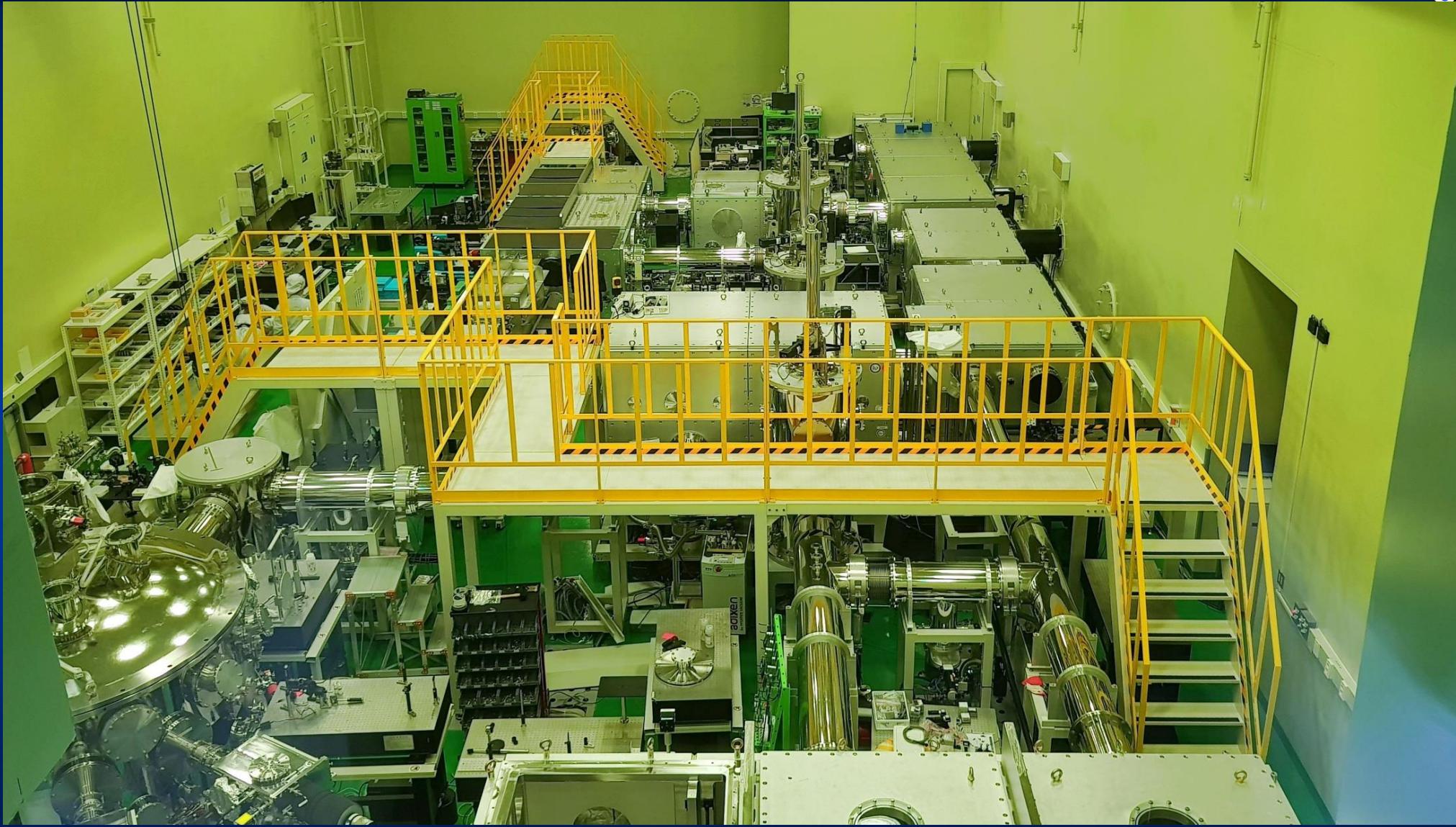
Intensity = $2 \times 10^{19} \text{ W/cm}^2$ ($a_0=3$)



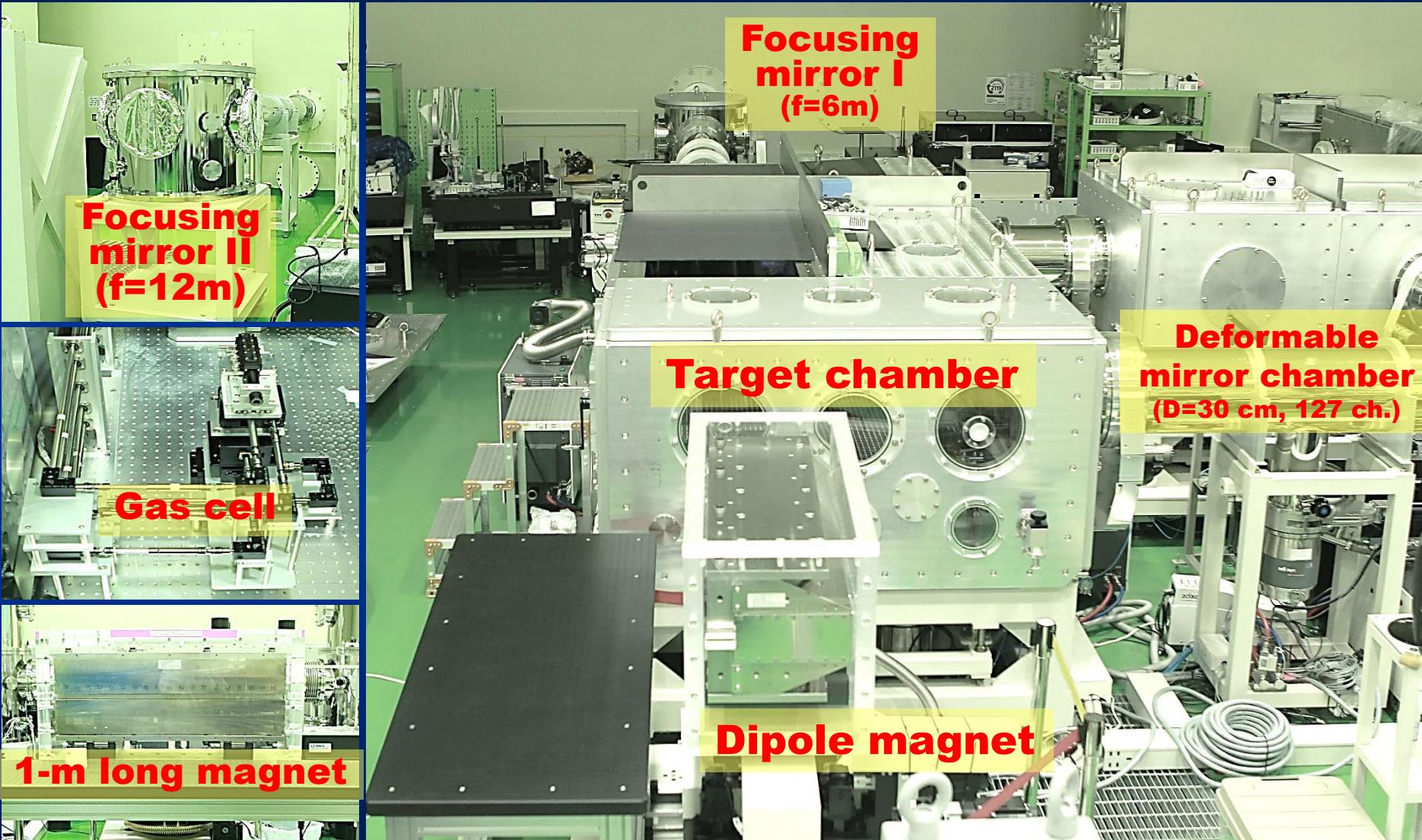
PW Laser Experimental Area



PW Laser Experimental Area (2018)



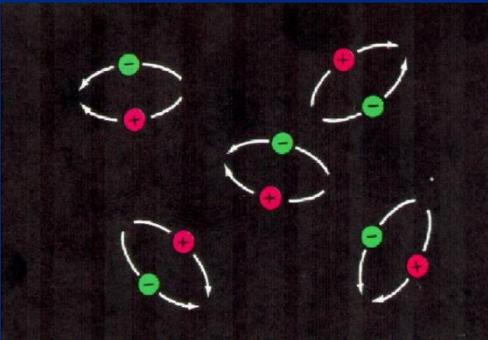
Target chamber for LWFA with 4 PW laser



Pair production from vacuum

Vacuum fluctuations (quantum vacuum)

Creation and annihilation of electron-positron pairs occurs continually in quantum vacuum.



$$\begin{aligned}\delta E &= mc^2 \\ \rightarrow \delta t &= \hbar/mc^2 \\ \rightarrow \delta x &= c\delta t = \hbar/mc = \bar{\lambda}_C\end{aligned}$$



Schwinger field (E_S) for nonlinear optics in vacuum

Field-driven pair production over $\bar{\lambda}_C$ in vacuum

$$eE_S\bar{\lambda}_C = m_e c^2 \text{ where } \bar{\lambda}_C = \frac{\hbar}{m_e c} = 3.9 \times 10^{-11} \text{ cm}$$

$$E_S = \frac{m_e^2 c^3}{e\hbar} = 1.3 \times 10^{16} \text{ V/cm: } \text{Schwinger limit}$$

$$I_S = 2 \times 10^{29} \text{ W/cm}^2: \text{the corresponding laser intensity}$$

Strong Field Quantum Electrodynamics (QED)

quantum electrodynamics (QED): relativistic quantum field theory of electrodynamics
(quantum mechanics + special relativity)

QED: anomalous magnetic moment of electron

Lamb shift of the energy levels of hydrogen ($^2S_{1/2}$ and $^2P_{1/2}$)

χ_e : quantum nonlinearity parameter for strong-field QED

Field-driven pair production over $\bar{\lambda}_C$ with field ($F_{\mu\nu}$) and electron (p_μ)

$$\chi_e = \frac{1}{m_e c^2} \frac{\bar{\lambda}_C}{c} \sqrt{\left(\frac{e}{m_e} F_{\mu\nu} p^\nu \right)^2} = \frac{E_{\text{proper}}}{E_S}$$

$\Rightarrow 2\gamma E/E_S$ for a counterpropagating relativistic electron

Pair production when $\chi_e \gtrsim 1$,

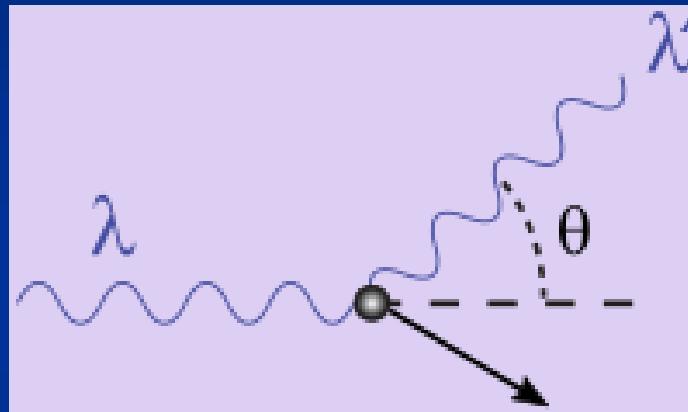
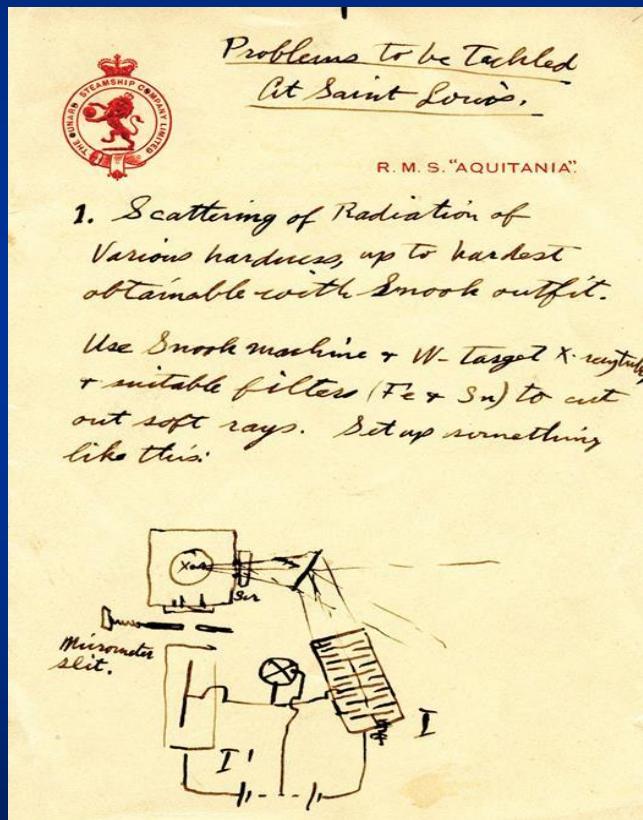
For a rest electron, $I \sim I_S = 2 \times 10^{29} \text{ W/cm}^2$ for $\chi_e = 1$

For a 2.5-GeV electron, $I \sim 10^{-8} I_S = 2 \times 10^{21} \text{ W/cm}^2$ for $\chi_e = 1$

Compton scattering

Compton scattering:

the scattering of an x-ray or gamma-ray photon with an electron, resulting in a decrease in energy (increase in wavelength) of the photon



A. H. Compton, Phys. Rev. **21**, 483 (1923).
(x-ray source: Mo K_{α} at 17 keV)

$$\lambda' - \lambda = \frac{h}{mc} (1 - \cos \theta),$$

$$\text{or } E_{\gamma'} = \frac{E_{\gamma}}{1 + \frac{E_{\gamma}}{mc^2} (1 - \cos \theta)},$$

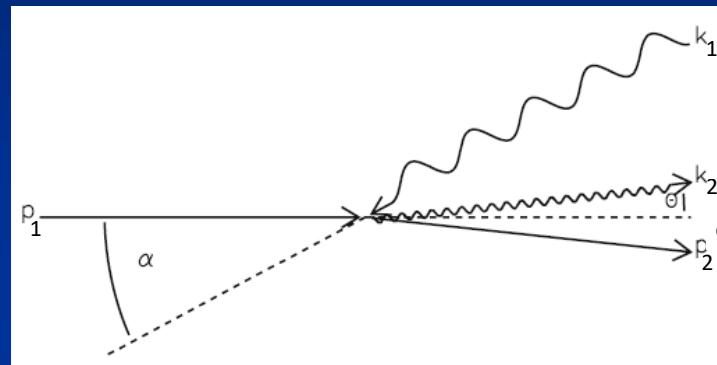
$$\text{with } E_{\gamma} = \frac{hc}{\lambda}$$

Problems to be tackled at Washington Univ in St. Louis
(memorandum written in his return journey to US from Cambridge in 1920)

Compton scattering bet. an ultra-relativistic electron & a photon

Inverse Compton scattering (Compton back-scattering):

a high-energy charged particle transfers part of its energy to a photon, resulting in an increase in energy (decrease in wavelength) of the photon.



$$\text{Energy - momentum conservation, } p_1^\mu + k_1^\mu = p_2^\mu + k_2^\mu \quad (1)$$

$$p^\mu = (E/c, \vec{p}) = (\gamma mc, \gamma m\vec{v}); k^\mu = (\hbar\omega/c, \hbar\vec{k})$$

$$(p_1^\mu + k_1^\mu)(p_{1\mu} + k_{1\mu}) = (p_2^\mu + k_2^\mu)(p_{2\mu} + k_{2\mu}) \rightarrow p_1^\mu k_{1\mu} = p_2^\mu k_{2\mu}$$

$$p^\mu p_\mu = \gamma^2 m^2 c^2 - \gamma^2 m^2 v^2 = m^2 c^2; \quad k^\mu k_\mu = 0$$

$$k_{2\mu} \times (1), \quad k_{2\mu}(p_1^\mu + k_1^\mu) = k_{2\mu}(p_2^\mu + k_2^\mu) = k_{2\mu} p_2^\mu = p_1^\mu k_{1\mu}$$

$$A_\mu B^\mu = A_0 B_0 - \vec{A} \cdot \vec{B}, \quad E_i = \hbar\omega_0 = \hbar c k_1; \quad E_f = \hbar\omega_2 = \hbar c k_2$$

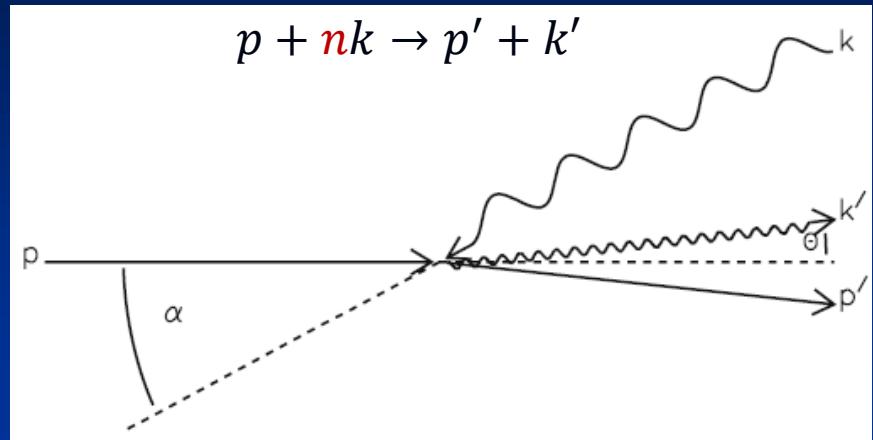
Energy of scattered photon

$$\gamma m E_f (1 - \beta \cos \theta) + \frac{1}{c^2} E_i E_f \{1 + \cos(\alpha - \theta)\} = \gamma m E_i (1 + \beta \cos \alpha)$$

$$\rightarrow E_f = \frac{\gamma m c^2 (1 + \beta \cos \alpha)}{\gamma m c^2 (1 - \beta \cos \theta) + E_i \{1 + \cos(\alpha - \theta)\}} E_i = \frac{1 + \beta \cos \alpha}{1 - \beta \cos \theta + \frac{E_i}{\gamma m c^2} \{1 + \cos(\alpha - \theta)\}} E_i$$

$$\text{For for } \beta \approx 1, \theta \approx 0, \quad E_f = \frac{1 + \cos \alpha}{1 - \beta + \frac{E_i}{\gamma m c^2} (1 + \cos \alpha)} E_i \quad \rightarrow E_f = 2\gamma^2 (1 + \cos \alpha) E_i$$

Nonlinear Compton scattering in a strong EM field



Energy-momentum conservation under a background EM field

$$p^\mu + \frac{a_0^2 m^2 c^2}{4 k_\nu p^\nu} k^\mu + n k^\mu = p'^\mu + \frac{a_0^2 m^2 c^2}{4 k_\nu p'^\nu} k^\mu + k'^\mu$$

EM-field-dressed momentum

classical nonlinearity parameter: $a_0 = \frac{eE_0}{m\omega c} = \frac{eA_0}{mc^2}$

Energy of the scattered photon

$$\varepsilon_{\gamma'} = \hbar\omega' = \hbar c k' = \frac{n\gamma^2(1 + \beta \cos \alpha)}{\gamma^2(1 - \beta \cos \theta) + \left[\frac{n\gamma\varepsilon_L}{mc^2} + \frac{a_0^2/4}{1 + \beta \cos \alpha} \right] [1 + \cos(\theta - \alpha)]} \varepsilon_L \quad (\varepsilon_L = \hbar\omega_0)$$

For $\beta \approx 1, \theta \approx 0$,

$$\varepsilon_{\gamma'} = \frac{2n\gamma^2(1+\cos\alpha)}{1 + \frac{a_0^2}{2} + \frac{2n\gamma\varepsilon_L}{m_e c^2} (1 + \cos\alpha)} \varepsilon_L$$

Bamber et al., PRD **60**, 092004 (1999); Melissinos, Strong Field Laser Physics, 497 (2008)

Strong field QED: All-optical Compton scattering

Linear Compton scattering

- $\omega'_{\max} \approx 4 \gamma^2 \omega_0$
 - 100 MeV with 2 GeV e-beam
 - 2.5 GeV with 10 GeV e-beam

Nonlinear Compton scattering

- $\omega'_{\max} \approx 4 n \gamma^2 \omega_0 / (1 + a_0^2/2)$

PW(1): LWFA
(F/# = 40)

Parameters that control NLQED processes:

$$\chi_e = 2\gamma E/E_S \approx 0.3 \frac{\epsilon}{GeV} \sqrt{\frac{I}{10^{21} W/cm^2}}$$

$$\chi_\gamma \approx \frac{\hbar\omega}{m_e c^2} \frac{E}{E_s}$$

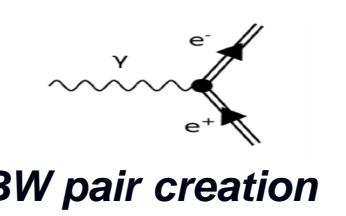
He gas cell

PW(2): Scattering
(F/# = 1.8)

Dipole magnet

e-beam dump

Gamma-ray detector



BW pair creation

PW laser

e-beam by LWFA
(p)

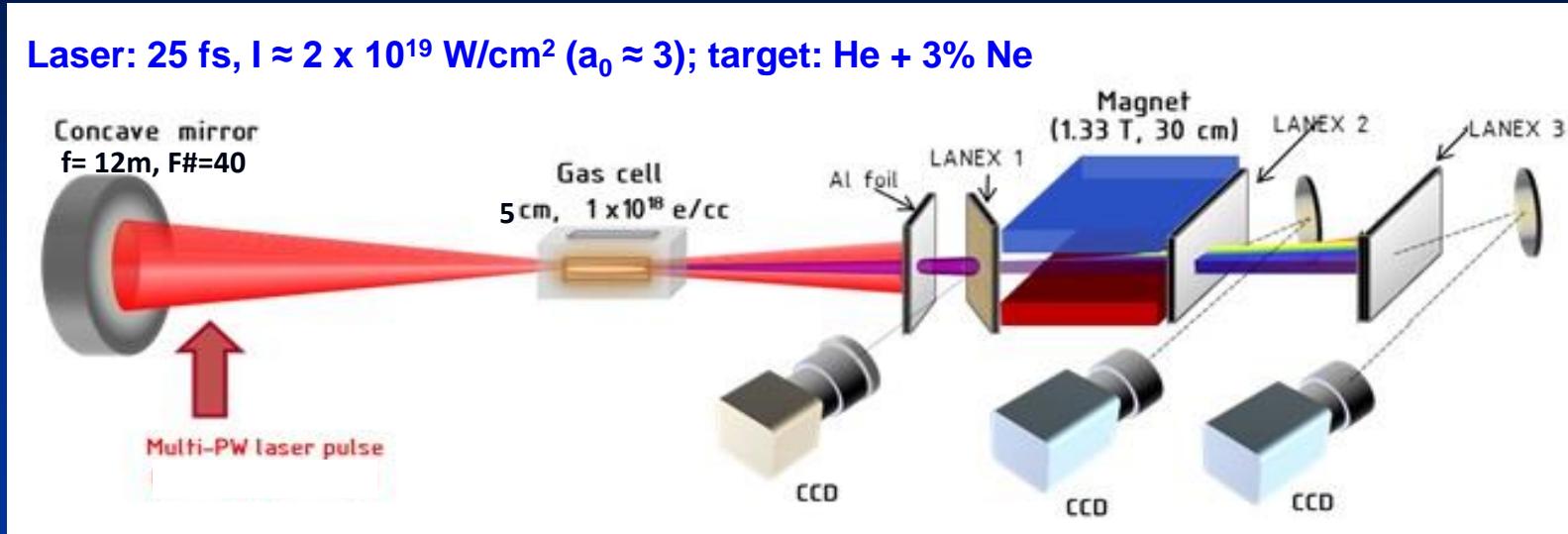
Radiation reaction

Pair creation

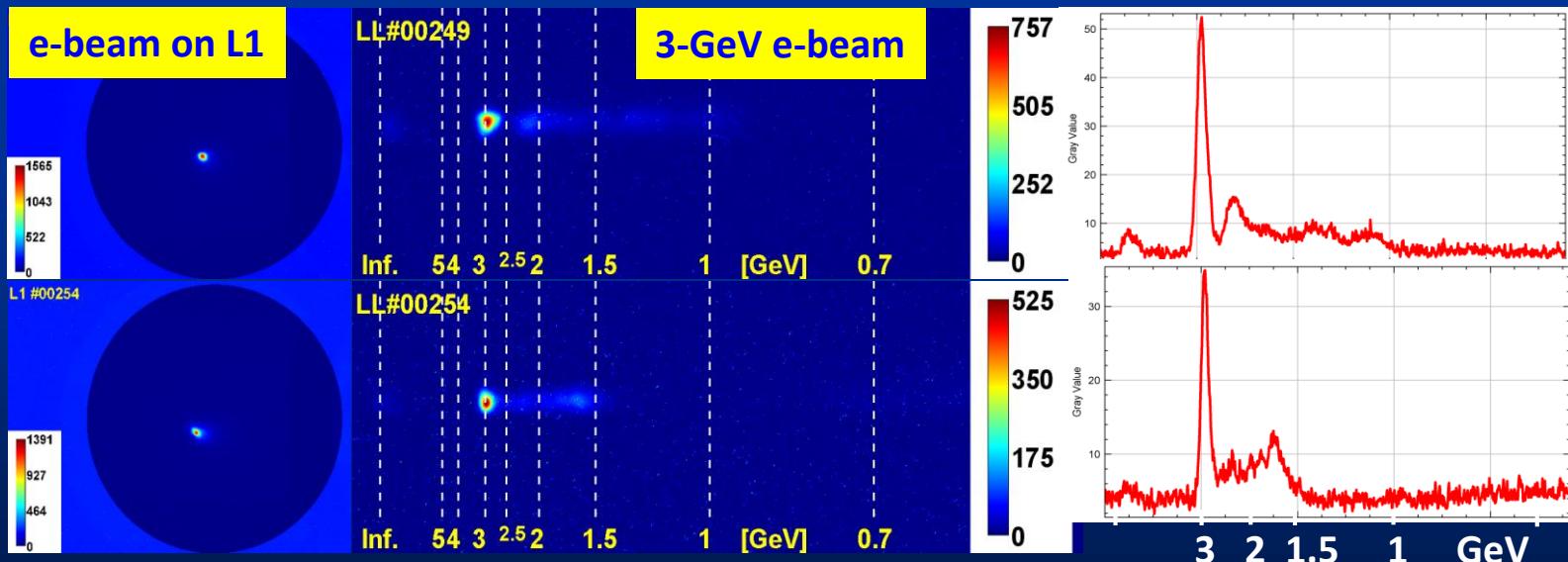
Compton gamma-ray
(p')

Generation of Multi-GeV Electron Beams

Laser: 25 fs, $I \approx 2 \times 10^{19} \text{ W/cm}^2$ ($a_0 \approx 3$); target: He + 3% Ne

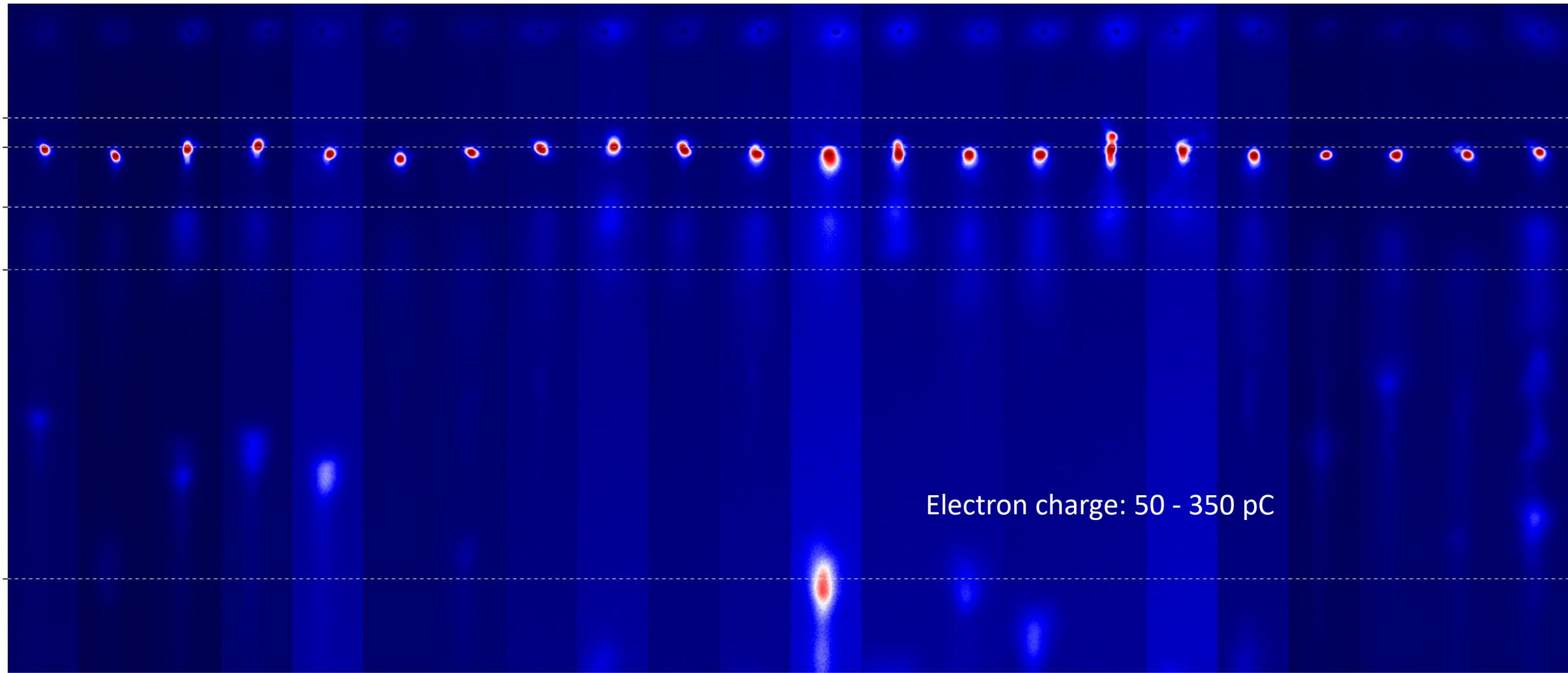


- linear pol. @800 nm, 25 fs
- Gas cell with He +3%Ne
- Focusing with $f=12\text{m}$ ($f/\# = 43$)

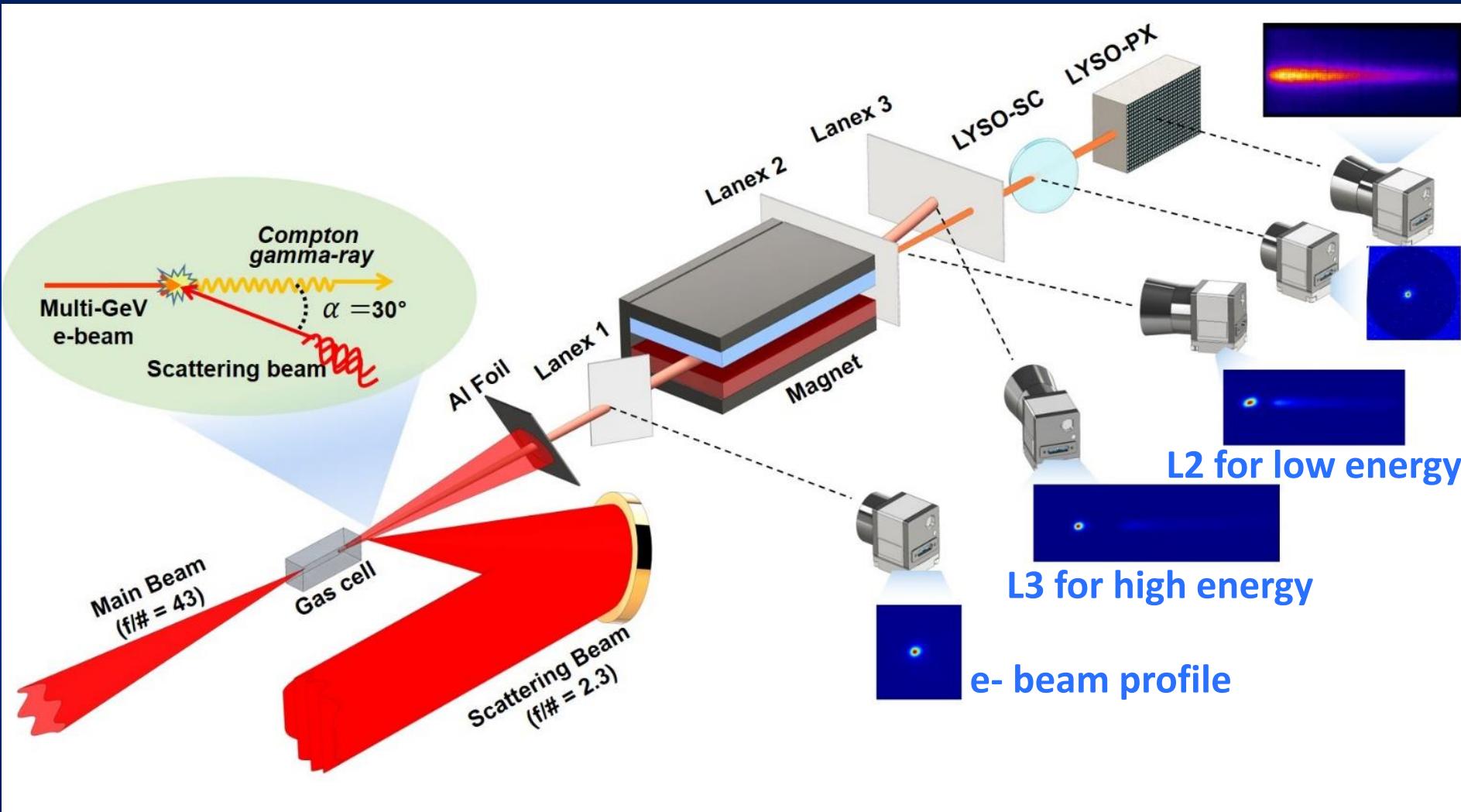


Low divergence $\sim 1\text{mrad}$
Low Energy Spread $<2\%$
100-200 shots per day
Charge: up to 350 pC
Energy: up to 3.5 GeV

Reproducible monochromatic electron beam



All Optical Nonlinear Compton Scattering Experiment



Pixelated LYSO for
 γ -ray energy spectrum

Single crystal LYSO for
 γ -ray beam profile

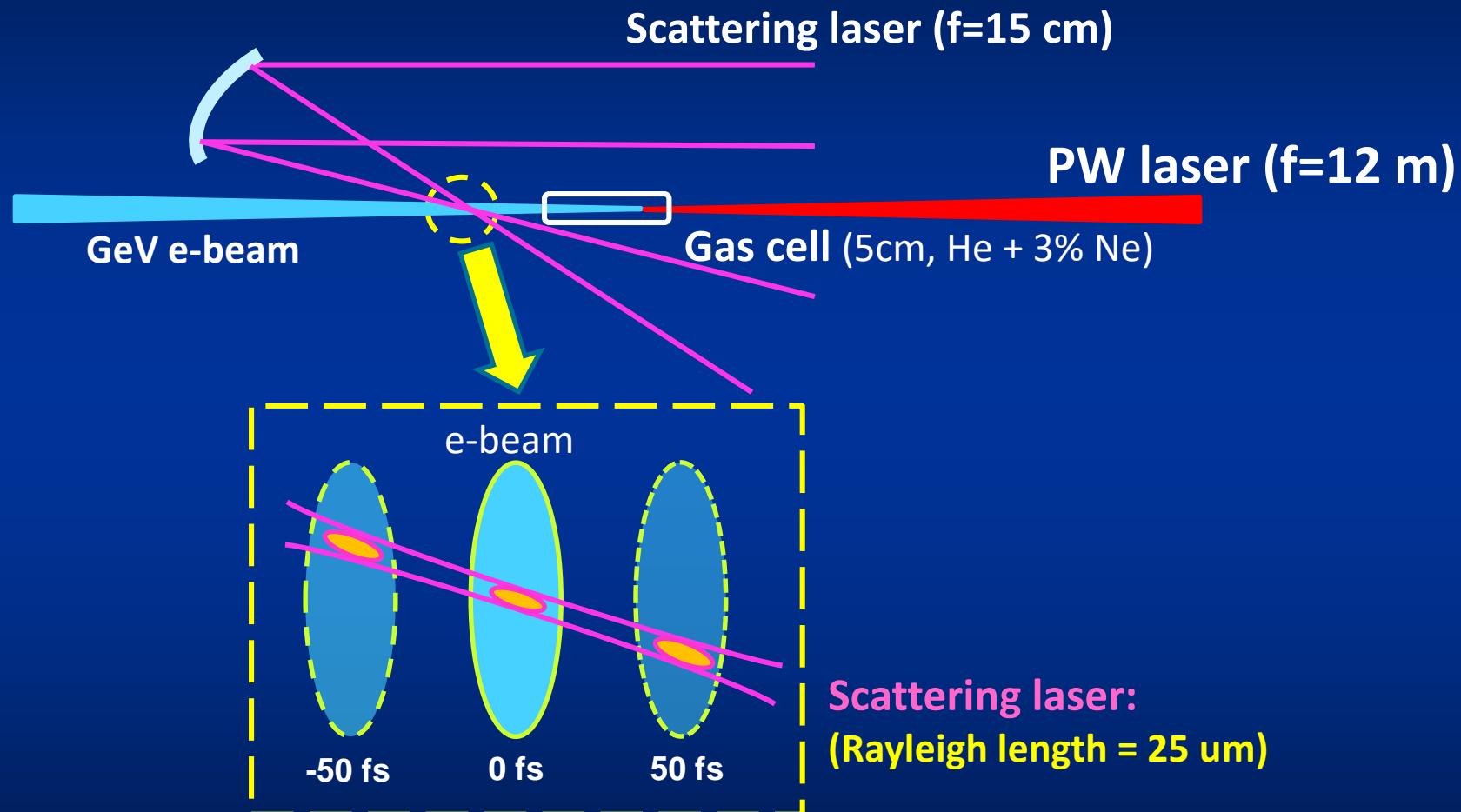
Main Beam

- 25 fs
- $I = 3 \times 10^{19} \text{ W/cm}^2$
- Spot size: 45 μm

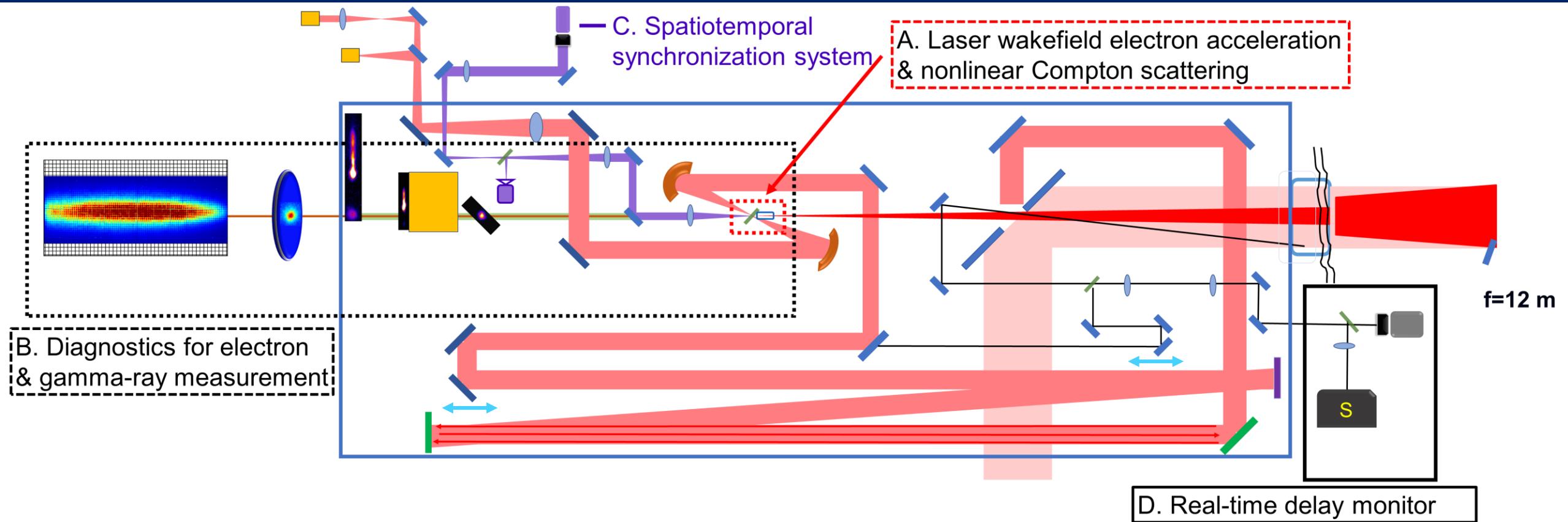
Scattering Beam

- 25 fs
- $I = 4 \times 10^{20} \text{ W/cm}^2$
- Spot size: 2.5 μm
- $a_0 = 14$

Geometry for nonlinear Compton scattering

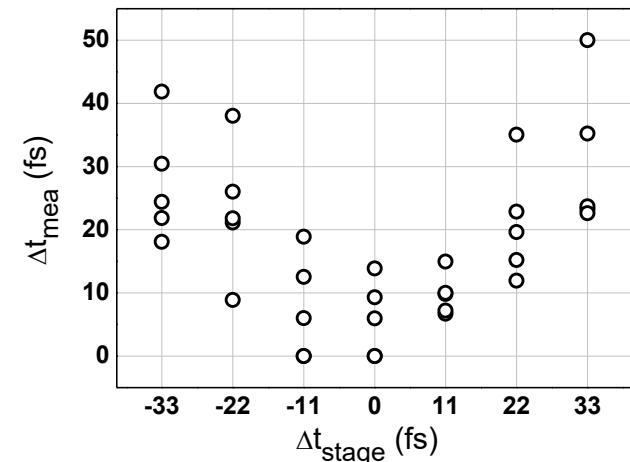
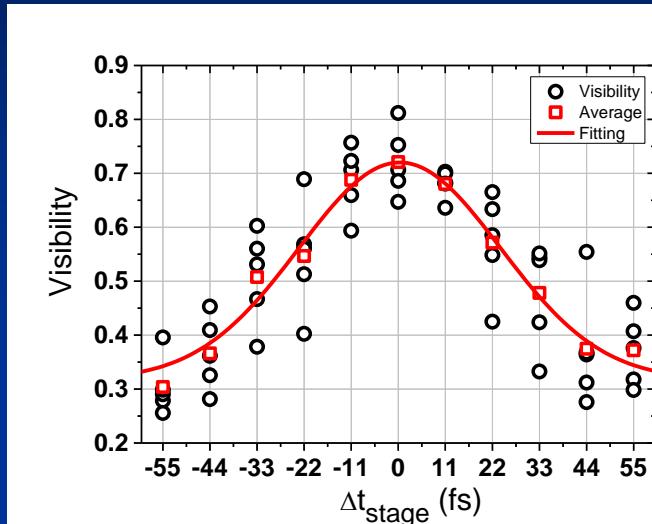
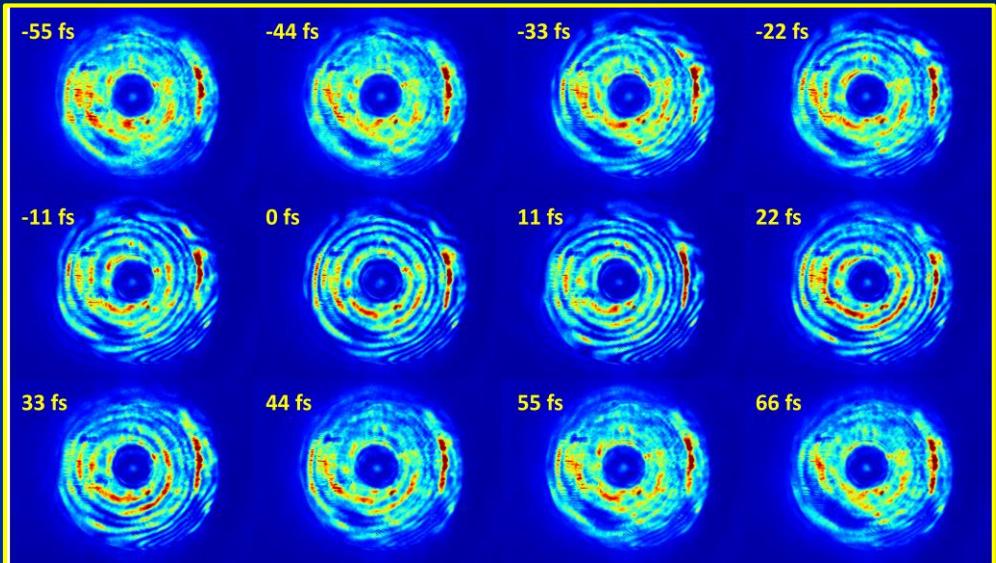


Experimental Setup for Nonlinear Compton Scattering



Temporal synchronization for Compton scattering

Spatial interferogram in the setup 1



- The visibility of interference varied with the time delay.
- The zero time delay was set where the visibility is the highest.

❖ visibility, $\eta' = \frac{I_{max} - I_{min}}{I_{max} + I_{min}}$

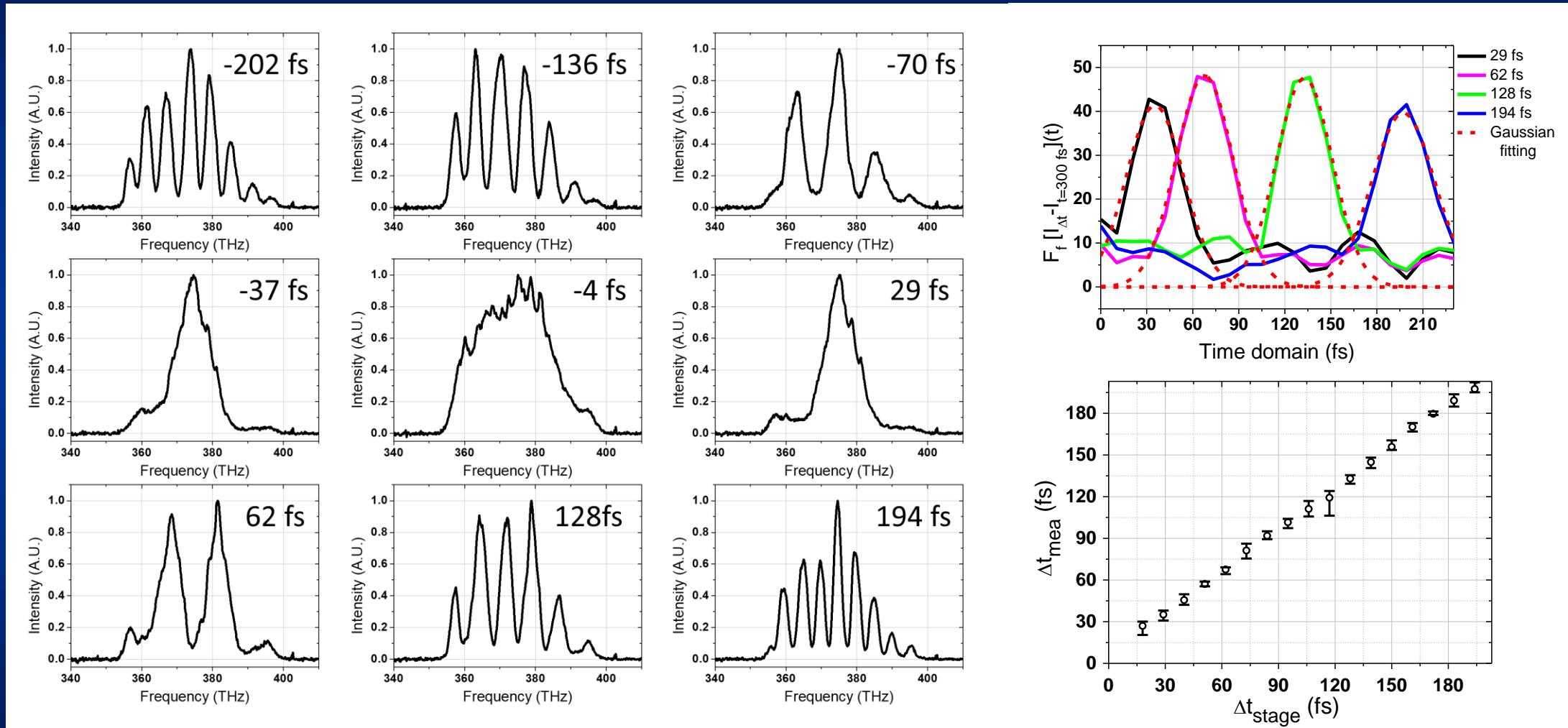
$$\eta' = 0.40 \times \exp\left(-\frac{\Delta t^2}{2 \times 23.5^2}\right) + 0.32$$

$$\Rightarrow |\Delta t_{mea}| = \sqrt{2 \times 23.5^2 \times \ln \frac{0.40}{(\eta' - 0.32)}} \text{ (fs)}$$

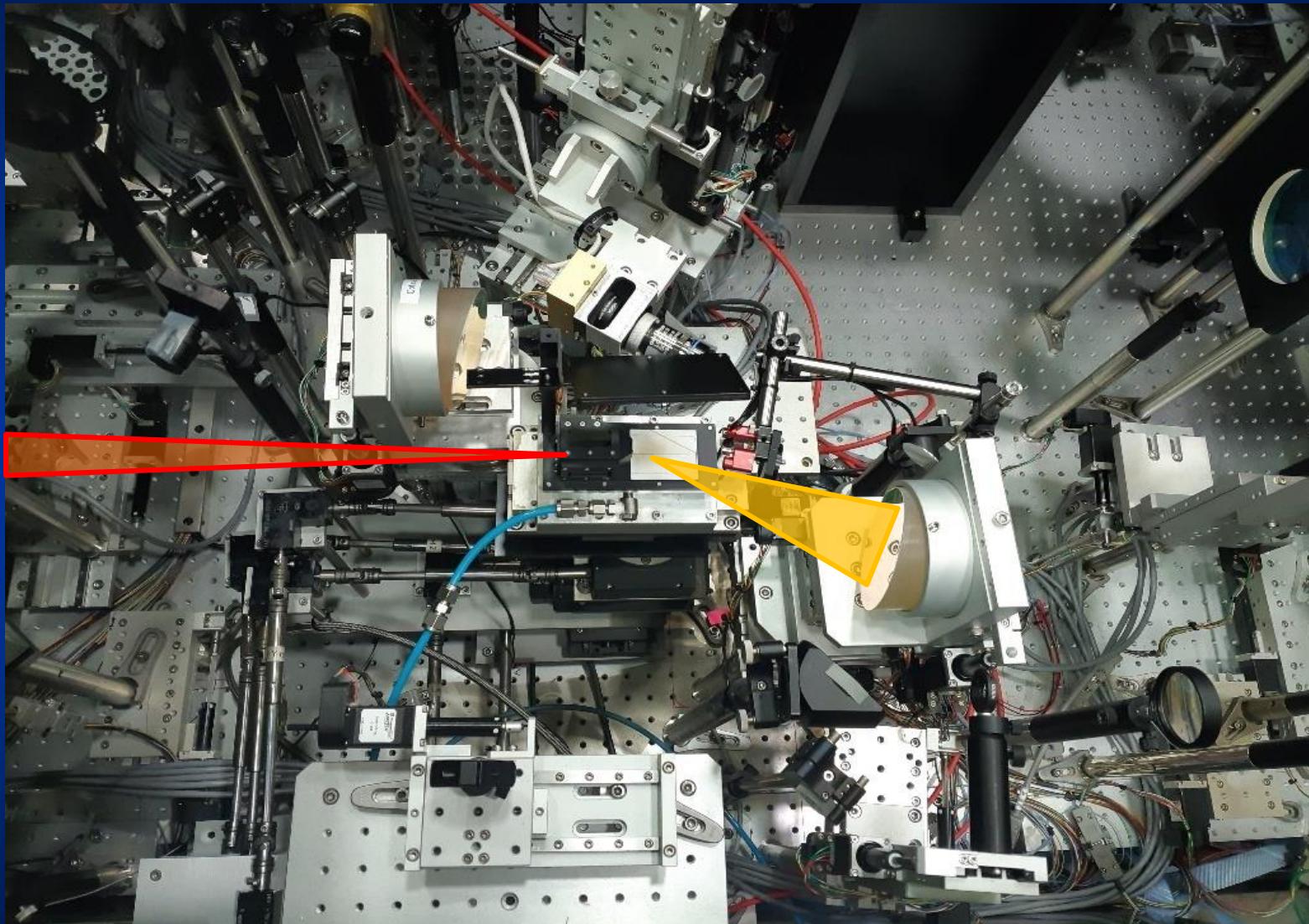
accuracy of time delay ($\frac{\sum_{i=1}^n (\Delta t_{mea} - \Delta t_{stage})_i^2}{n}$): 11 fs

Temporal synchronization for Compton scattering (2)

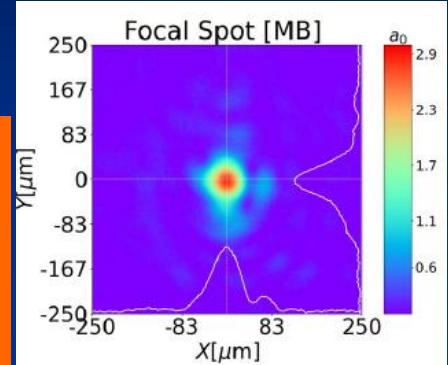
Real-time delay monitoring with a spectral interferometer in the setup 2



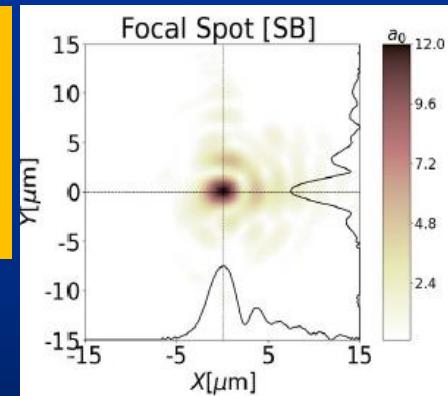
Experimental Chamber of Compton Scattering



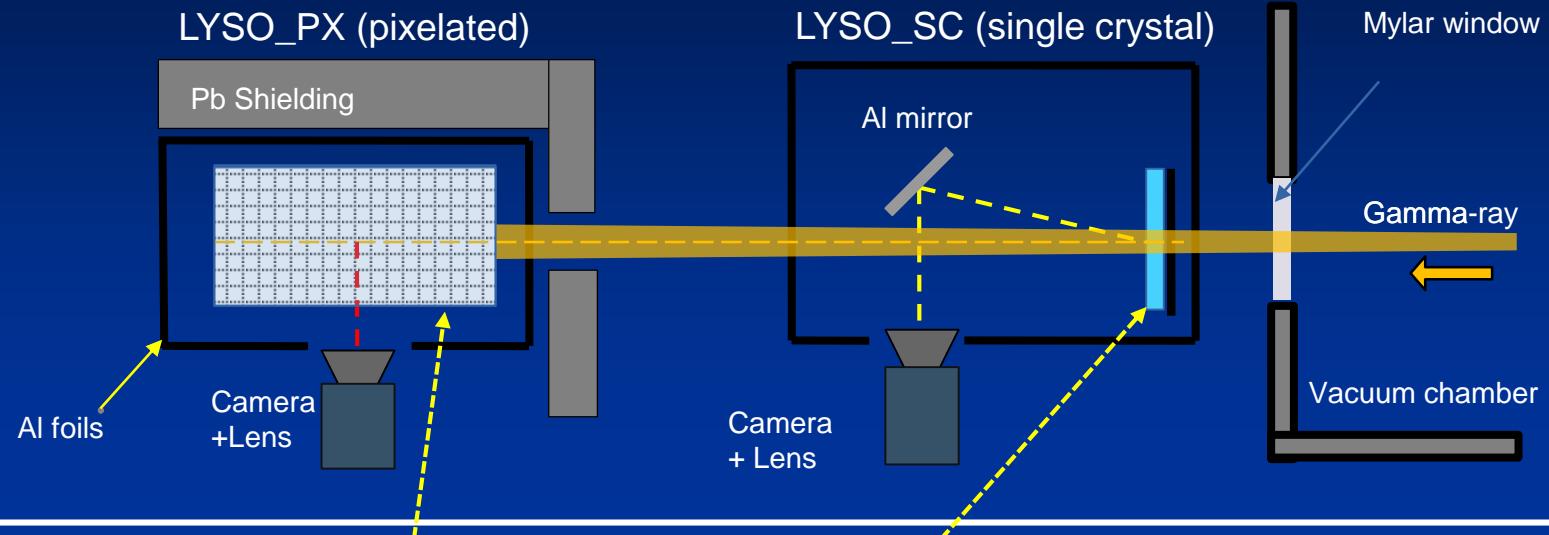
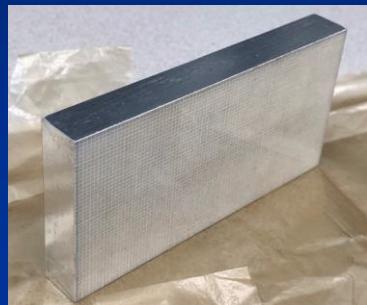
Main beam
 $\tau = 25 \text{ fs}$
 $I = 3 \times 10^{19} \text{ W/cm}^2$
 $W_0 = 45 \mu\text{m}$



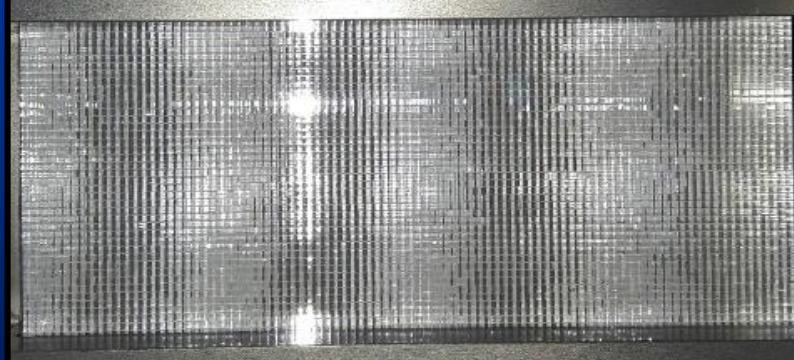
Scattering beam
 $\tau = 25 \text{ fs}$
 $I = 4 \times 10^{20} \text{ W/cm}^2$
 $W_0 = 2.5 \mu\text{m}$



Diagnostics of Gamma-ray beam



**Pixelated LYSO(Ce): 45x90 pixels
Pixel size: 1mm x 1mm x12.5mm**

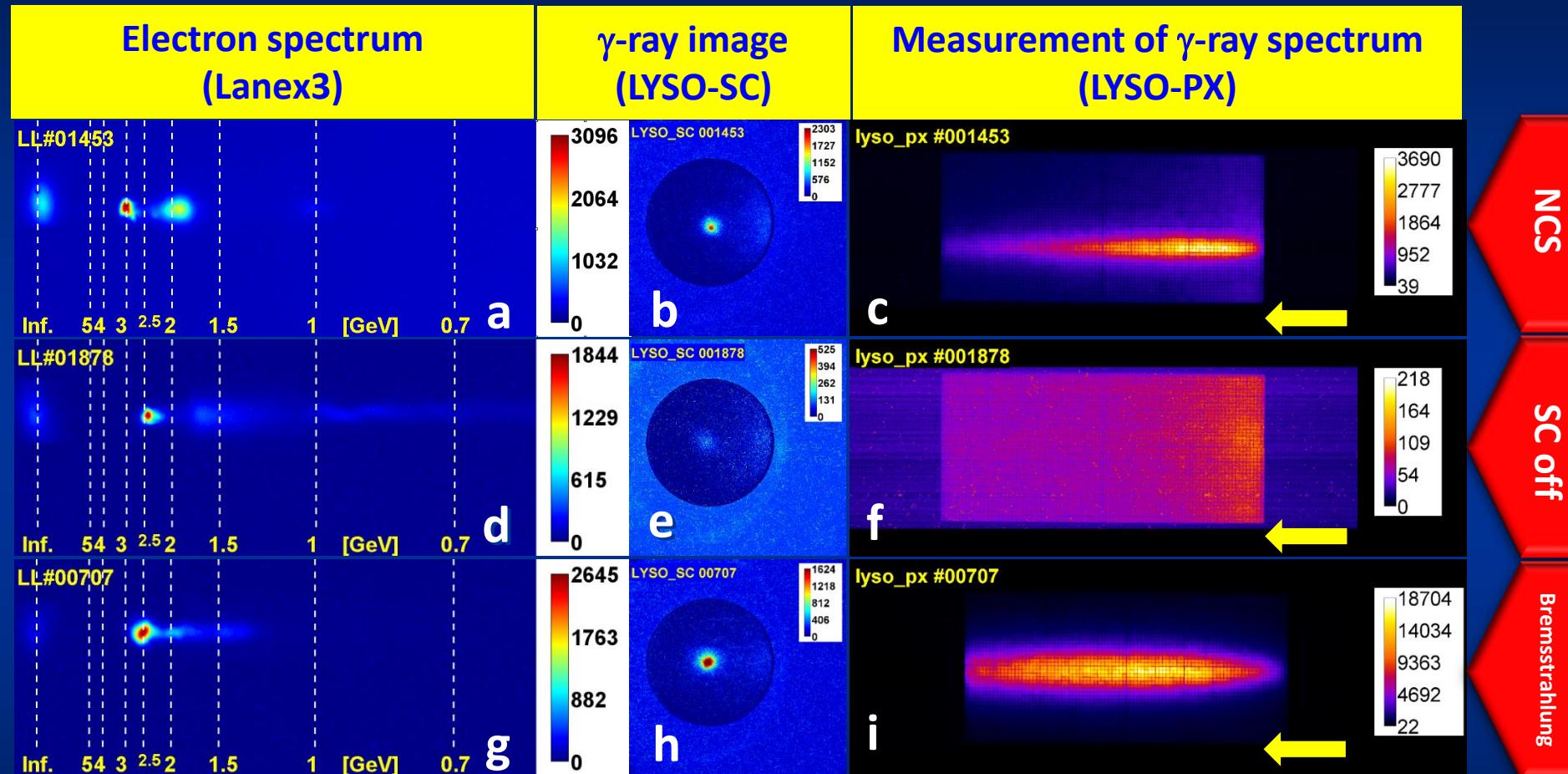


LYSO(Ce)_SC:90mm x 5mm



Material: LYSO	$\text{Lu}_{1-x}\text{Y}_x\text{Si}_2\text{O}_5$ ($x=0.1$)
Density [g/cm ³]	7.15
Emission wavelength [nm]	320-420
Light yield [photons/MeV]	2.9×10^4
Decay time [ns]	40
Z_{eff}	66
Radiation length X_0 [cm]	1.1
Moliere radius [cm]	2.1

Demonstration of nonlinear Compton scattering



Clear measurement of Compton scattering signal!

Reconstruction methods

Two methods were applied to reconstruct the gamma-ray spectra.

Simultaneous Iterative Reconstruction Technique (SIRT)

NO Functional form assumed for the spectrum,
Originally for pair spectrometer, adapted for LYSO

$$g_j^{(k+1)} = g_j^{(k)} + \alpha \frac{\sum_i S_{ij} \times \left(r_i - \sum_m S_{im} g_m^{(k)} \right)}{\sum_m S_{mj}}$$

$g_j^{(k+1)}$ - next iteration for the spectrum

S_{ij} - lineout response (px #i, energy #j);
Computed in GEANT4

r_i - summed lineout response for px. i,
from experiment

Trial function-based minimization of the response error (TFM)

Parametrized by critical energy(E_c)

Functional form:

$$\frac{dN}{dE} = A \times E^{-2/3} \times e^{-\frac{E}{E_c}}$$

Minimizes the expression :

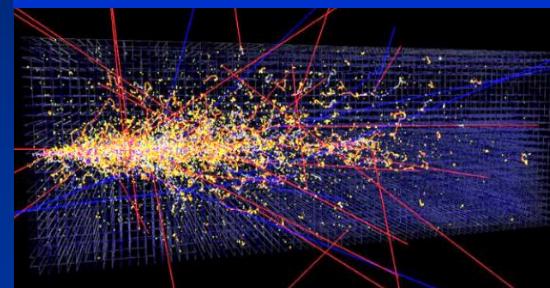
$$\min_{A, E_c} \left[r_i - \sum_j \left(S_{ij} \frac{dN(E_j)}{dE} dE_j \right) \right]$$

S_{ij} : lineout response (px #i, energy #j);
computed in GEANT4

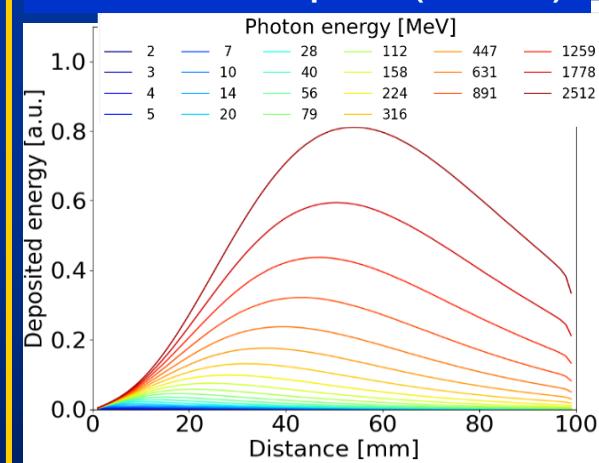
r_i : lineout response for px i, from exp.

E_j : energy #j

GEANT4 Simulation of LYSO



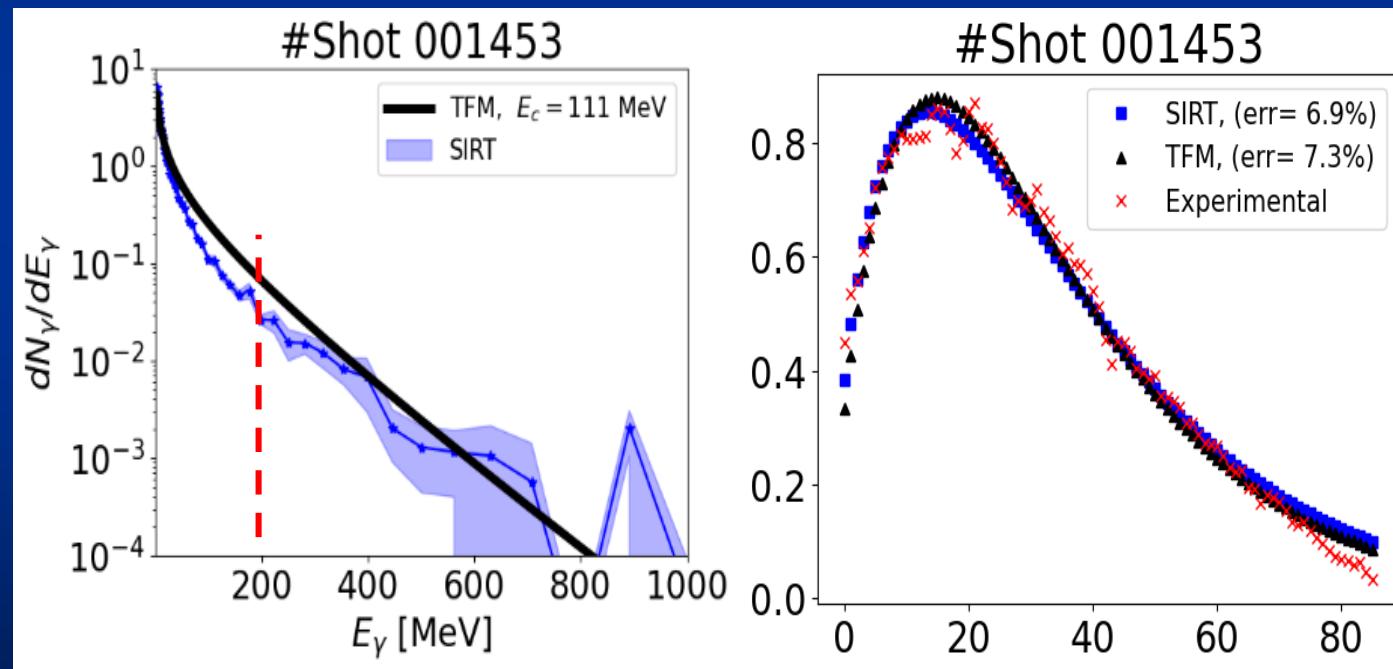
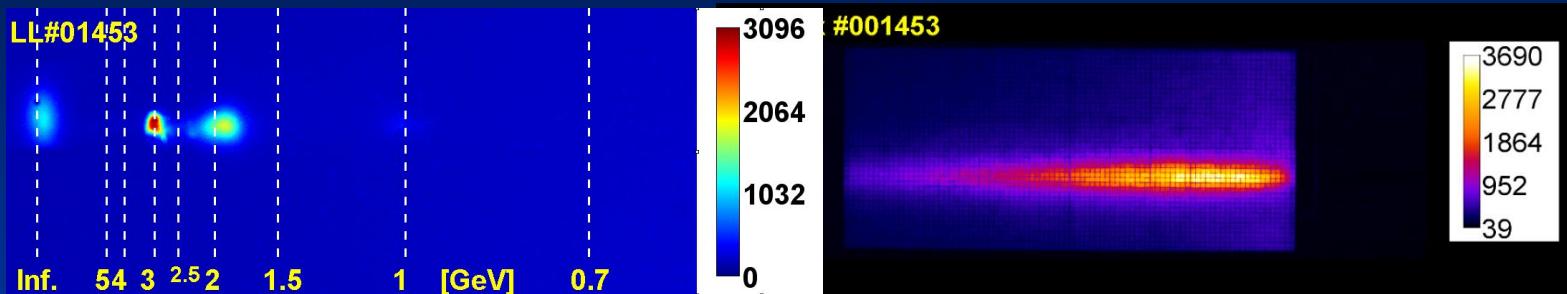
LYSO Lineout response (GEANT4)



D. Haden et al., Nucl. Inst. and Met. A 951, 163032 (2020)

K. Behm et al., Review of Scientific Instruments 89, 113303 (2018)

Reconstruction of gamma-ray spectrum (2)



Linear Compton scattering:

$$\varepsilon_{\text{cutoff}} = 2(1+\cos\theta) \gamma^2 \varepsilon_L$$

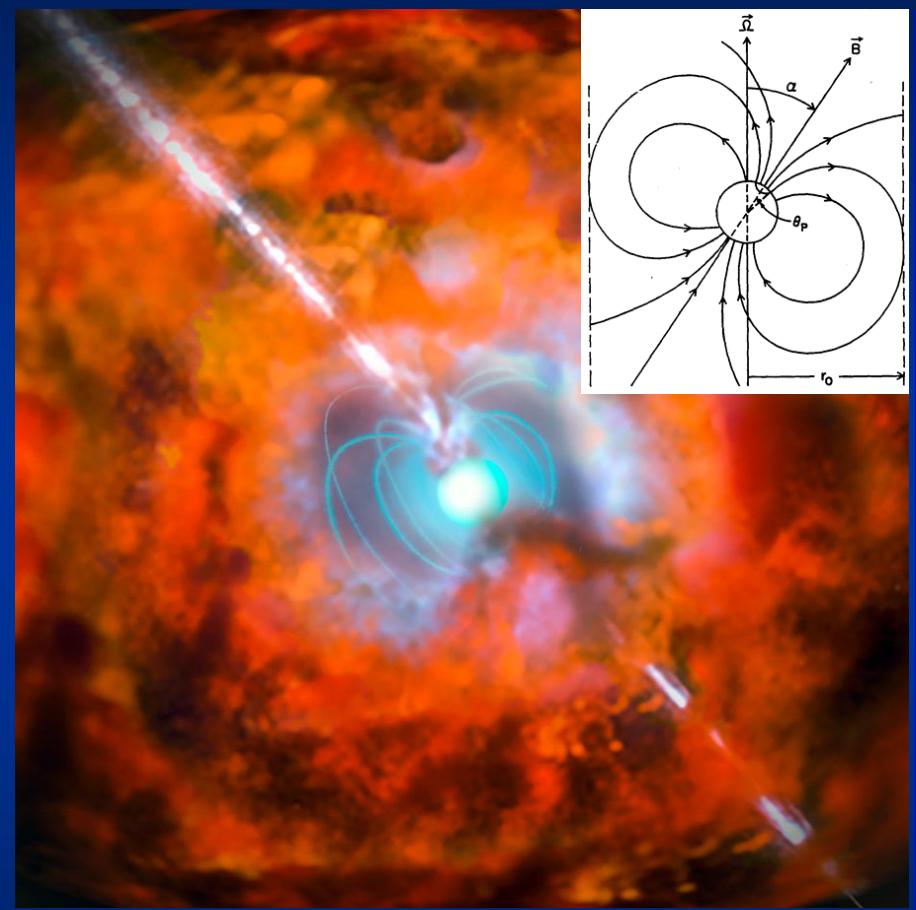
for $E_e=3 \text{ GeV}$, $\varepsilon_{\text{cutoff}} = 200 \text{ MeV}$.

Nonlinear Compton scattering:

$$\varepsilon_\gamma = \frac{n}{1 + \frac{a_0^2}{2} + \frac{2n\gamma\varepsilon_L}{m_ec^2}(1+\cos\theta)} \varepsilon_{\text{cutoff}}$$

$$\text{Or } n = \frac{\left(1 + \frac{a_0^2}{2}\right)}{\left(1 - \frac{\varepsilon_\gamma}{\gamma mc^2}\right)} \frac{\varepsilon_\gamma}{\varepsilon_{\text{cutoff}}},$$

Magnetar: Astrophysical QED lab



Gamma-ray burst and supernova powered by a magnetar: GRB 111209A/SN 2011 kl
(eso 1527)

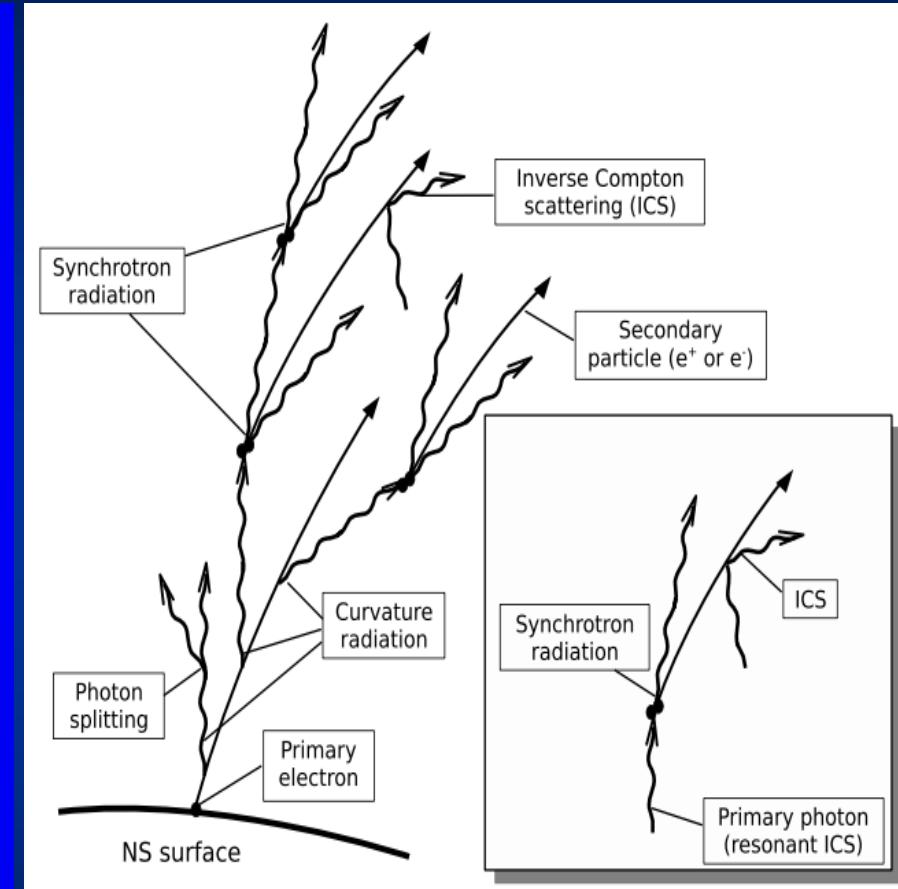
Magnetar

Extremely magnetized neutron star
 $B \sim 50B_c$ ($B_c = 4.4 \times 10^{13}$ G)

QED processes in the vicinity

- magnetic photon splitting ($\gamma + B \rightarrow \gamma\gamma$)
- magnetic pair creation ($\gamma + B \rightarrow e^+e^-$)
- inverse Compton scattering (resonant/non-resonant)
→ pair cascade
- e^+e^- plasma
- **vacuum birefringence**

→ **Astrophysical lab of strong-field QED**



Medin and Lai, MNRAS 406, 1379 (2010)

Summary

1. Ultrahigh power CPA lasers have opened up new challenging research areas in strong field physics.
2. By applying the laser wakefield electron acceleration scheme, mono-energetic multi-GeV electron beams have been produced.
3. As part of strong field QED research, **nonlinear Compton scattering (NCS)** between a laser-driven GeV electron beam and an ultrahigh intensity laser pulse has been explored. The scattering of a multi-GeV electron with several hundred laser photons produced 100's MeV gamma-rays.
4. Strong field QED phenomena, such as radiation reaction and Breit-Wheeler pair production, will be also explored.

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CoReLS Members



Trekking to a cedar forest (summer 2019)